The New Frontiers of extreme laser wakefield accelation

Colloquium U. Rochester, March 9, 2015

T. Tajima, UCI and IZEST

Acknowledgments for Collaboration: G. Mourou, Y.M. Shin, U. Wienands, , K. Nakajima, U. Uggehroj, K. Abazajian, N. Canac, , S. Bulanov, A. Suzuki, T. Ebisuzaki, J. Koga, X. Q. Yan,, A. Chao, N.V. Zamfir, V. Shiltsev, J. Zuegel, C. Barty, M. Hogan, R. Heuer, Z. Siwy, P. Taborek





Eur. Phys. J. Spec. Top. 228, 1037 (2014)

Astropart. Phys. 56, 9 (2014)

Content

- High intensity frontier of lasers: large energy; high fluence; ultrashort: Following Gerard's talk
- **2-step Laser Conversion** (Gerard's talk):

1PW Opt. Laser → 10PW Opt. Laser → 1EW X-ray Laser30fs, 40J, 1eV3fs, 30J, 1eV0.3as, 0.3J, 10keV

- LWFA at solid density (Porous nanomaterials) 10keV photon: $n_{cr} = 10^{29}/\text{cc}$ ---- solid density $n = 10^{23}/\text{cc}$ wakefield energy gain = $2mc^2 a_0^2 (n_{cr}/n) = a_0^2 \text{TeV}$
- Reaching out to X-ray crystal optics and nanotechnology X-ray (γ-ray) optics, nonlinear optics in vacuum----self-focus; porous nano materials
- Nature (Blackhole jets): create extremely strong EM pulse provides robust extreme acceleration (ZeV) and γ-ray bursts



Laser Wakefield (LWFA): nonlinear optics in plasma







Maldacena (string theory) method: ys QCD wake (Chesler/Yaffe 2008)

No wave breaks and wake peaks at v≈c

Wave **breaks** at v<c







Hokusai



Maldacena



Theory of wakefield toward extreme energy

$$\Delta E \approx 2m_0 c^2 a_0^2 \gamma_{ph}^2 = 2m_0 c^2 a_0^2 \left(\frac{n_{cr}}{n_e}\right), \quad \text{(when 1D theory applies)}$$

$$In \text{ order to avoid wavebreak,}$$

$$a_0 < \gamma_{ph}^{1/2},$$

$$a_0 < \gamma_{ph}^{1/2},$$
where
$$\gamma_{ph} = (n_{cr} / n_e)^{1/2}$$

$$n_{cr} = 10^{21} (1eV \text{ photon})$$

$$\rightarrow 10^{29} (10 \text{ keV photon})$$

$$n_e = 10^{16} (\text{gas}) \rightarrow 10^{23} (\text{solid})$$

$$L_d = \frac{2}{\pi} \lambda_p a_0^2 \left(\frac{n_{cr}}{n_e}\right), \quad L_p = \frac{1}{3\pi} \lambda_p a_0 \left(\frac{n_{cr}}{n_e}\right),$$
(when 1D theory applies)



Earlier works of X-ray crystal acceleration

-X-ray optics and fields (Tajima et al. PRL, 1987)

-Nanocrystal hole for particle propagation (Newberger, Tajima, et al. 1989, AAC; PR,..) -particle transport in the crystal (Tajima et al. 1990, PA)

APPLICATION OF NOVEL MATERIAL IN CRYSTAL ACCELERATOR CONCEPTS

B. Newberger, T. Tajima, The University of Texas at Austin, Austin, Texas 78712

F. R. Huson, W. Mackay, Texas Accelerator Center, The Woodlands, Texas

B. C. Covington, J. R. Payne, Z. G. Zou, Sam Houston State University, Huntsville, Texas

N. K. Mahale, S. Ohnuma, University of Houston, Houston, Texas 77004

which incorporate regular macroscopic features on the underlying crystal lattice are of potential ne application to crystal accelerators and coherent urces. We have recently begun an investigation of iterial, porous Si, in which pores of radii up to a attice spacings are etched through finite volumes rystal. The potential reduction of losses to partianneled along the pores makes this a very interial in crystal accelerators for relativistic, positively icles. Our results on material properties which are i this context will be presented. The consequences transport will be discussed. and $k = v_0/m_I c^2$, v_0 , is the "spring constant of th channel well. Its specific form depends on the mo construct the continuum potential of a string of atom purposes it suffices to take a typical value of 2×10^1 is the multiple scattering velocity space "diffusion" We have used¹⁰

$$D = z\pi r_e^2 N Z_{\rm val} \left(\frac{m_e}{m_I}\right)^2 L_R,$$

where r_E is the classical electron radius, Z_{val} is t of valence electrons, and N is the number density of tal. Logarithmic dependencies on particle energy neglected throughout: L_P is a constant with a ty

Particle Accelerators, 1990, Vol. 32, pp. 235-240 Reprints available directly from the publisher Photocopying permitted by license only © 1990 Gordon and Breach, Science Publishers, Inc. Printed in the United States of America

BEAM TRANSPORT IN THE CRYSTAL X-RAY ACCELERATOR

T. TAJIMA, B. S. NEWBERGER University of Texas-Austin, Austin TX 78712 U.S.A. F. R. HUSON, W. W. MACKAY Texas Accelerator Center, The Woodlands, TX 77381 U.S.A. B. C. COVINGTON, J. PAYNE Sam Houston State University, Huntsville, TX 77341 U.S.A. N.K. MAHALE, S. OHNUMA University of Houston, Houston, TX 77204 U.S.A.

<u>Abstract</u> A Fokker-Planck model of charged particle transport in crystal channels which includes the effect of strong accelerating gradients has been developed¹ for application to VOLUME 59, NUMBER 13

PHYSICAL REVIEW LETTERS Crystal X-Ray Accelerator 28 SEPTEMBER 1987

T. Tajima Department of Physics and Institute for Fusion Studies, The University of Texas, Austin, Texas 78712

and

M. Cavenago Department of Physics, University of California, Irvine, California 92717 (Received 18 November 1986)

An ultimate linac structure is realized by an appropriate crystal lattice (superlattice) that serves as a "soft" irised waveguide for x rays. High-energy (\simeq 40 keV) x rays are injected into the crystal at the Bragg angle to cause Bormann anomalous transmission, yielding slow-wave accelerating fields. Particles (e.g., muons) are channeled along the crystal axis.

PACS numbers: 52.75.Di, 41.80.-y, 61.80.Mk

An approach to the attainment of ever higher energies by extrapolating the linac to higher accelerating fields, higher frequencies, and finer structures is prompted by several considerations, including the luminosity requirement which demands the radius of the colliding-beam spot be proportionately small at high energies: a0 = $\pi^{-1/2}hc(fN)^{-1/2}P\epsilon^{-2}$, where f, N, P, and ϵ are the duty cycle, total number of events, beam power, and beam energy, respectively. This approach, however, encounters a physical barrier when the photon energy becomes of the order $\hbar \omega \simeq \hbar \omega_{\sigma} \simeq mc^2 a^2 \simeq 30 \text{ eV}$ (a=the fine-structure constant), corresponding to wavelength (scale length) $\lambda \simeq 500$ Å: The metallic wall begins to absorb the photon strongly, where ω_n is the plasma frequency corresponding to the crystal electron density. In addition, since the wall becomes not perfectly conducting for $\hbar \omega \ge mc^2 a^2$, the longitudinal component of fields becomes small and the photon goes almost straight into the wall (a soft-wall regime). As the photon energy $\hbar\omega$ much exceeds mc^2a^2 and becomes $\geq mc^2a$, however, the metal now ceases to be opaque. The mean free path of the photon is given by Bethe-Bloch theory as $l_i = (3/2^8 \pi)$ $\times a_{B}^{-2} a^{-1} n^{-1} (\hbar \omega / Z_{eff}^{2} \mathcal{R})^{7/2}$, where a_{B} is the Bohr radius, n the electron density, Z_{eff} the effective charge of the lattice ion, and \mathcal{R} the Rydberg energy.

In the present concept the photon energy is taken at the hard x-ray range of $\hbar\omega \approx mc^2a$ and the linae structure is replaced by a crystal structure, e.g., silicon or GaAs-AlAs. (A similar bold endeavor was apparently undertaken by Hofstadter already in 1968.¹) Here the crystal axis provides the channel through which accelerated particles propagate with minimum scattering (channeling²) and the x rays are transmitted via the Bormann effect (anomalous transmission.³⁴) when the x rays (wavelength λ) are injected in the xz plane with a where b is the transverse lattice constant and later a the longitudinal lattice constant ($a \approx b$) (see Fig. 1). The row of lattice ions (perhaps with inner-shell electrons) constitutes the "waveguide" wall for x rays, while they also act as periodic irises to generate slow waves. A superlattice² such as Ge,Si_{1-c}S₁ (in which the relative concentration c ranges from 0 to 1 over 100 Å or longer in the longitudinal z direction) brings in an additional freedom in the crystal structure and provides a small Brillouin wave number $k_c = 2\pi/s$ with s being the periodicity length. We demand that the x-ray light in the crystal channel walls becomes a slow wave and satisfies the high-energy acceleration condition

$$\omega/(k_z + k_z) = c,$$
 (2)

where ω and k_z are the light frequency and longitudinal wave number.

The energy loss of moving particles in matter is due to ionization, bremsstrahlung, and nuclear collisions. We can show⁶ that a channeled high-energy particle moving fast in the z direction oscillates in the xy plane according to the Hamiltonian

$$H = \frac{1}{2m}(p_x^2 + p_y^2) + V(x,y), \quad (3)$$



X-ray LWFA in crystal suggested

X-ray Laser Wakefield Accelerator in crystal:

LWFA pump-depletion length:

$$L_{acc} \sim a_{\chi} (c/\omega_{p}) (\omega_{\chi}/\omega_{p})^{2}, \qquad (a_{\chi} = eE_{\chi}/mc\omega_{\chi})$$

LWFA energy gain

 $\varepsilon_{\chi}=2a_{\chi}^{2}mc^{2}(n_{cr}/n_{e}),$

Here, $n_{cr} = 10^{29}$, $n_e = 10^{23}$, $a_{\chi} \sim 30$ (pancake laser pulse with the Schwinger intensity, with focal radius assumed the same as optical laser radius. Could be greater if we further focus by optics, or nonlinearity, or if we not limit the intensity at Schwinger. see below)

The vacuum self-focus power threshold

 $P_{cr} = (45/14) c E_s^2 \lambda^2 \alpha^{-1}, \qquad (E_s: \text{Schwinger field})$



(b)

Schwinger fiber acceleration in vacuum:

(no surface, no breakdown)

Vacuum photon dispersion relation with focus

$$\omega = c \sqrt{k_z^2 + \langle k_{perp}^2 \rangle},$$

The vacuum dispersion relation with fiber self-modulation $\omega / (k_z + k_s) = c, \quad (k_s = 2\pi / s)$

(Tajima and Cavenago, PRL, 1987)

Porous Nanomaterial



Porous alimina on Si substrate Nanotech. **15**, 833 (2004)

Beam-driven wakefield on a chip



THEXAC (Transformative High Energy X-ray Acceleration in Crystal): Collaboration [UCI, Stanford (SLAC), Fermilab, NIU, EP, ELI-NP, Aarhus U., LeCosPa] formed What we'd like to do initially at FACET

- Detect and quantify wakefield excitation in crystal
- SLAC FACET provides dense bunches of positrons
 - better channeling than e^- , less scattering of channeled beam
 - dense bunches can excite wakefields
- FACET has a spectrometer or the channeled particles
 - wake excitation => energy loss (can detect ≤ 0.1% E-loss)
 - the γ -ray spectrum should also indicate this.
- Synergy with SLAC FACET E212 (Uggehroj) and ESTest Beam T513 (Wienands)

Wakefield excitation by electron (or positron) beam (vs. by X-ray pulse)



Wakefield excitation and witness bunch that is accelerated



Shin (2014)

In collaboration with E212 (Uggerhoj)

Placement of Crystal



Fermilab efforts on crystal wakefield acceleration

16th Advanced Accelerator Concept Workshop (AAC2014)



TeV/m Nano-Accelerator

Current Status of CNT-Channeling Acceleration Experiment



Y. M. Shin^{1,2}, A. H. Lumpkin², J. C. Thangaraj², R. M. Thurman-Keup², P. Piot^{1,2}, and V. Shiltsev²

Thanks to X. Zhu, D. Broemmelsiek, D. Crawford, D. Mihalcea, D. Still, K. Carlson, J. Santucci, J. Ruan, and E. Harms

¹Northern Illinois Center for Accelerator and Detector Development (NICADD), Department of Physics, Northern Illinois University

²Fermi National Accelerator Laboratory (FNAL)

Ultrahigh Energy Cosmic Rays (UHECR)

Fermi mechanism runs out of steamImage: Constraint of steambeyond 1019 eV10due to synchrotron radiation10Wakefield acceleration10comes in rescue10prompt, intense, linear acceleration10

small synchrotron radiation radiation damping effects?



Cen A



- Distance: 3.4Mpc
- Radio Galaxy
 - Nearest
 - Brightest radio source
- Elliptical Galaxy
- Black hole at the center w/ relativistic jets



Astrophysical wakefield acceleration: Superintense Alfven Shock in the Blackhole Accretion Disk toward ZeV Cosmic Rays ($a_0 \sim 10^6 - 10^{10}$, large z)

Magnetic field lines

ZEST



Ebisuzaki and Tajima, Astropart. Phys. (2014)

Phys.Rev. STAB, 18, 024401 (2015).



Comic ray acceleration and γ -ray emission



Blazar shows anti-correlation between γ burst flux and spectral index



 \rightarrow all quantitatively consistent with Wakefield theory



Again, Anti-correlation even in a bigger blazar

Blazar: 3C454.3 $M \simeq 10^9 M_{Sun}$



Same anti-correlation as AO0235+164

The rise time and burst periods a lot longer (by an order of magnitude)

Quantitative agreement and <u>correct scaling</u> with Blazar mass (Ebisuzaki/Tajima)



N. Canac, K. Abazajian

Conclusions: from zeptoscience to ZeV

- A new direction of ultrahigh intensity: **zeptosecond lasers**
- EW 10keV X-rays laser from 1PW optical laser
- X-ray LWFA in porous crystal: accelerating gradient 1-10TeV/ cm, accelerating length 1-10m, energy gain per stage PeV; *miniaccelerators* (mm-m; portable) for GeV, TeV, PeV (and beyond)
- Crystal nanoengineering: s.a. nanoholes, arrays, focus optics
- Zeptosecond nano beams of electrons, protons (ions), muons (neutrinos), coherent γ-rays to very high energies over mm to m
- Start of zeptoscience; Start of Blazar accelerators
- Mother Nature shows LWFA is a ubiquitous natural process of particles acceleration (i.e. gamma ray bursts (GRB) and cosmic ray acceleration)
- From smallest (nm) wakefield acceleration in (porous) solid to largest (M Parsec) Blazars (Active Galactic Nuclei--AGN) acceleration (ZeV)