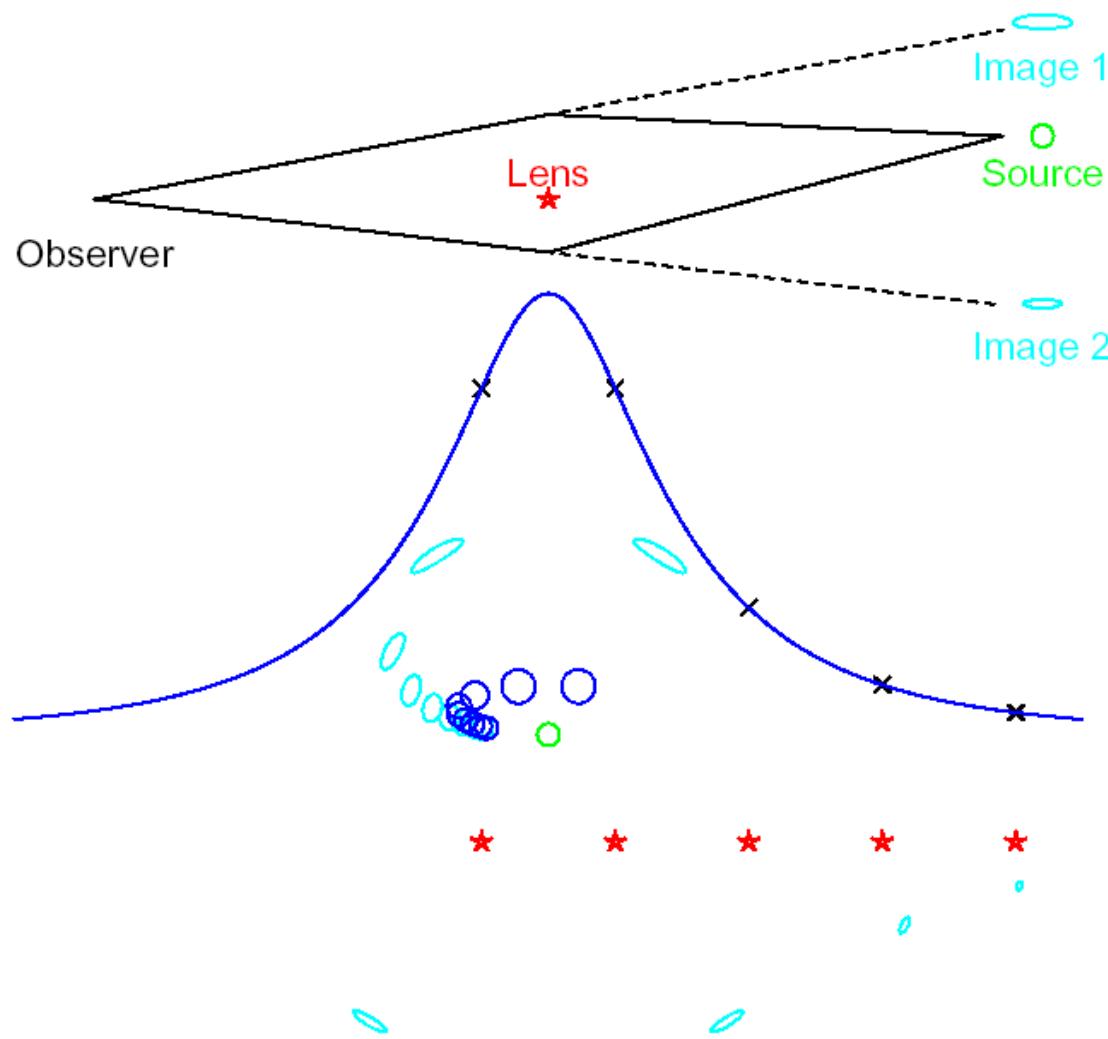
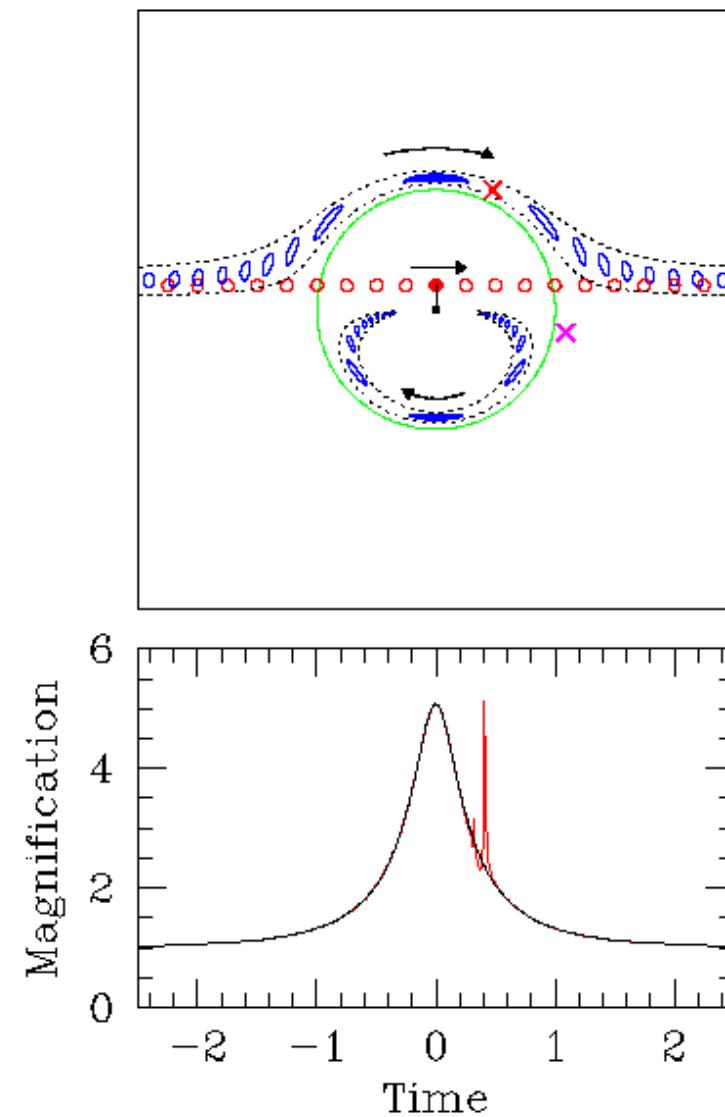


# Microlensing At 5 AU

Andy Gould (OSU)



# How Microlensing Finds Planets



# Gould & Loeb

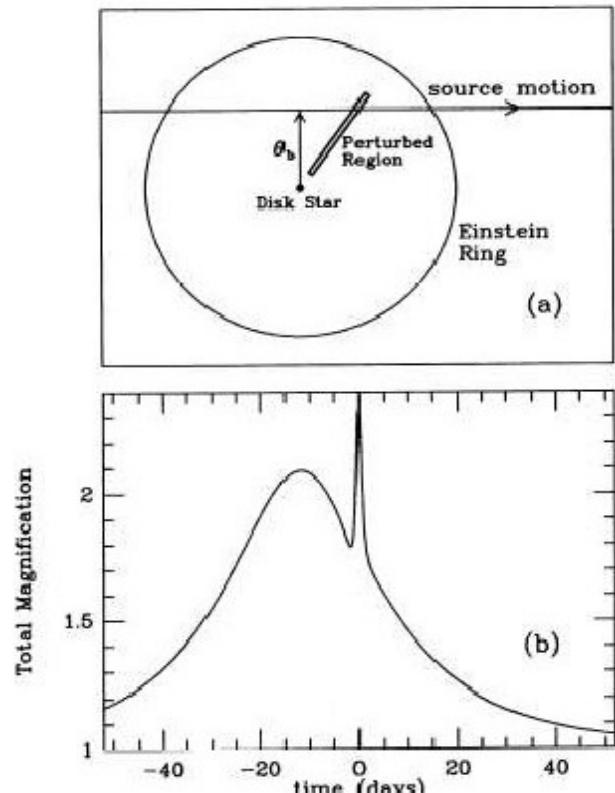
## Survey + Follow-Up

DISCOVERING PLANETARY SYSTEMS THROUGH GRAVITATIONAL MICROLENSES

ANDREW GOULD AND ABRAHAM LOEB

Institute for Advanced Study, Princeton, NJ 08540

Received 1991 December 26; accepted 1992 March 9



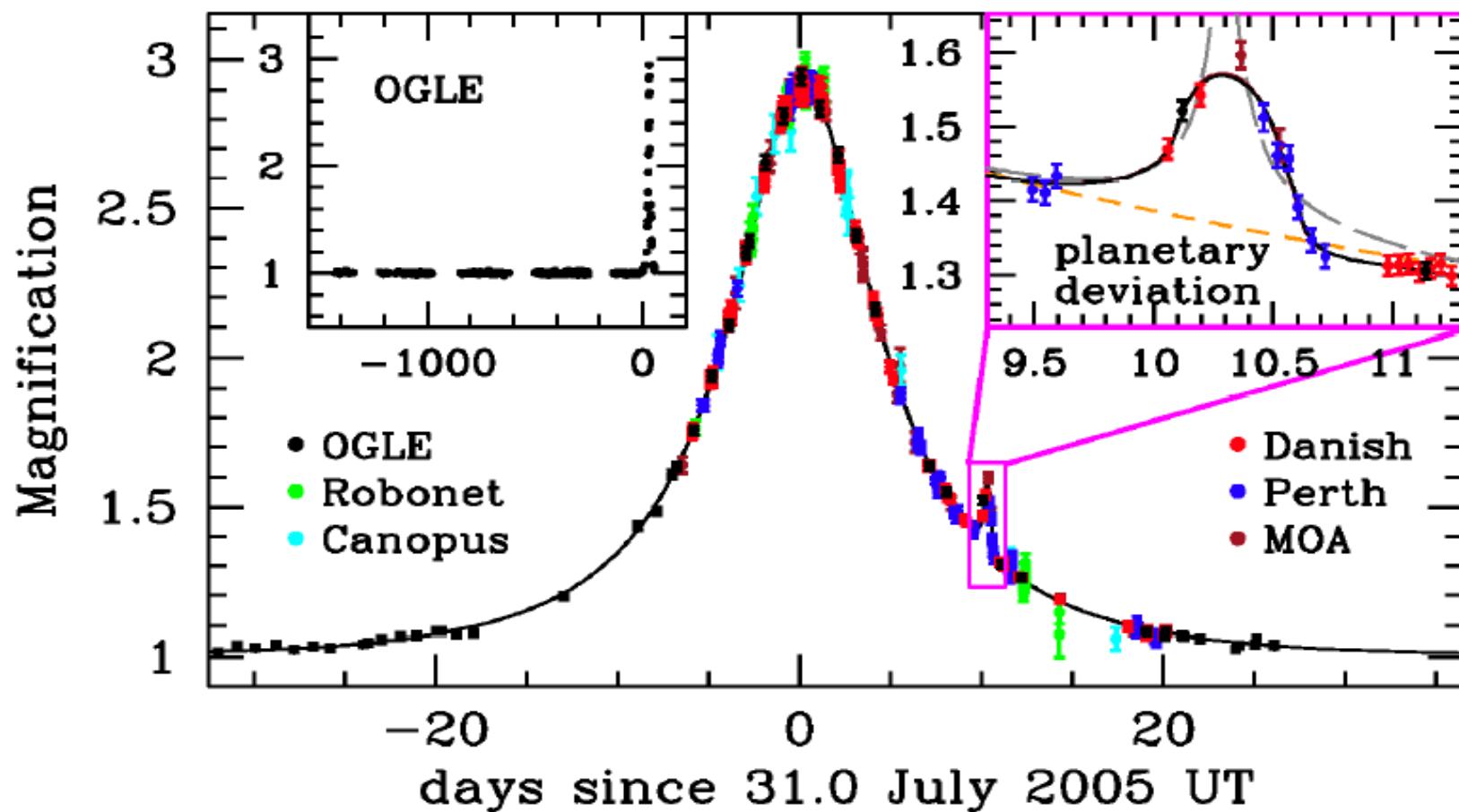
### 5. OBSERVATIONAL REQUIREMENTS

Two distinct steps are required to observe a planetary system by microlensing. First, one must single out a disk star which happens to be microlensing a bulge star. Second, one must observe this star often enough to catch the deviation in the light curve due to the planet. The first step involves the observation of millions of bulge stars on the order of once per day. The second step involves the observation of a handful of stars many times per day. In the following we give a rough outline of what is required for each of these steps.

While observations from one site would be useful, there are advantages to be gained by observing from several sites. First, two telescopes that were totally committed. Third, in view of the fleeting nature of the events, it would seem prudent to build in some redundancy in case of bad weather at a particular site. Thus, the optimal scheme would employ, say, a dozen telescopes. Each of these would be committed to carry out two observations per night. During the near-December season,

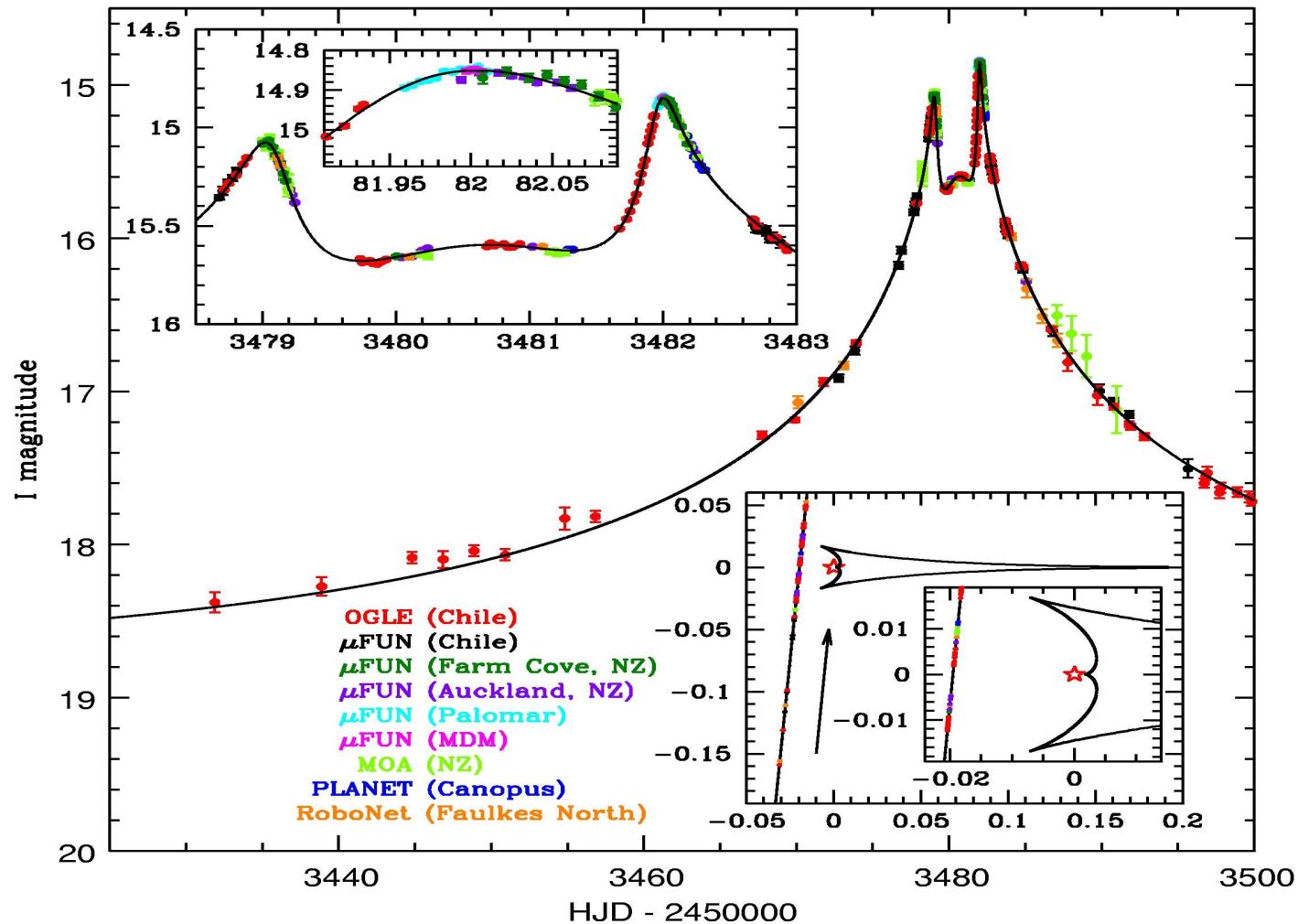
# OGLE-2005-BLG-390

## “Classical-Followup” Planetary Caustic



Beaulieu et al. 2006, Nature, 439, 437

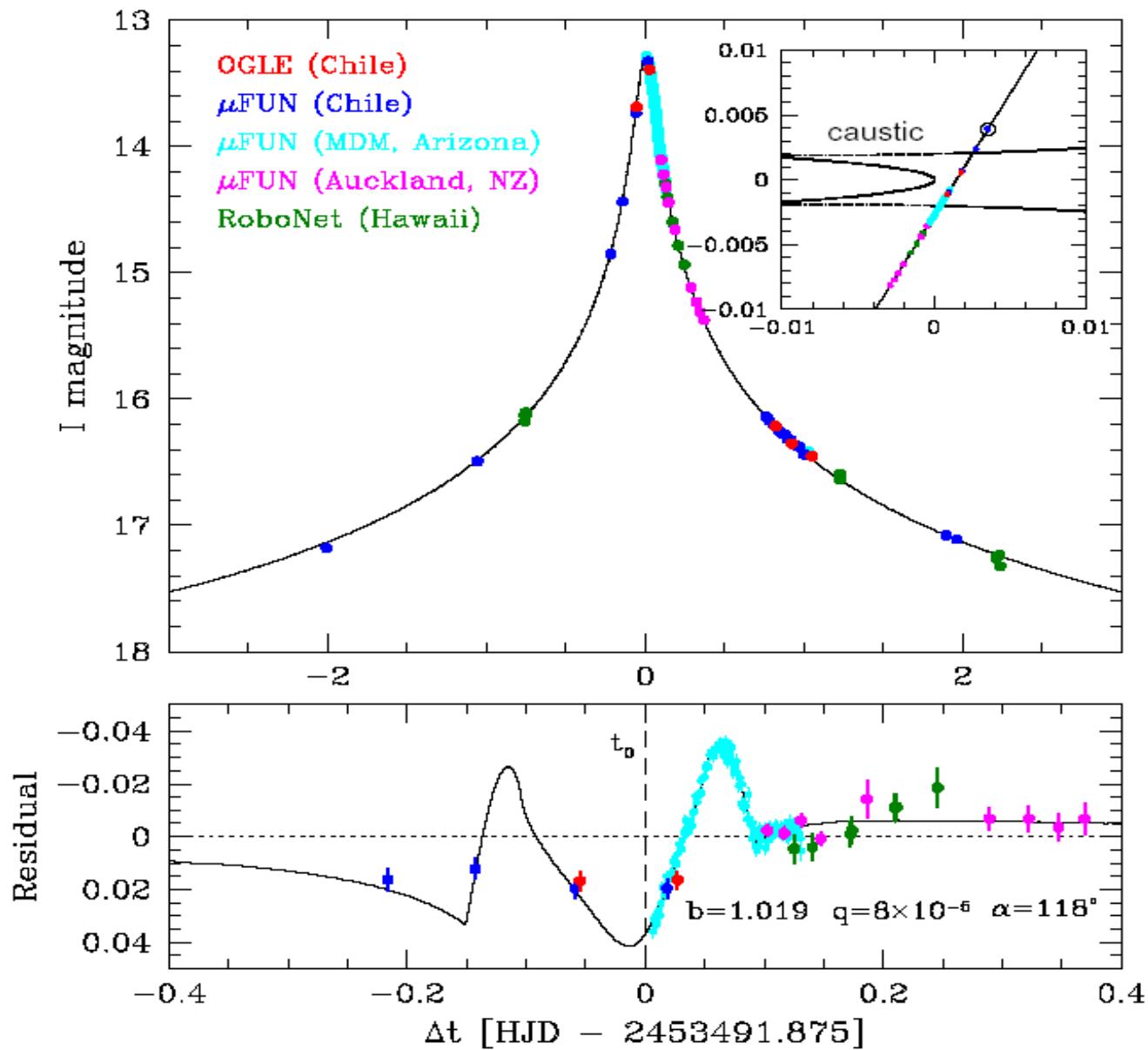
# First “High-Magnification” Planet



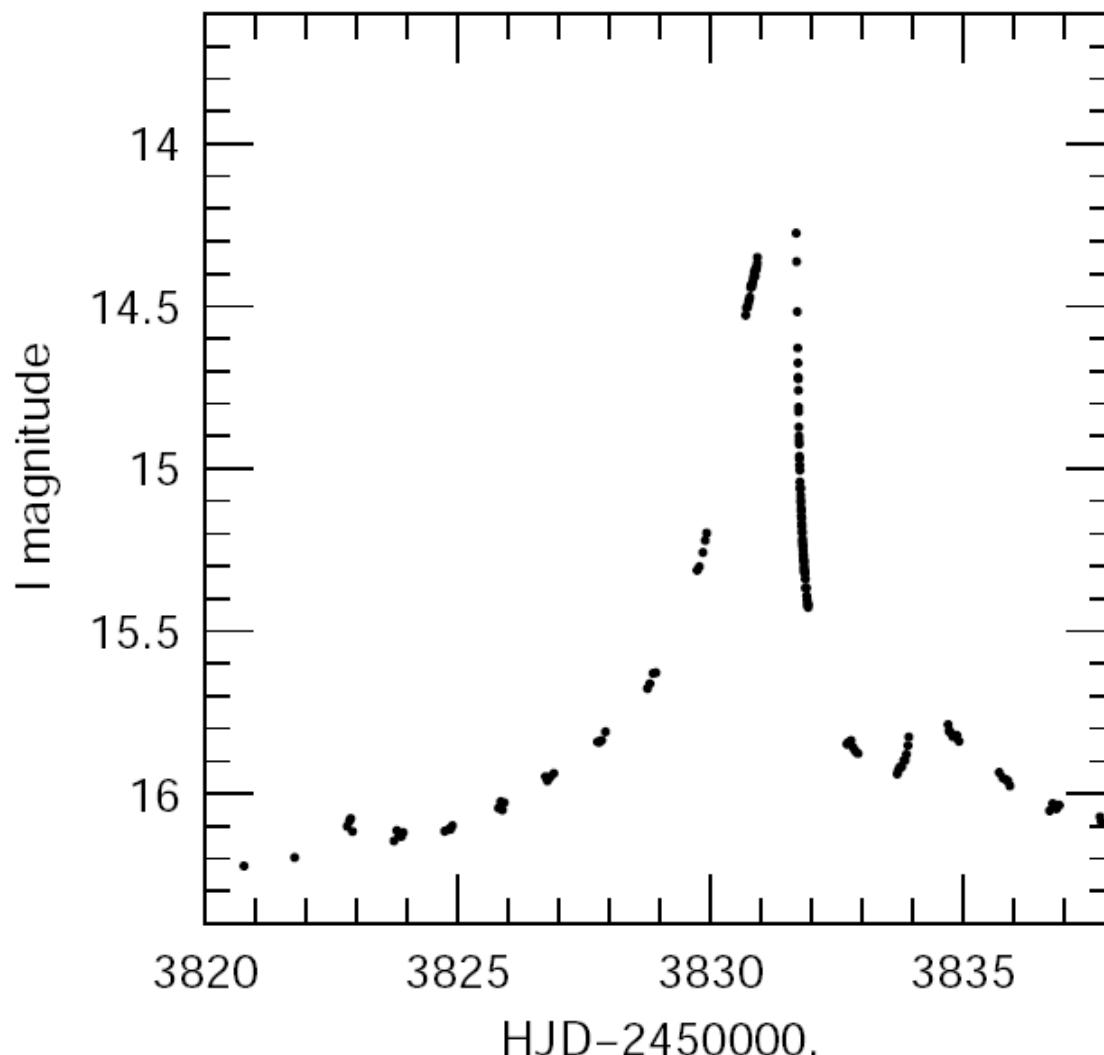
Udalski et al. 2005, ApJ, 628, L109

# OGLE-2005-BLG-169:

## Second Cold Neptune

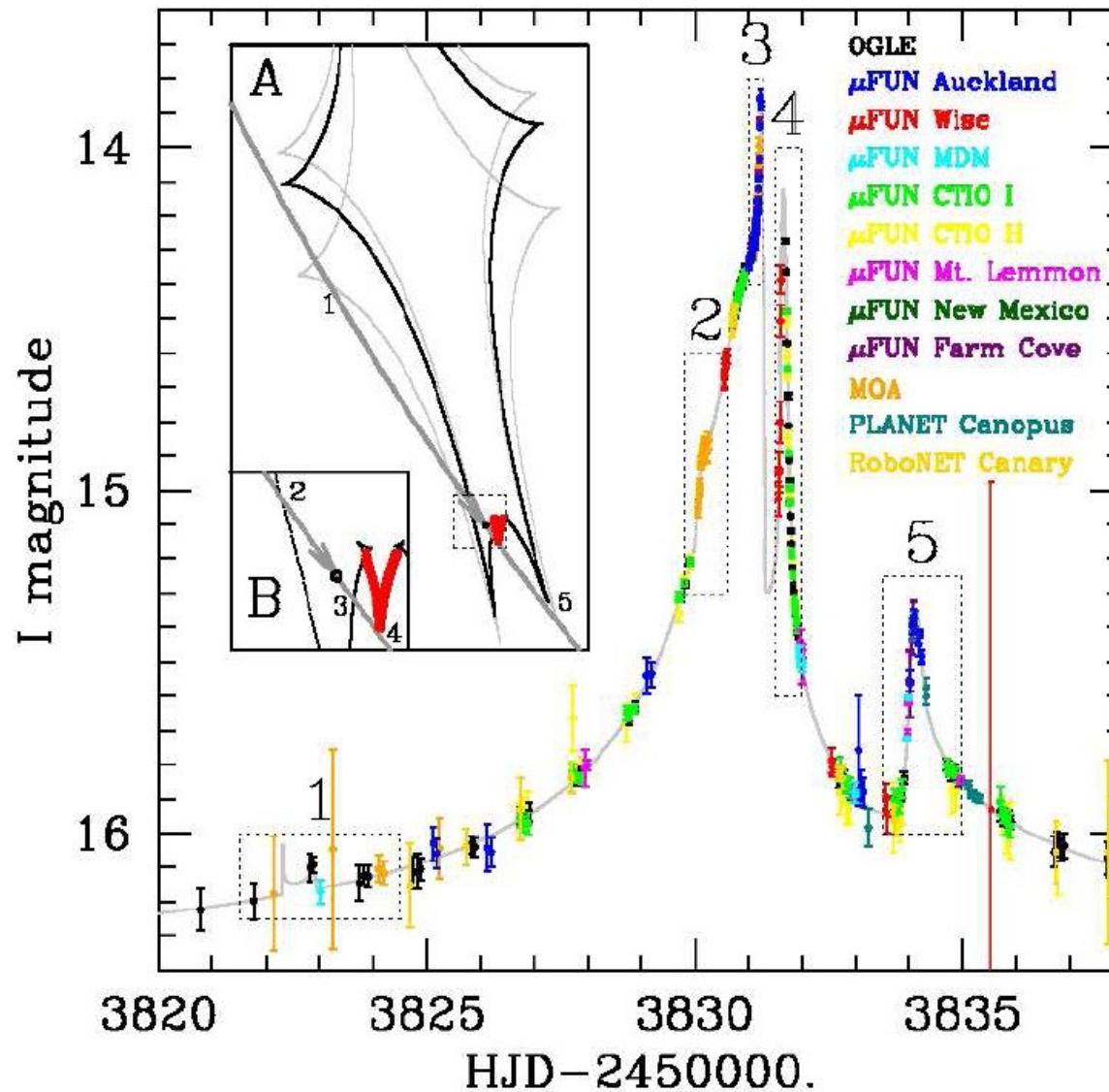


# OGLE-2006-BLG-109: Without Followup Observations



# OGLE-2006-BLG-109

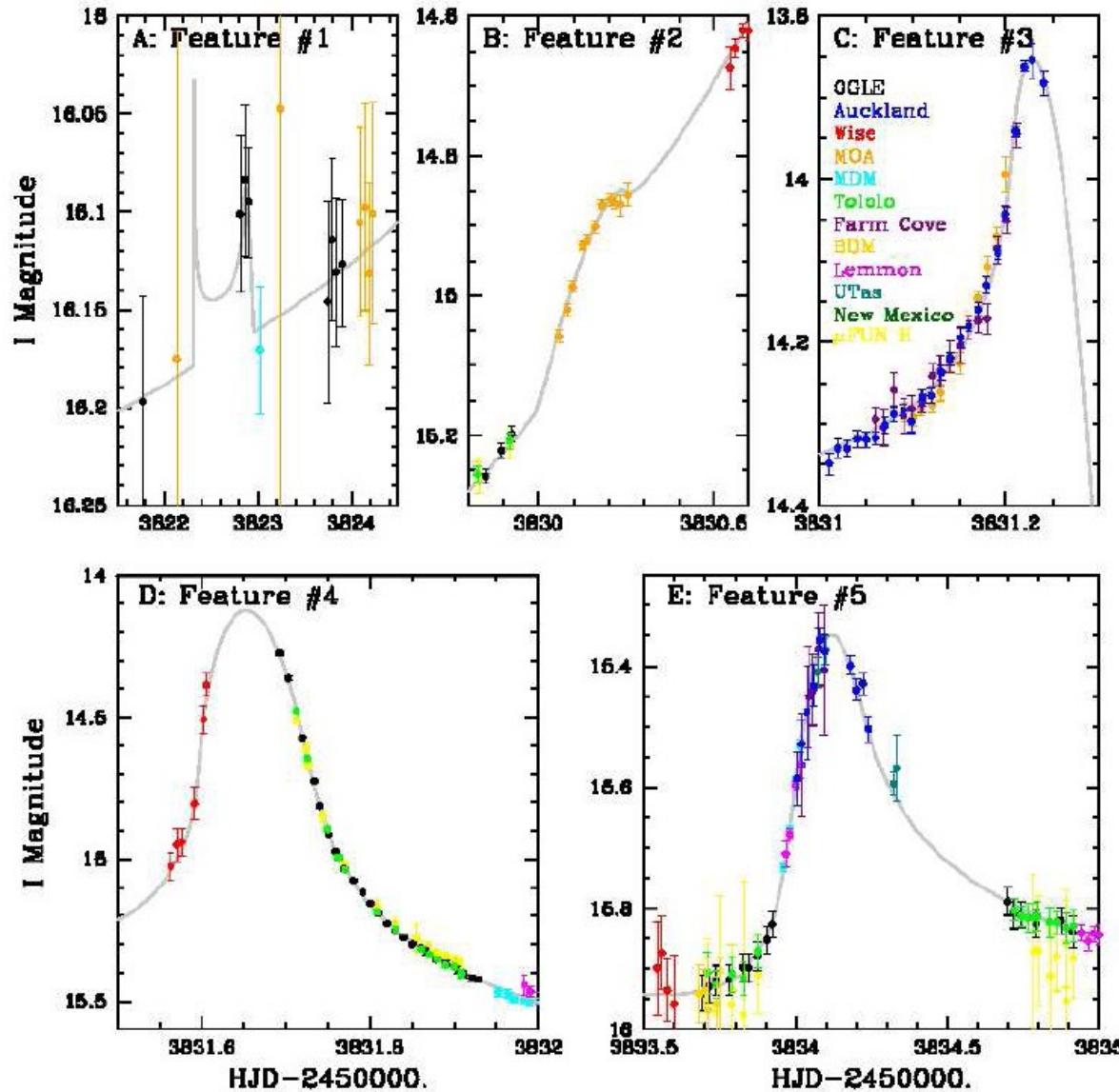
## Parallax+Finite-Source+Rotation+Blend



Gaudi et al. 2008, Science, 319, 927

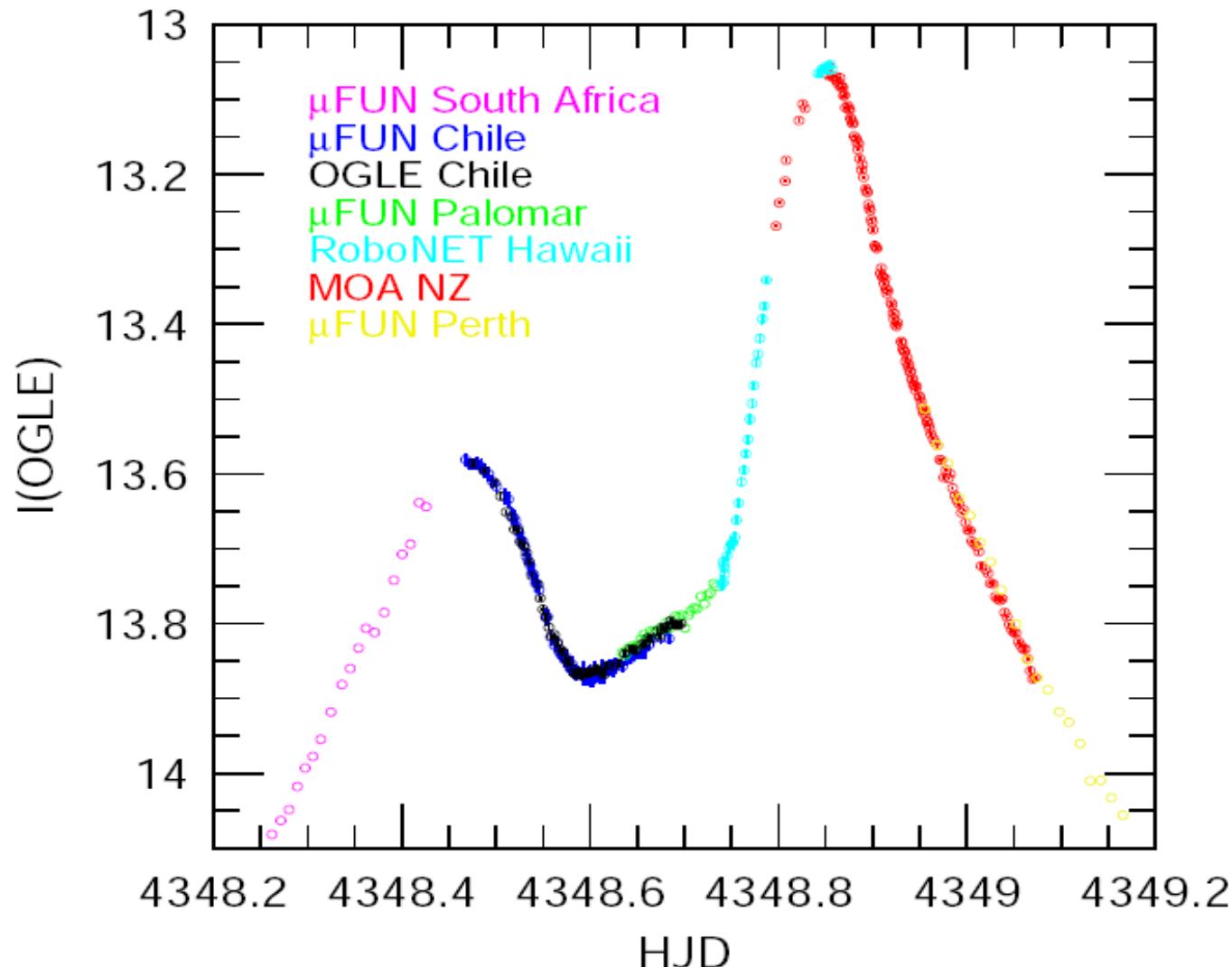
# Five Lightcurve Features

1+2+3+5=Saturn    4=Jupiter



# OGLE-2007-BLG-349:

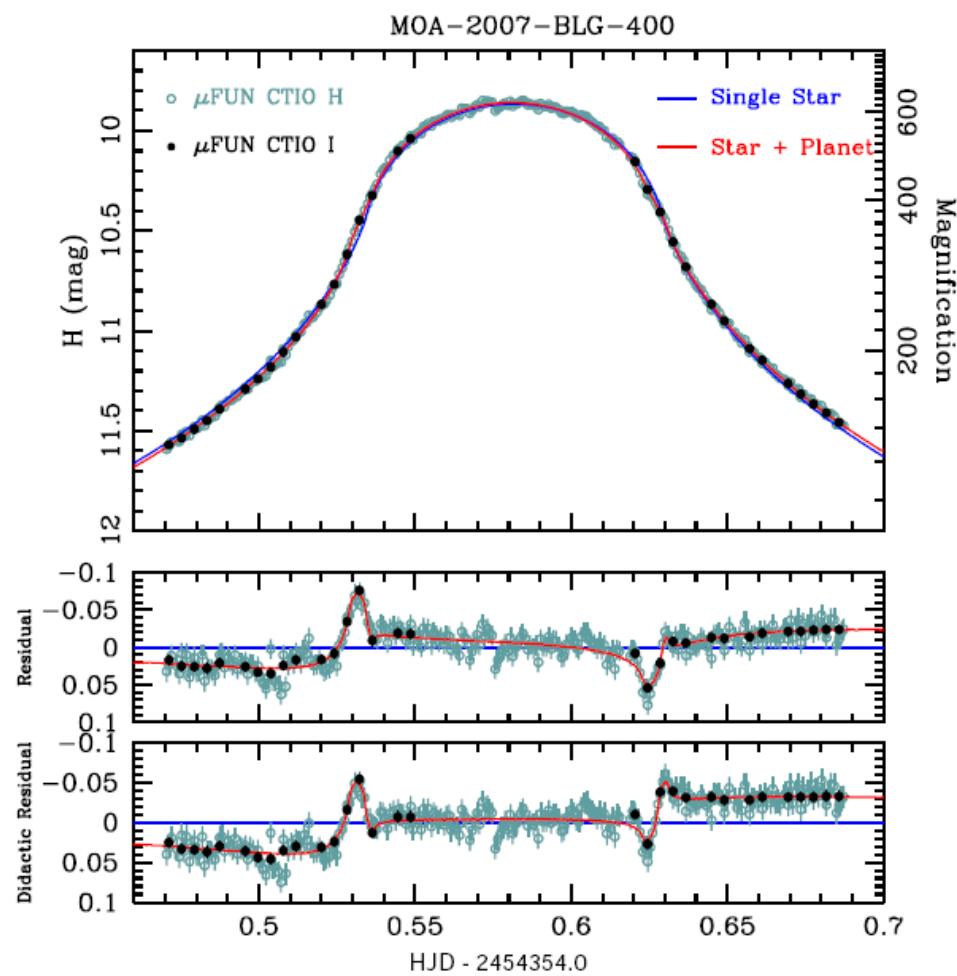
## Saturn Mass-Ratio Planet +



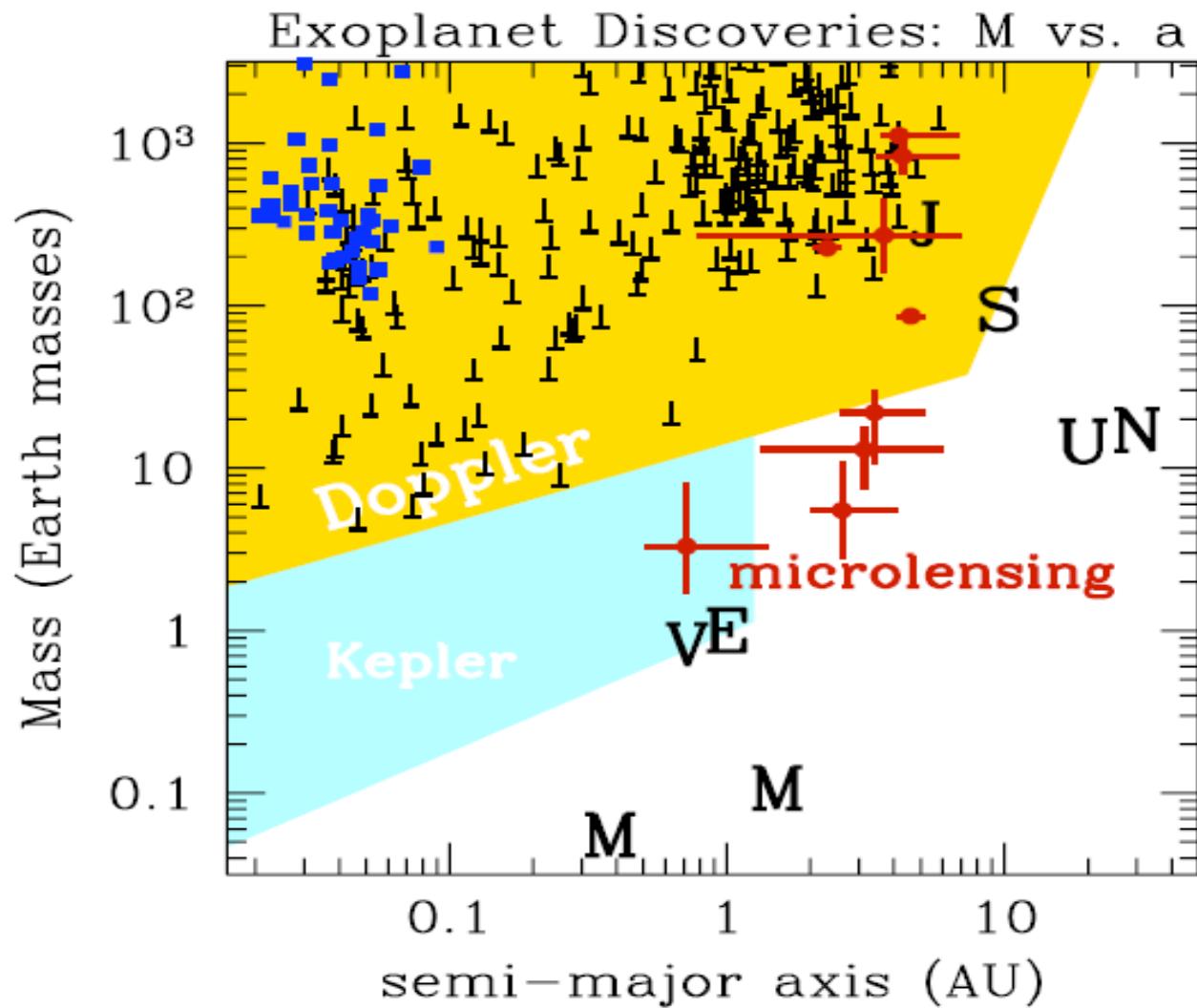
Dong et al. 2010, in prep

# MOA-2007-BLG-400

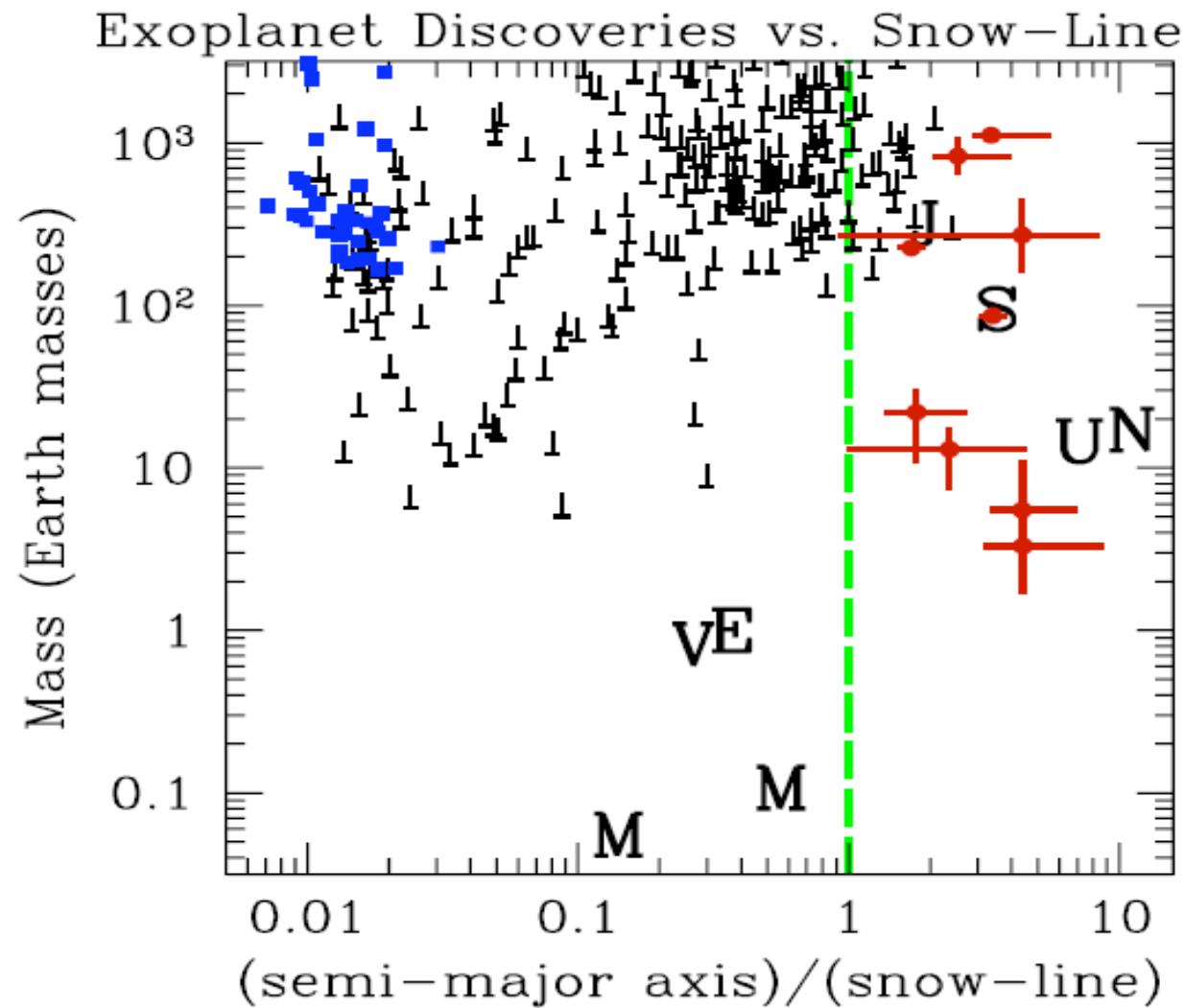
## “Buried” Jovian-Mass Planet



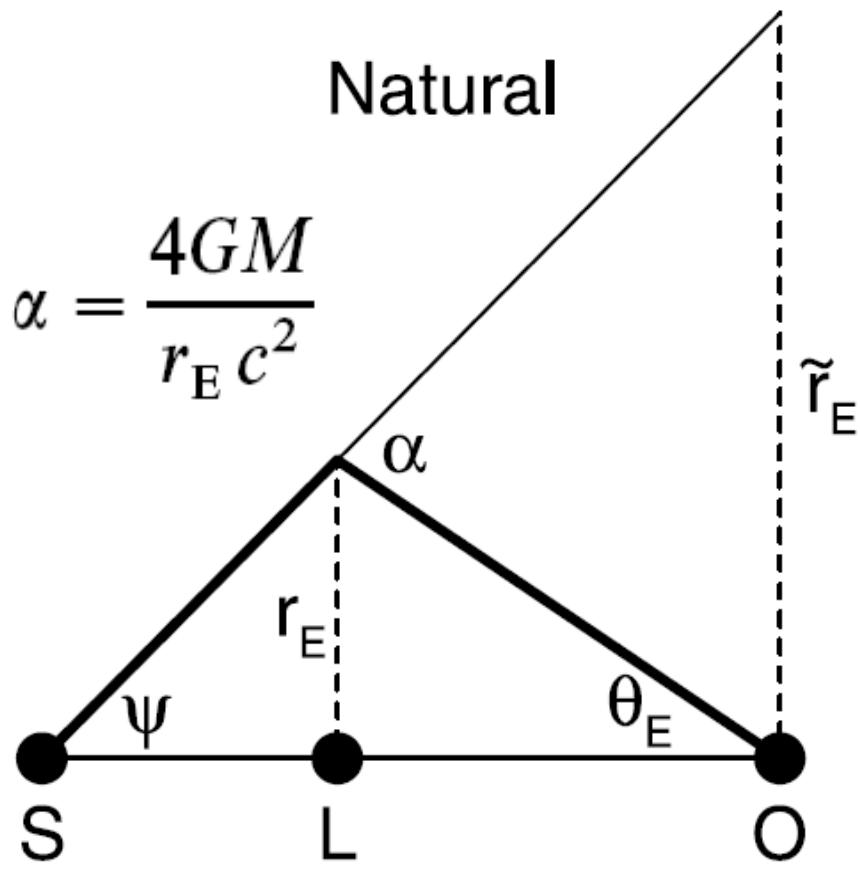
# Microlensing vs. Other Methods



# Microlensing and the “Snow Line”



# Relation of Mass and Distance to Lensing Observables



$$\alpha = \frac{4GM}{r_E c^2}$$

Natural

$$\alpha/\tilde{r}_E = \theta_E/r_E$$

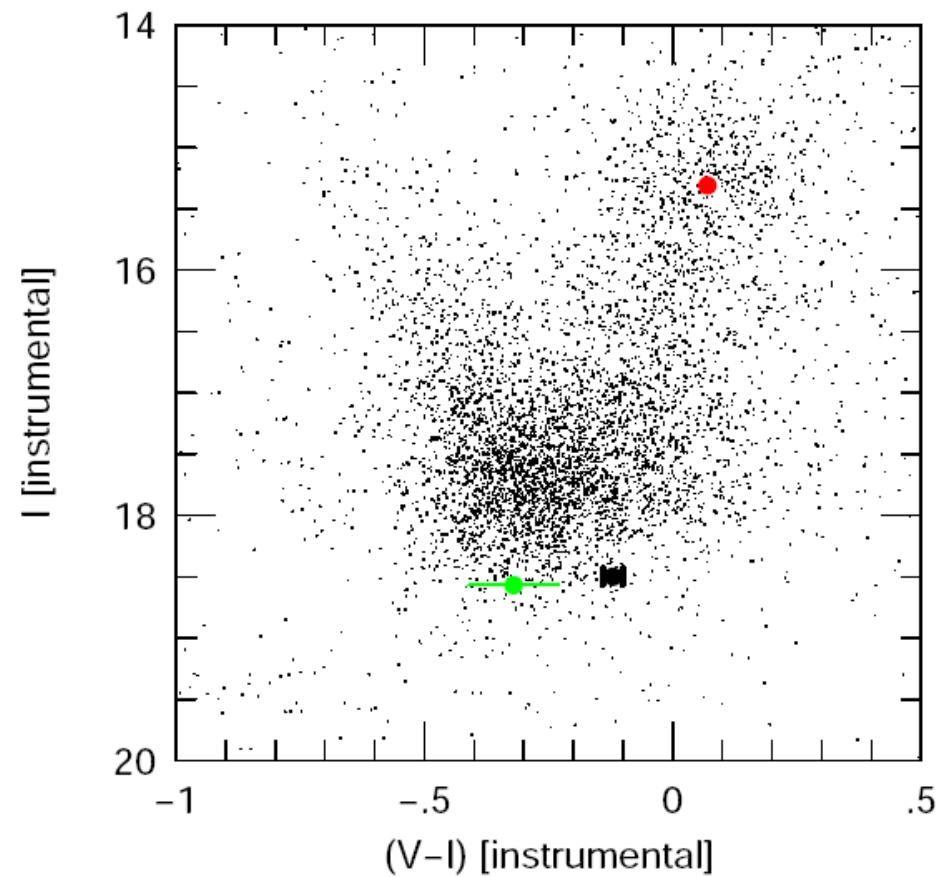
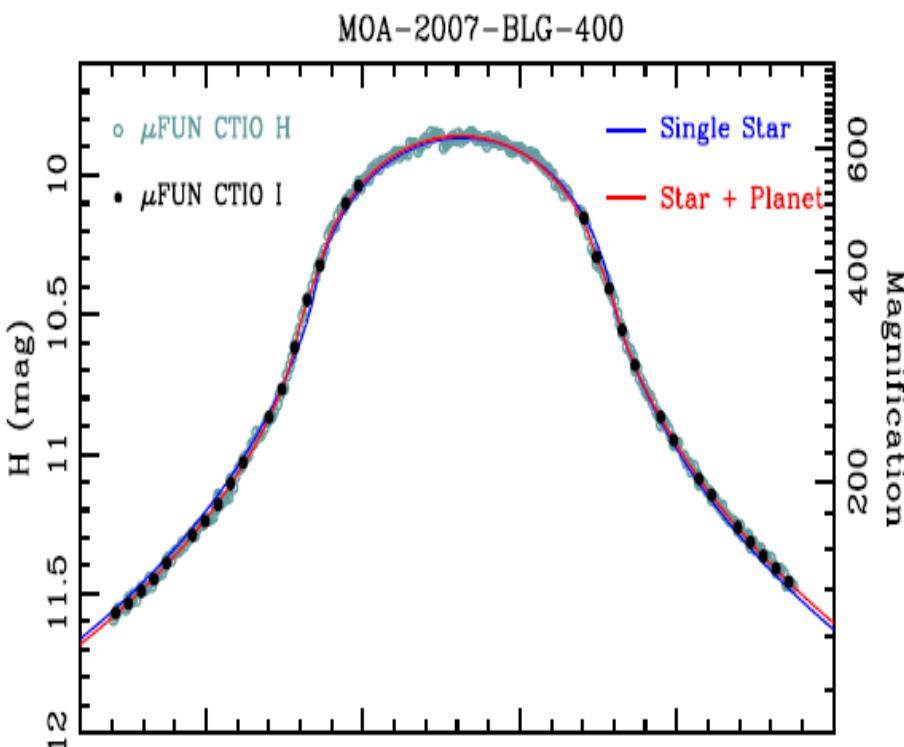
$$\theta_E \tilde{r}_E = \alpha r_E = \frac{4GM}{c^2}$$

$$\theta_E = \alpha - \psi = \frac{\tilde{r}_E}{D_l} - \frac{\tilde{r}_E}{D_s} = \frac{\tilde{r}_E}{D_{\text{rel}}}$$

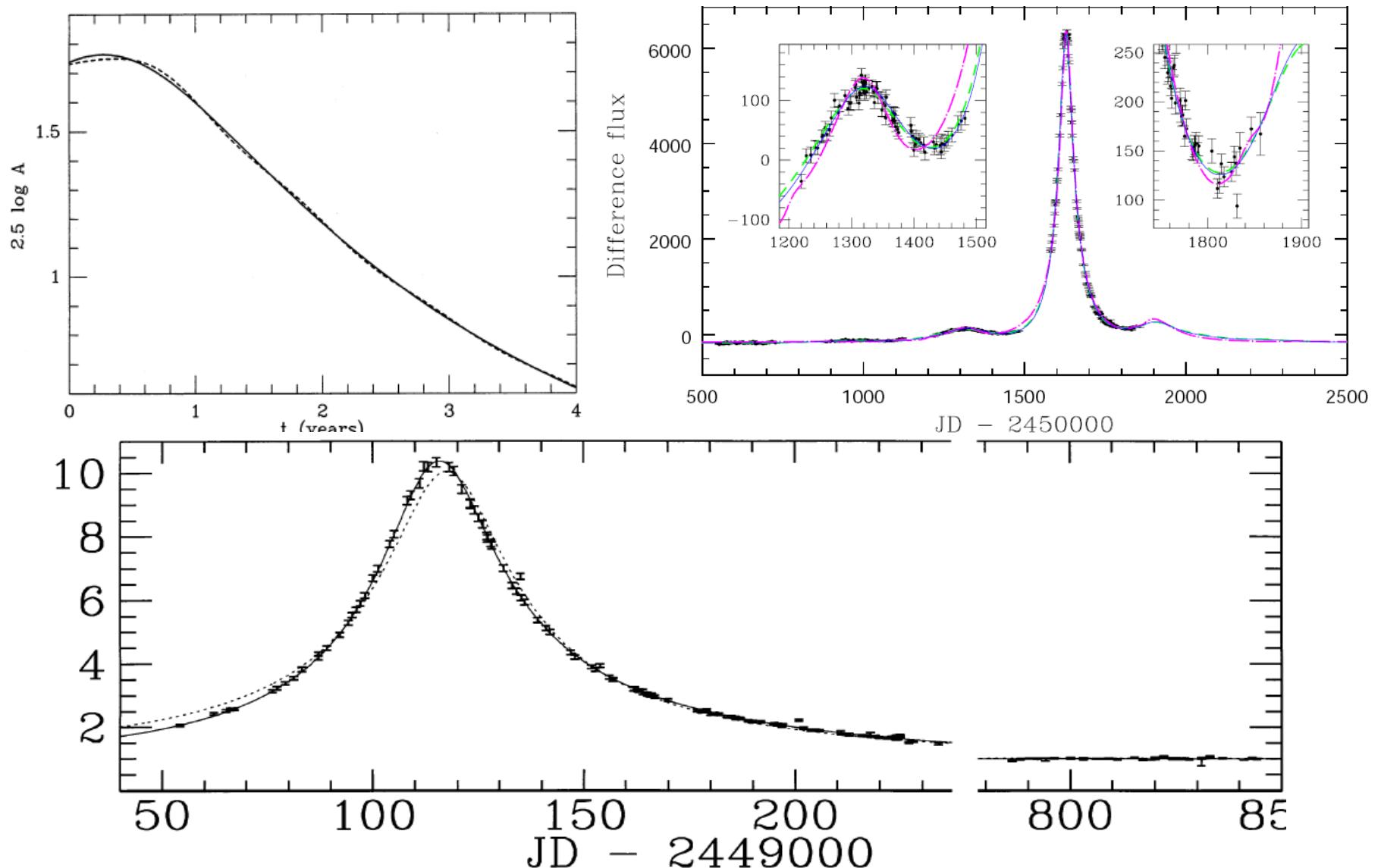
$$\tilde{r}_E = \sqrt{\frac{4GMD_{\text{rel}}}{c^2}}$$

$$\theta_E = \sqrt{\frac{4GM}{D_{\text{rel}} c^2}}$$

# To measure angular Einstein radius: Standard Sky-Plane Rulers



# To measure parallax: Standard Observer-Plane Rulers



# Another Crackpot Idea: Terrestrial Microlens Parallaxes

PHOTON STATISTICS LIMITS FOR EARTH-BASED PARALLAX MEASUREMENTS OF  
MACHO EVENTS

DANIEL E. HOLZ AND ROBERT M. WALD

Enrico Fermi Institute and Department of Physics, University of Chicago, 5640 S. Ellis Avenue, Chicago, IL 60637-1433

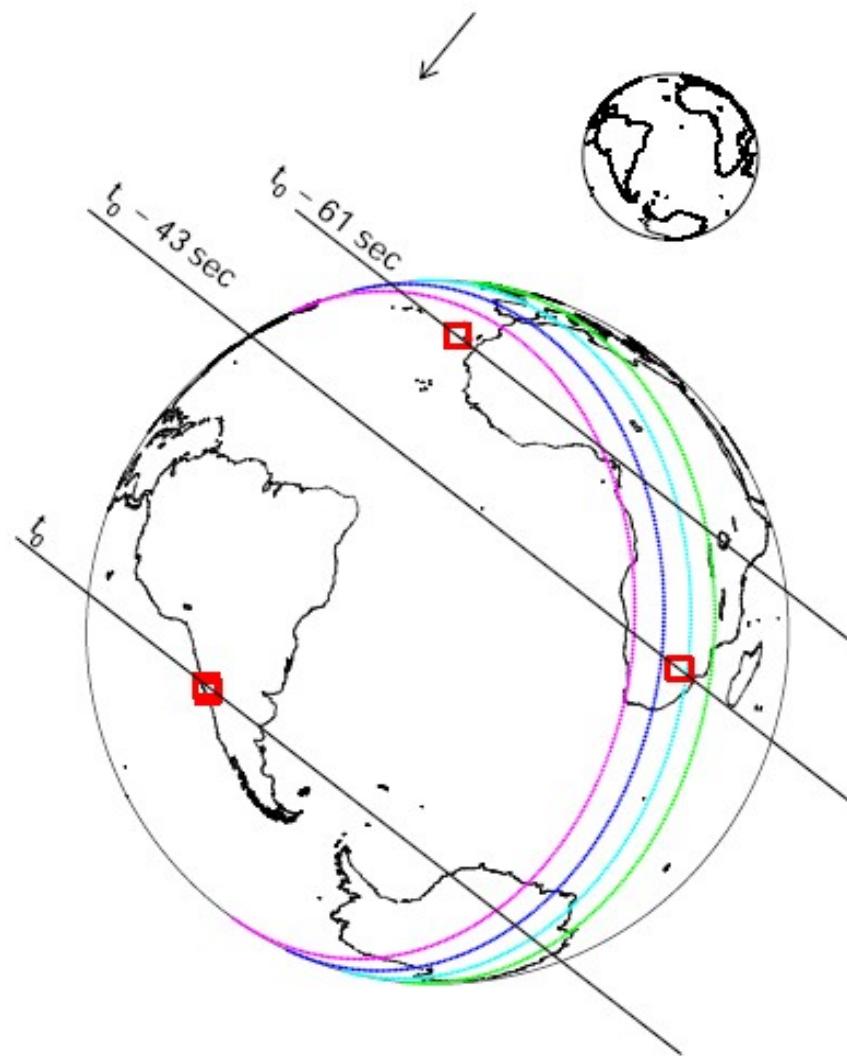
*Received 1995 March 8; accepted 1996 January 11*

## ABSTRACT

We analyze the limitations imposed by photon-counting statistics on extracting useful information about MACHOs from Earth-based parallax observations of microlensing events. We find that if one or more large (say 2.5 m) telescopes are dedicated to observing a MACHO event for several nights near maximum amplification, then it is possible, in principle, to measure the velocity of the MACHO well

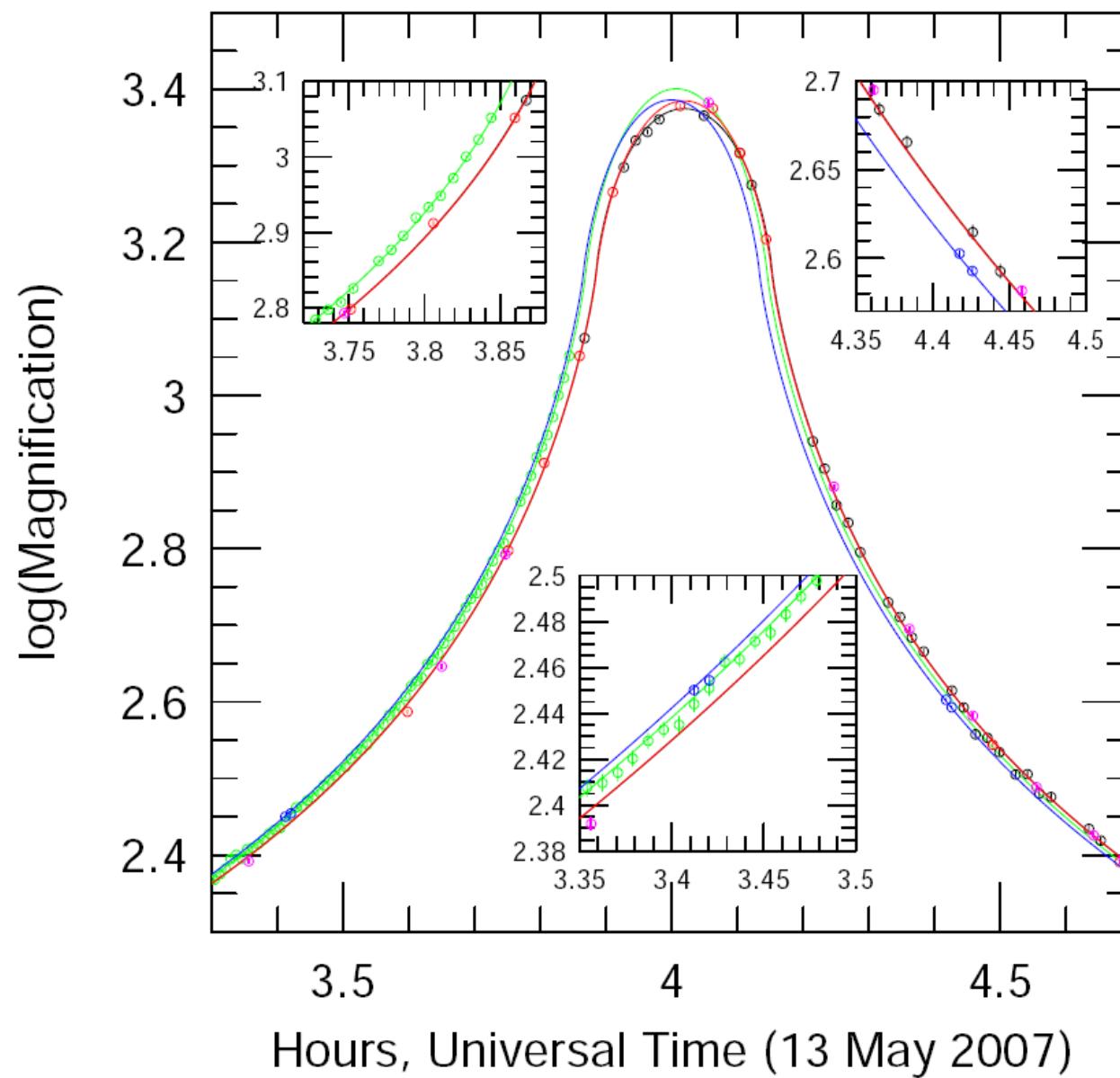
issues. We thank Andrew Gould for pointing out an error in the original version of this manuscript. This research was

# Terrestrial Parallax: Simultaneous Observations on Earth

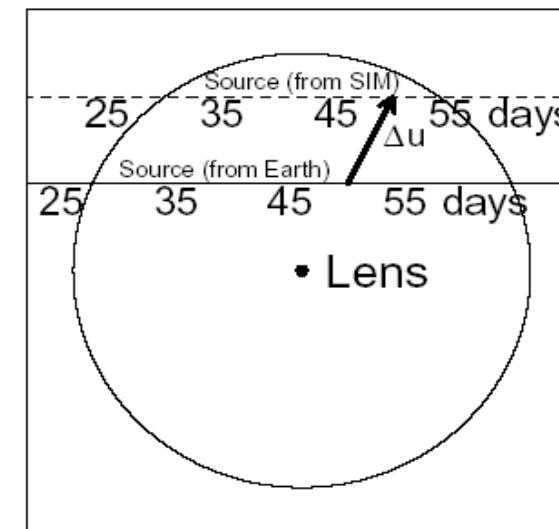
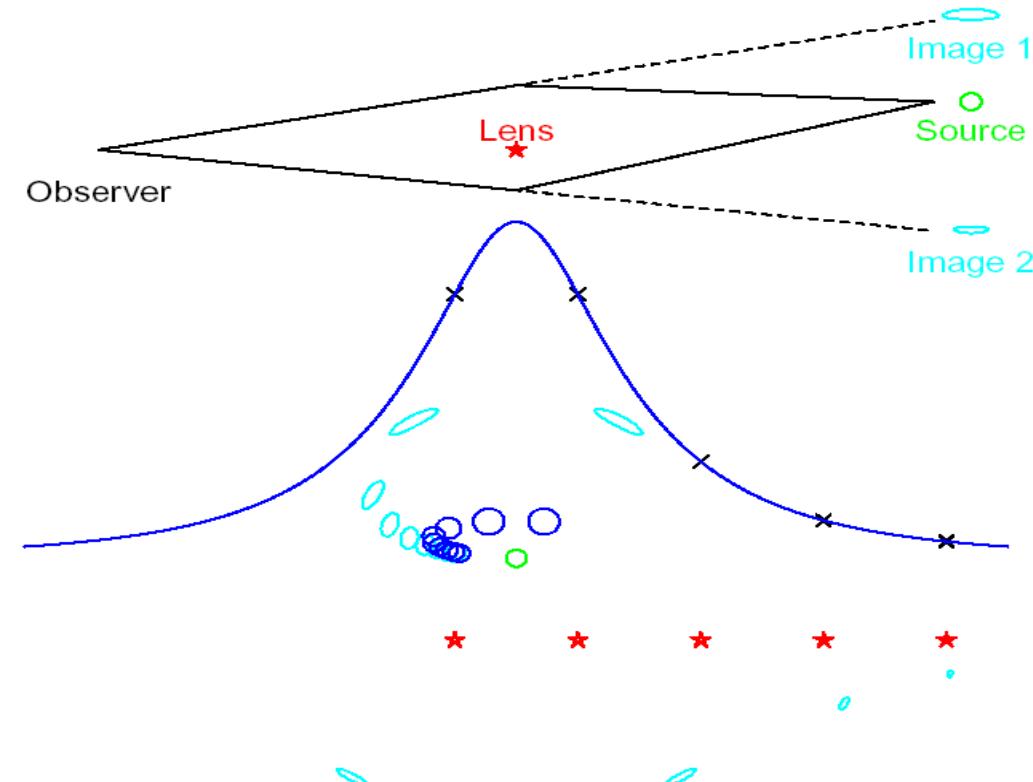
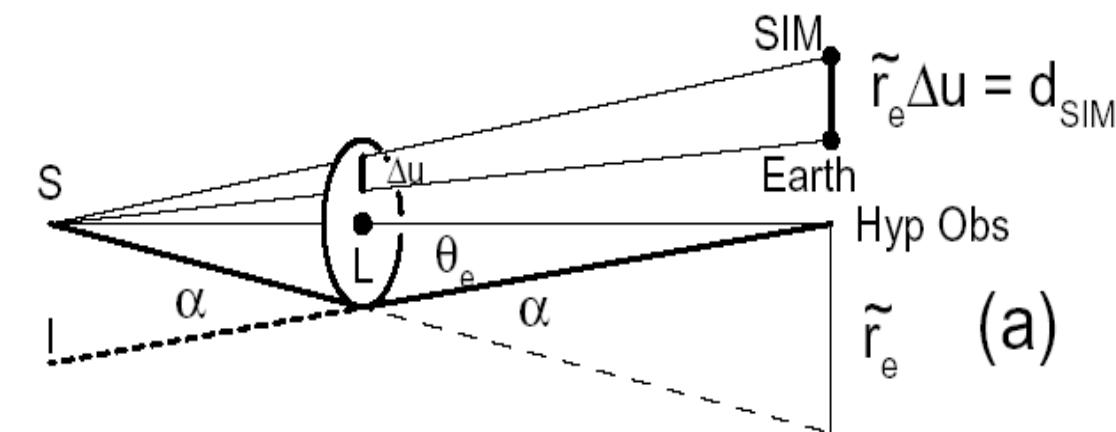


# OGLE-2007-BLG-224

Canaries South Africa Chile



# Space-Based Parallaxes & Einstein Radii : SIM

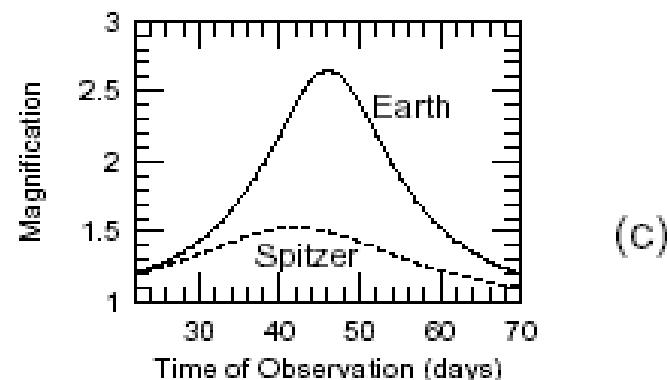
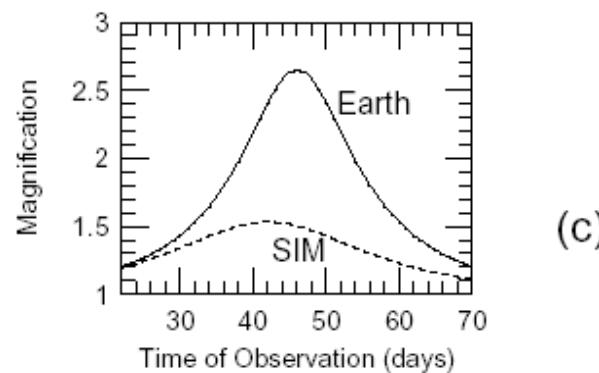
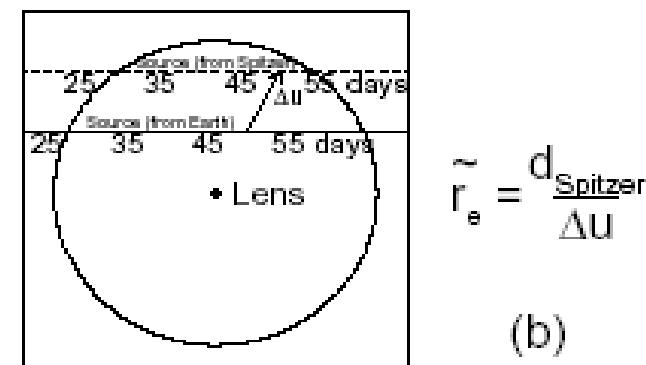
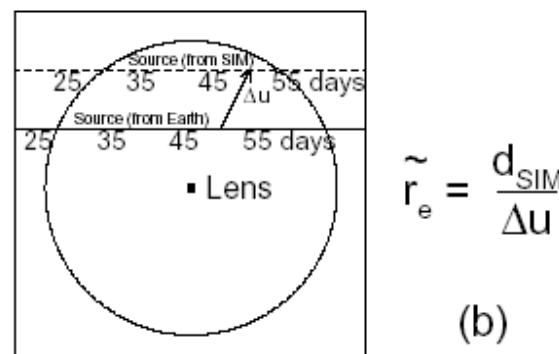
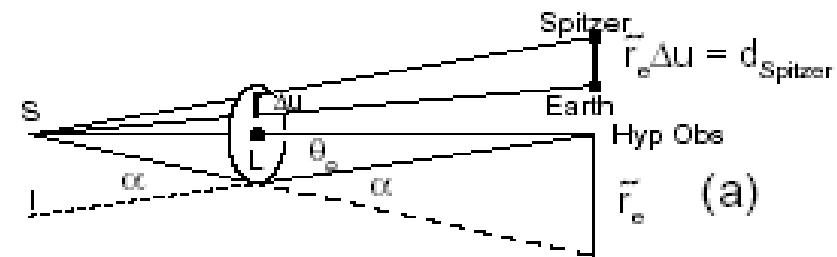
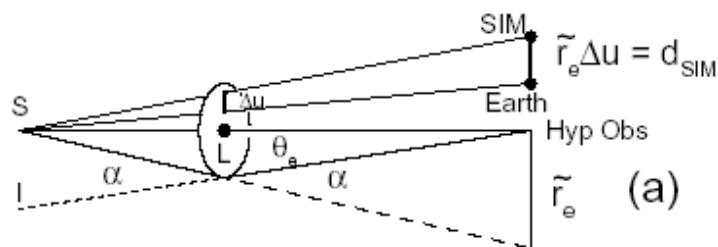


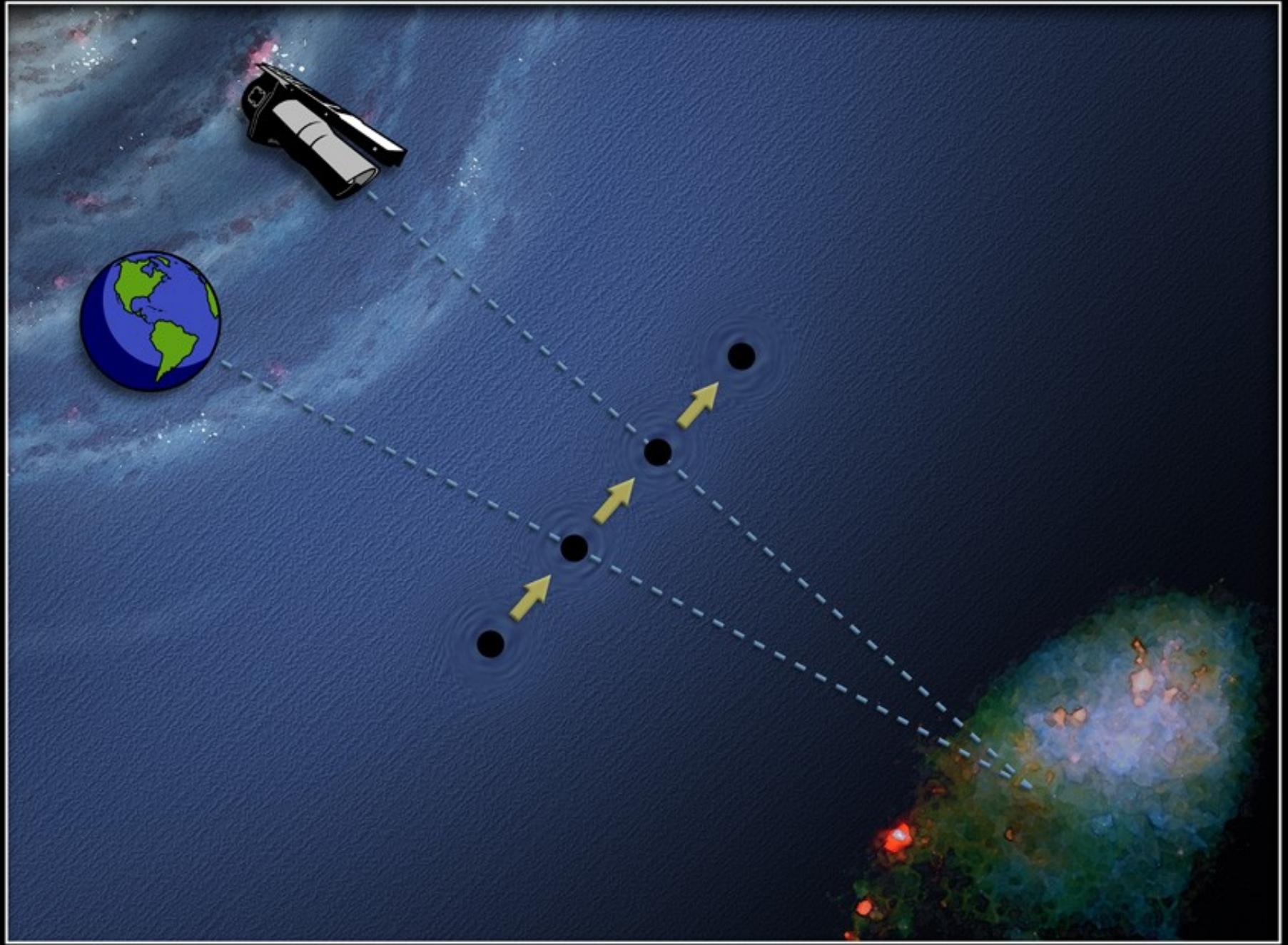
$$\tilde{r}_e = \frac{d_{\text{SIM}}}{\Delta u}$$

(b)

(c)

# ... or, more immediately: Spitzer





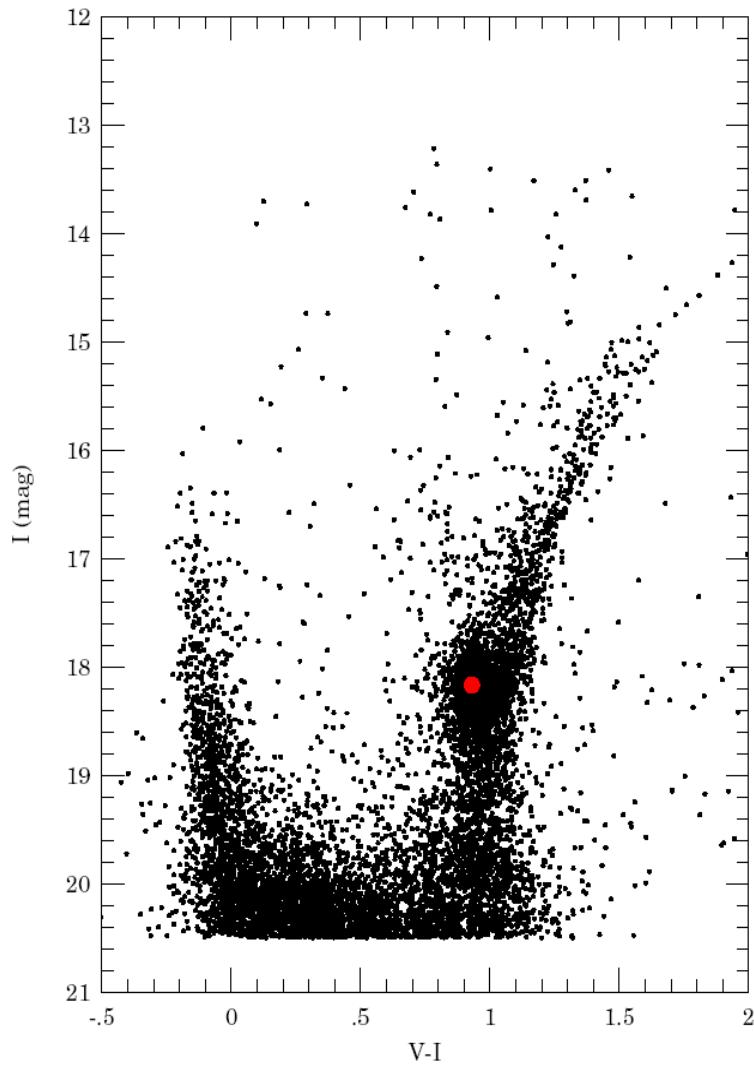
Microlens Parallax Observations of OGLE-2005-SMC-001  
NASA / JPL-Caltech / S. Dong (Ohio State University)

Spitzer Space Telescope • IRAC  
ssc2007-XX

# OGLE-2005-SMC-001

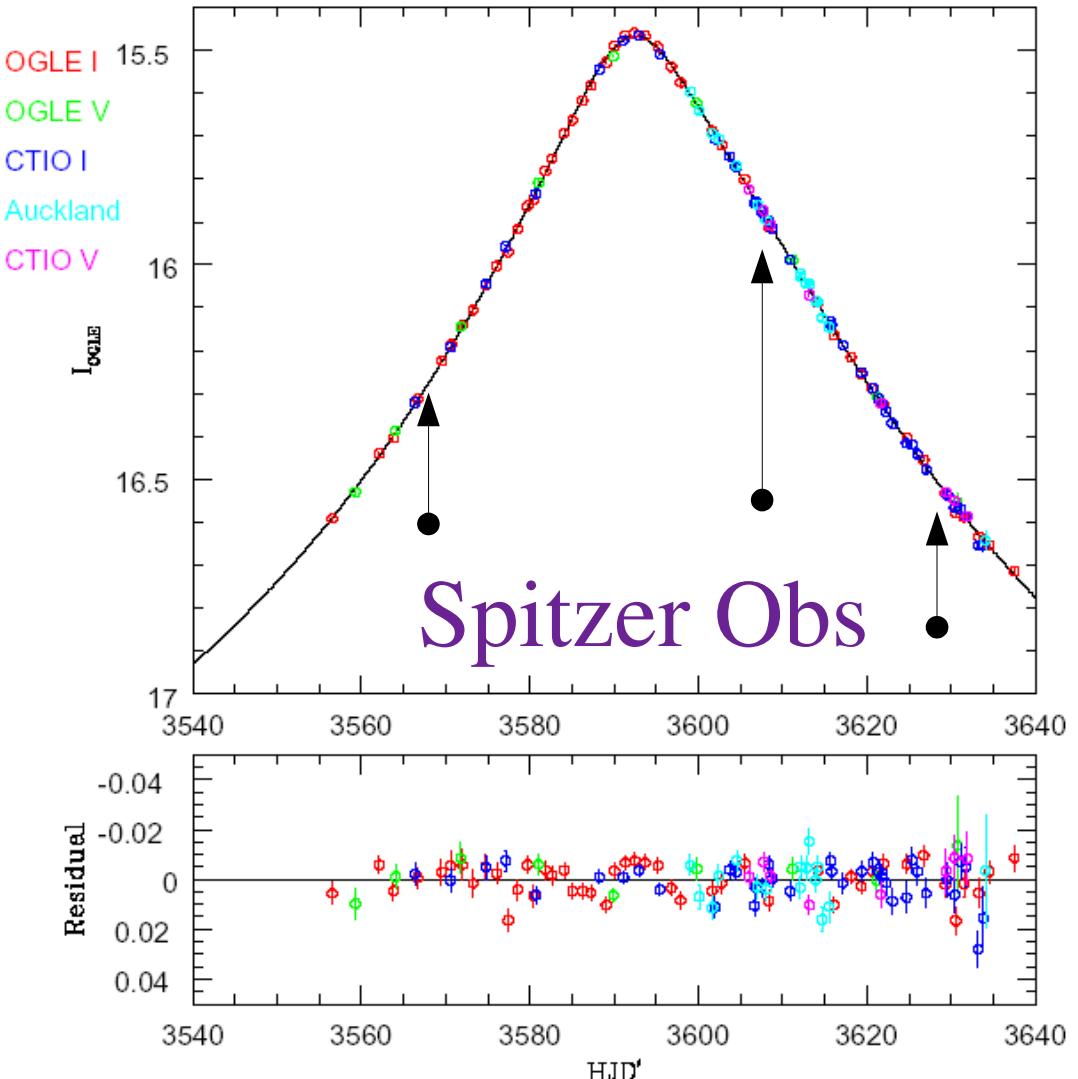
## CMD

SMC128.5 and OGLE-2005-SMC-001

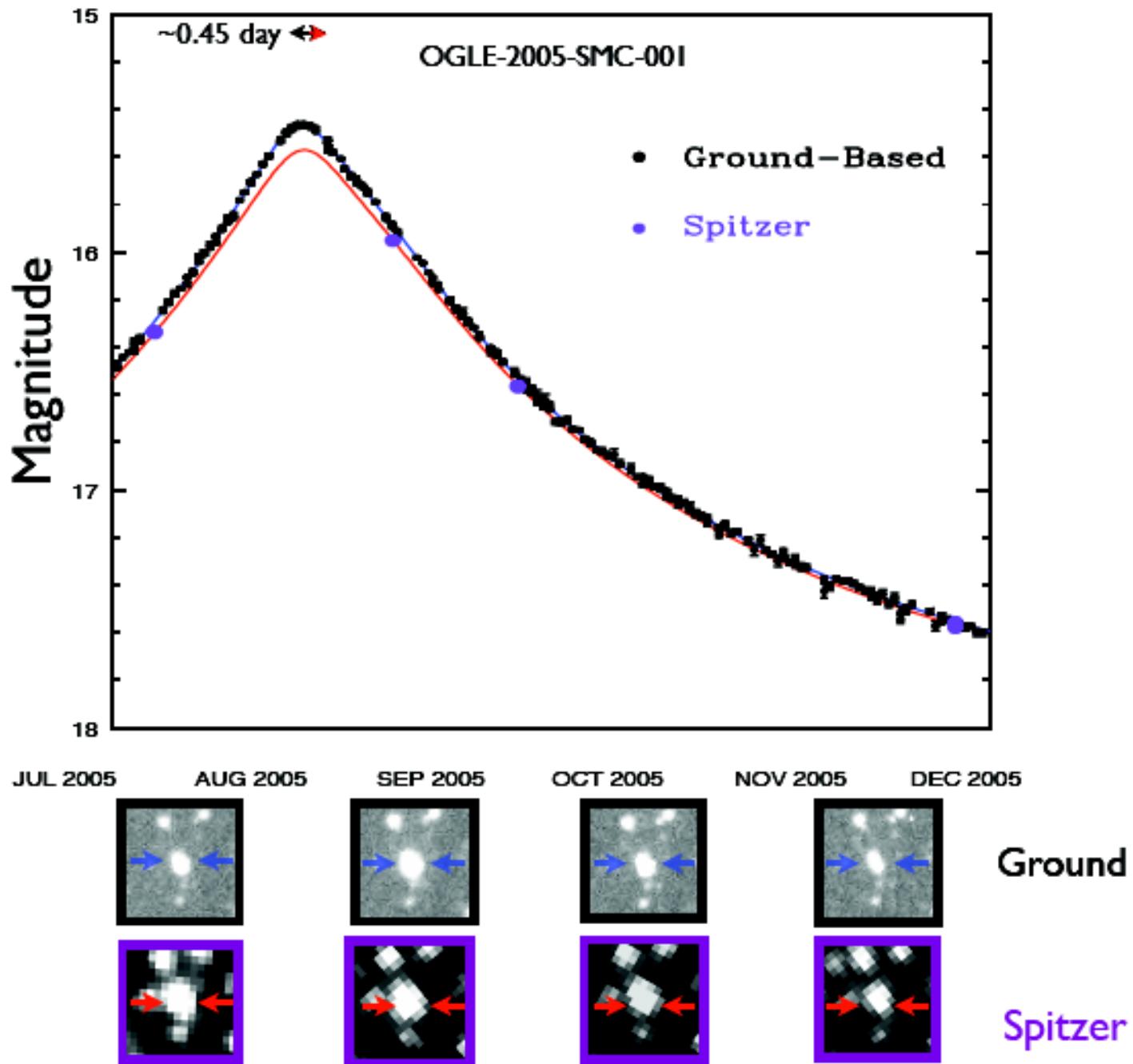


## Photometry

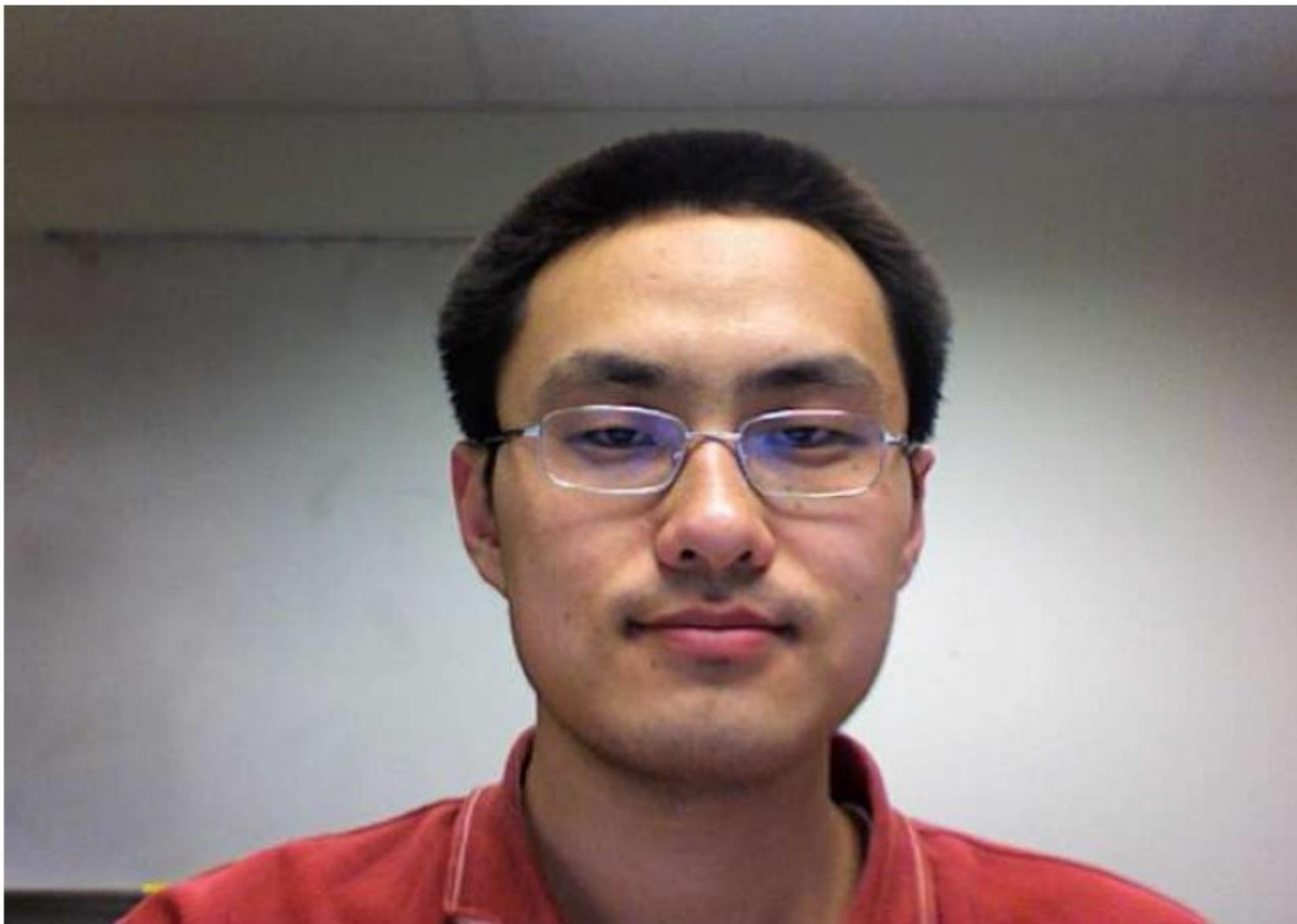
2005-SMC-1



# Microlens Parallax

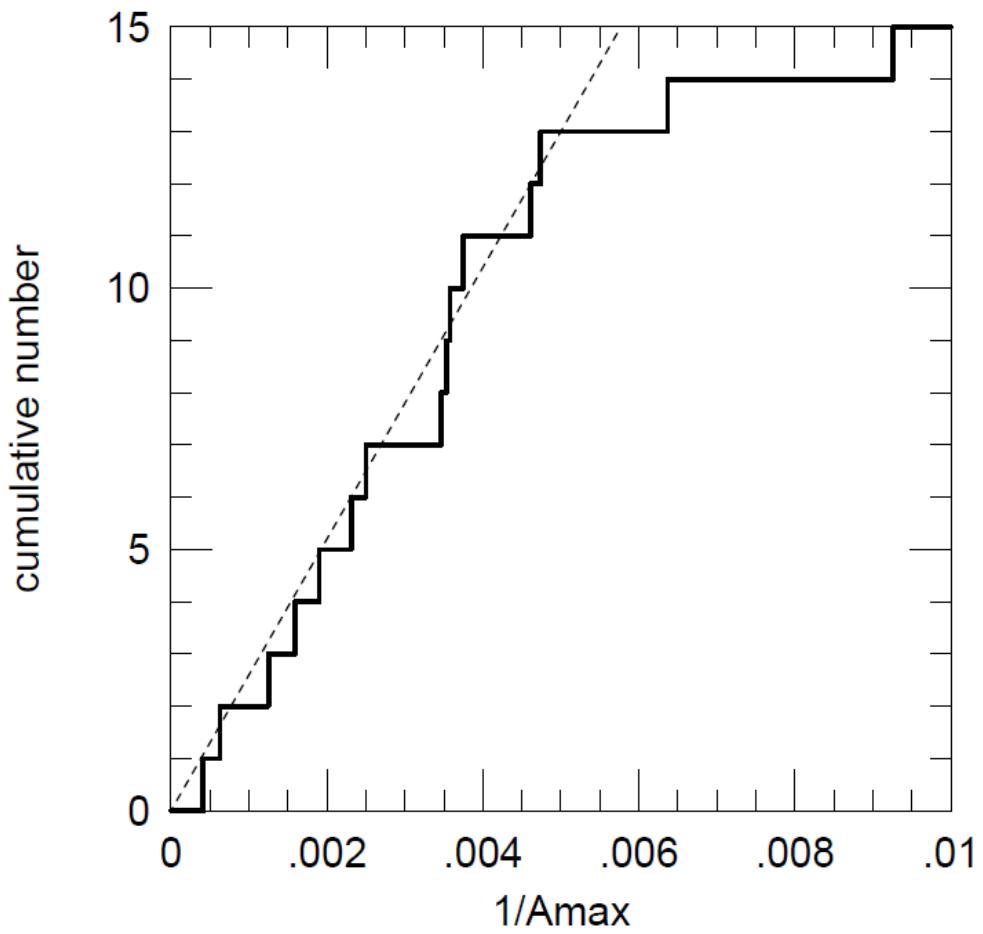


# Subo Dong

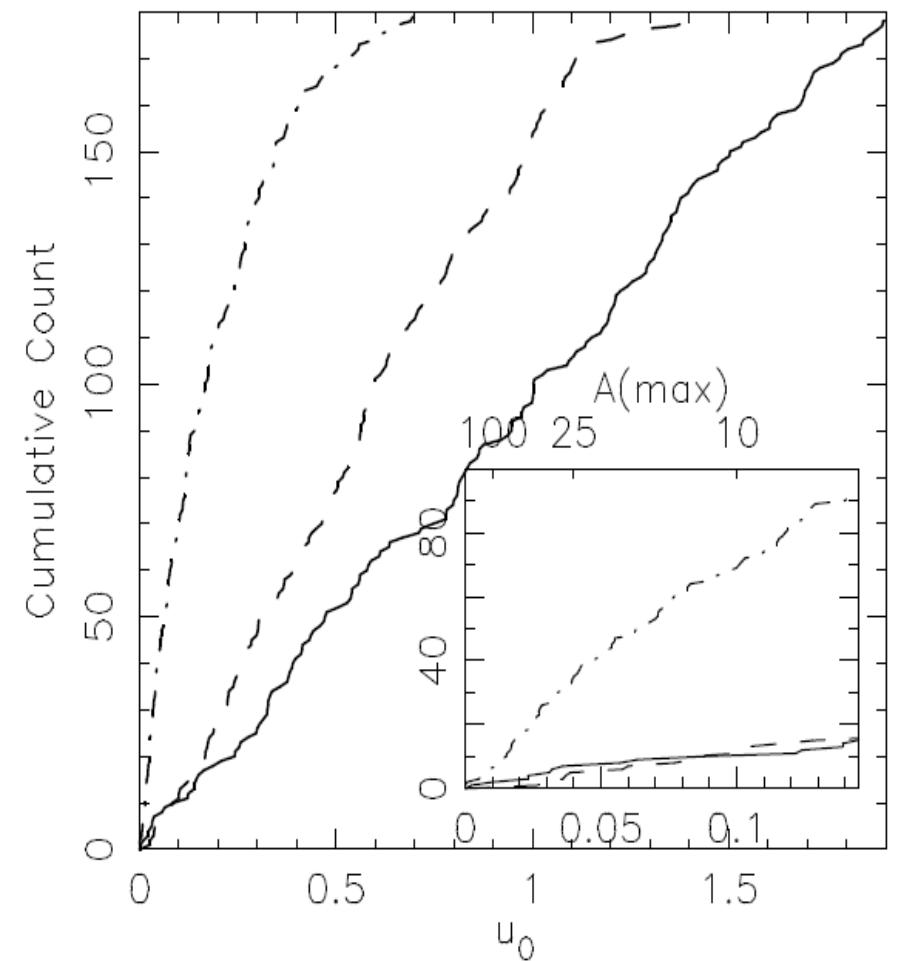


# Well-covered events: fair sample (A<sub>max</sub>>200)

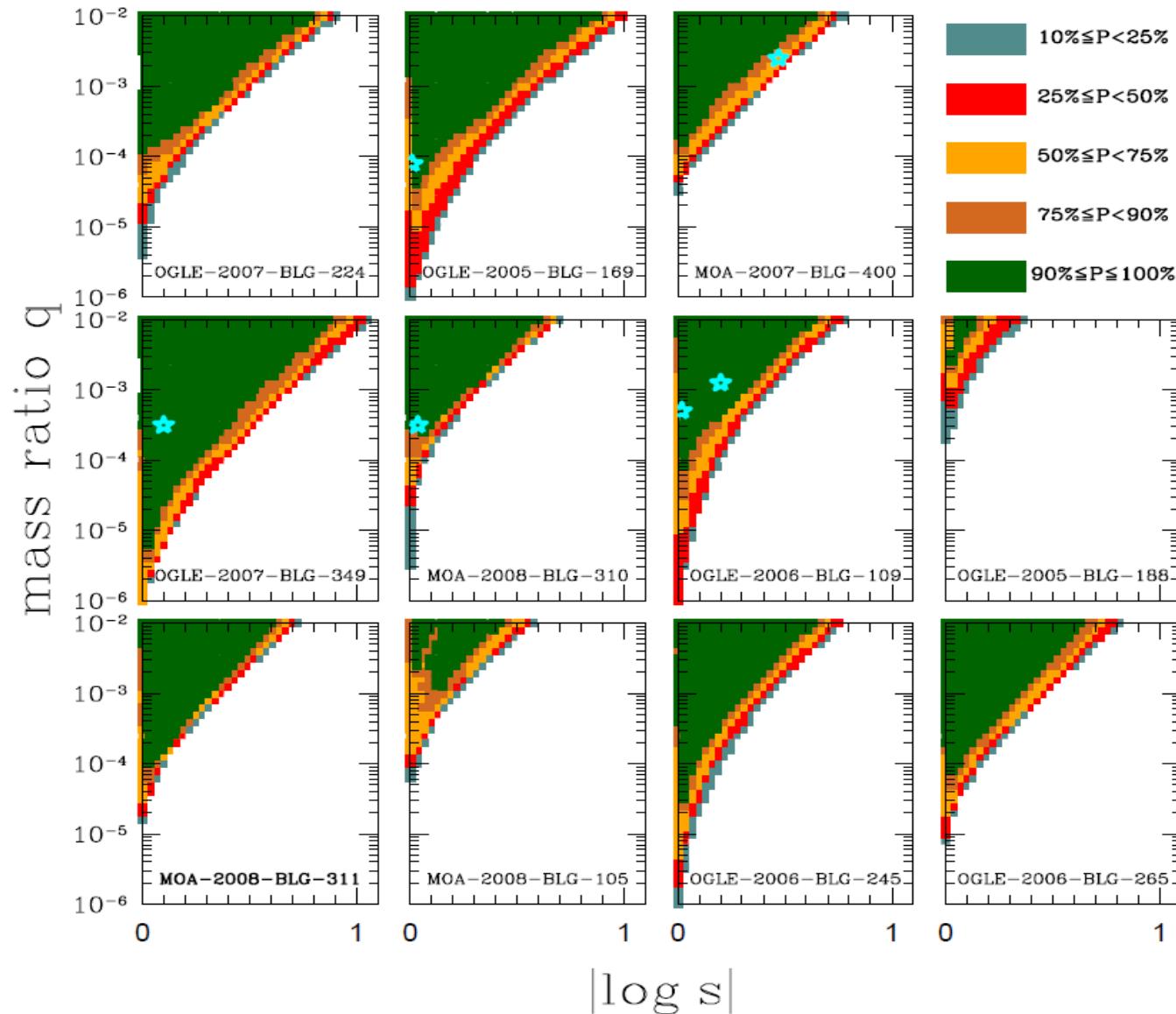
Well-Covered



All Events

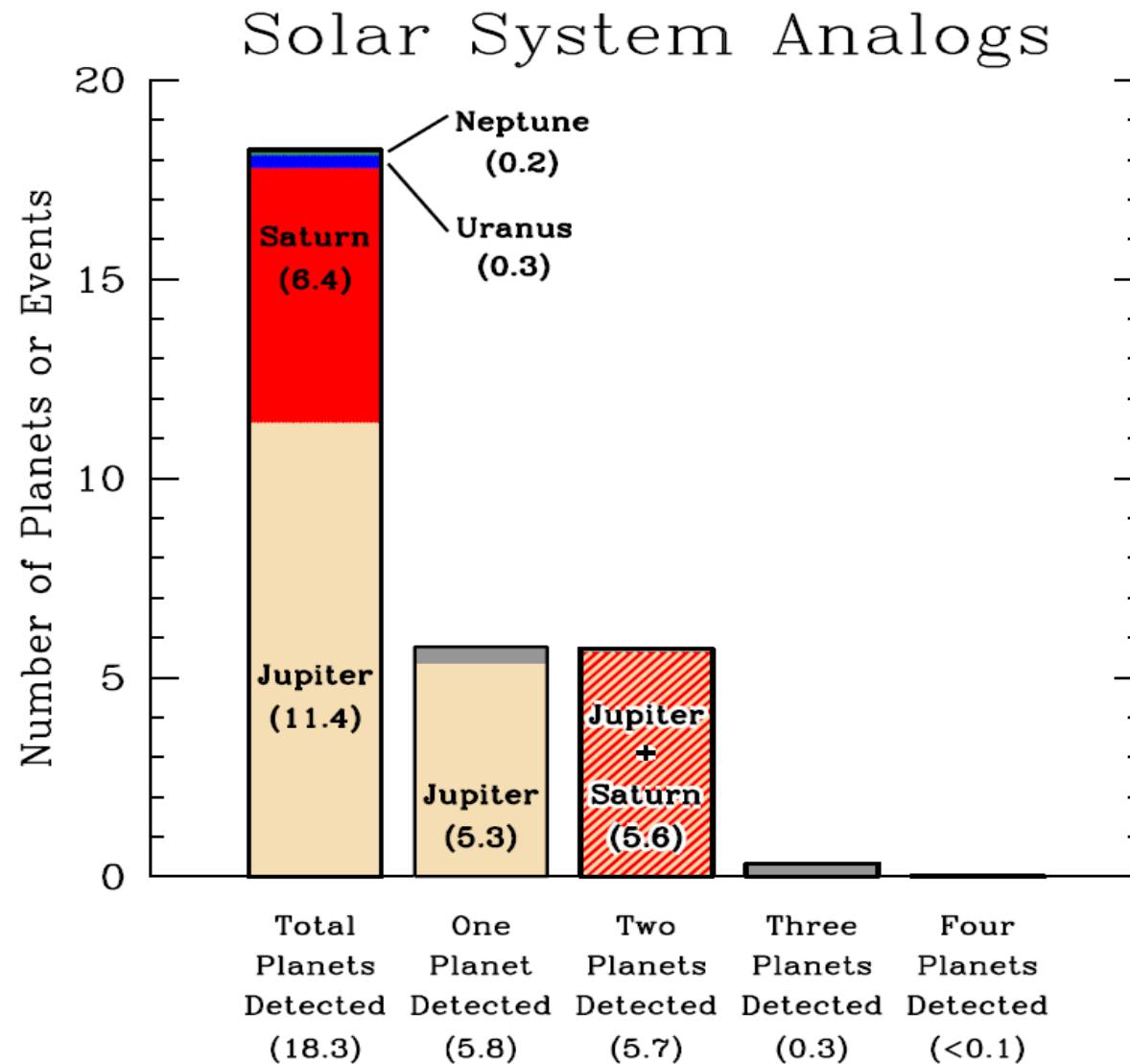


# Planet Sensitivity Vs. Detections

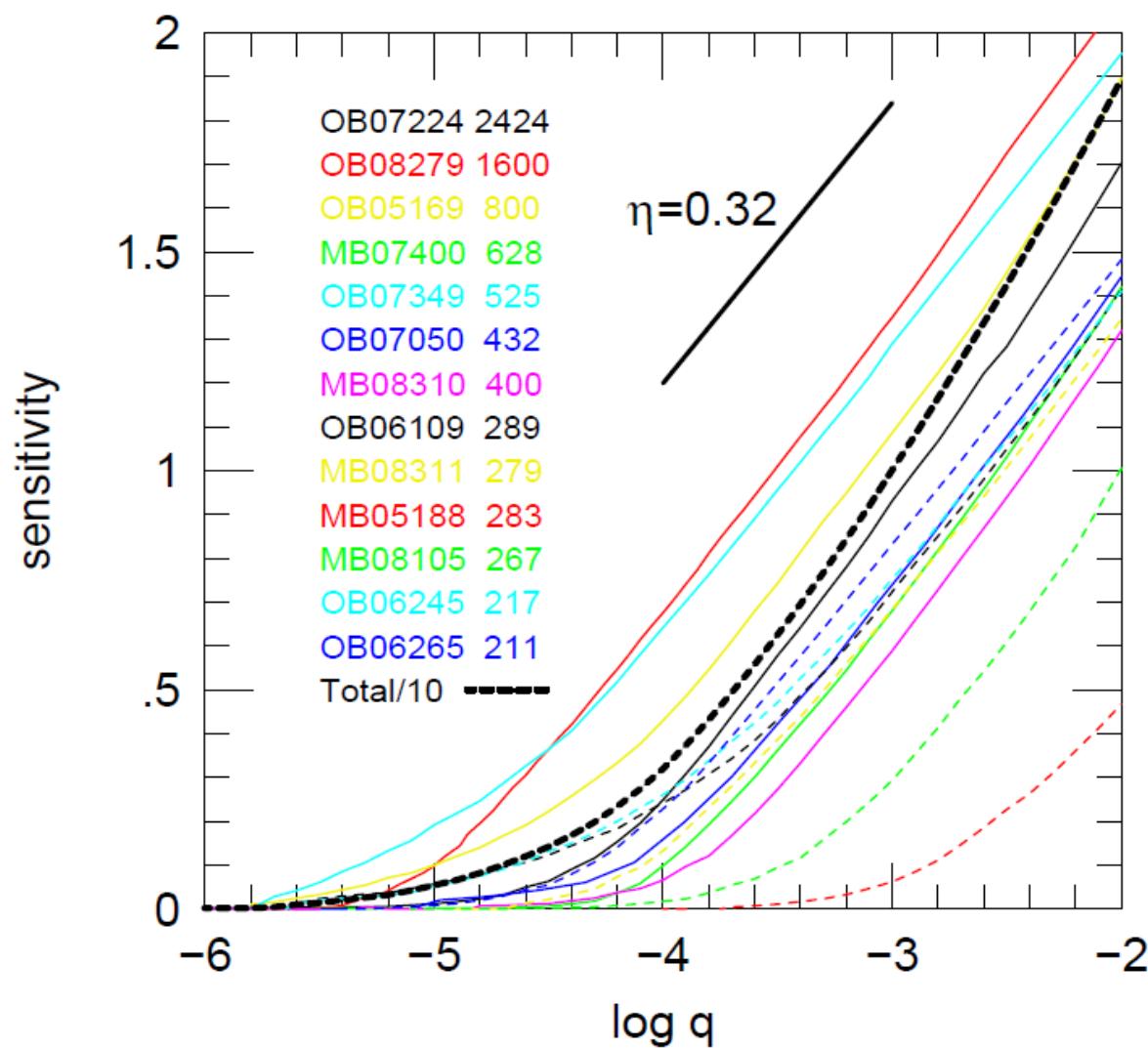


# Solar System is Richer than Average

## ... But Not Dramatically So

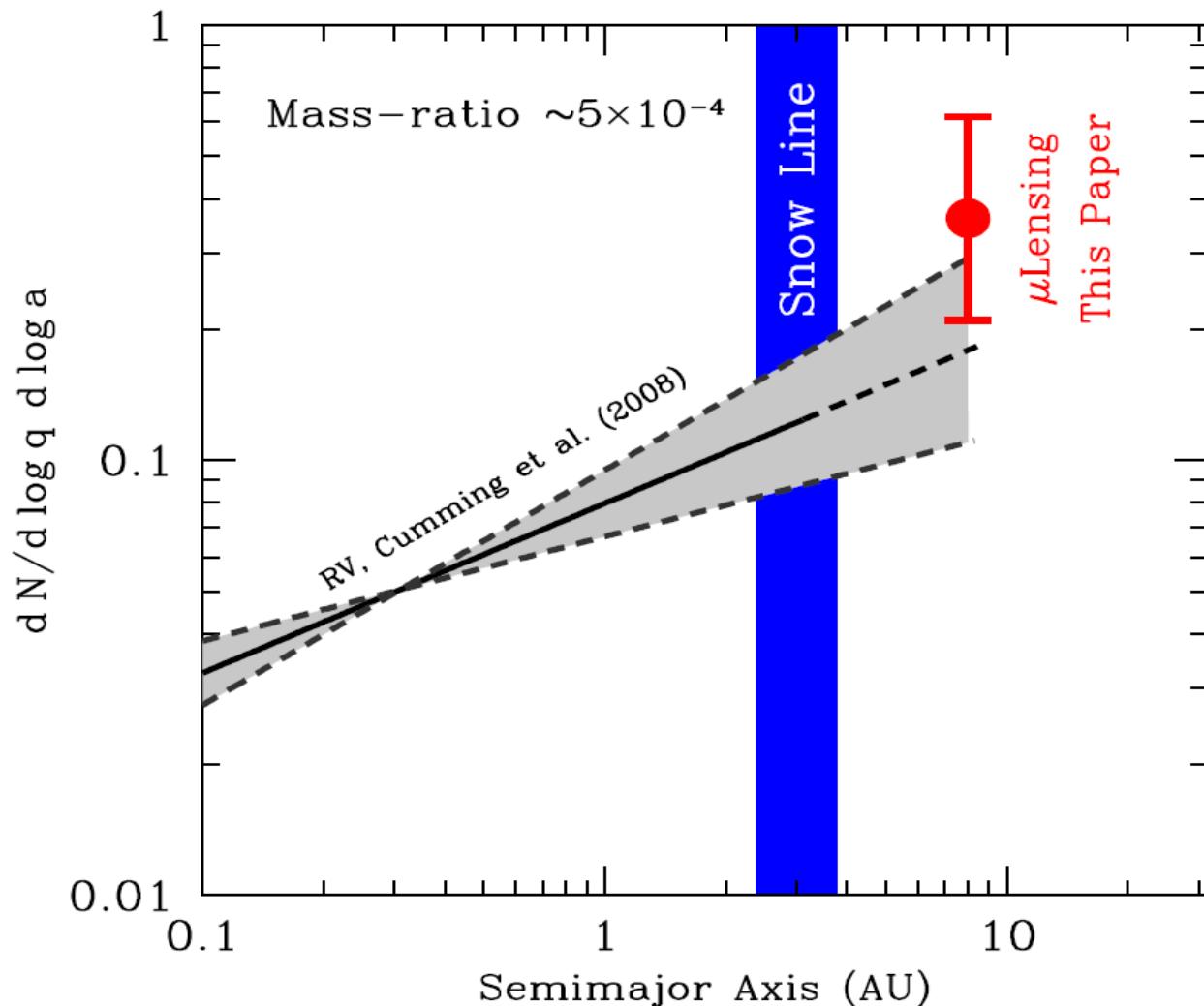


# Planet Sensitivity Vs. Mass Ratio



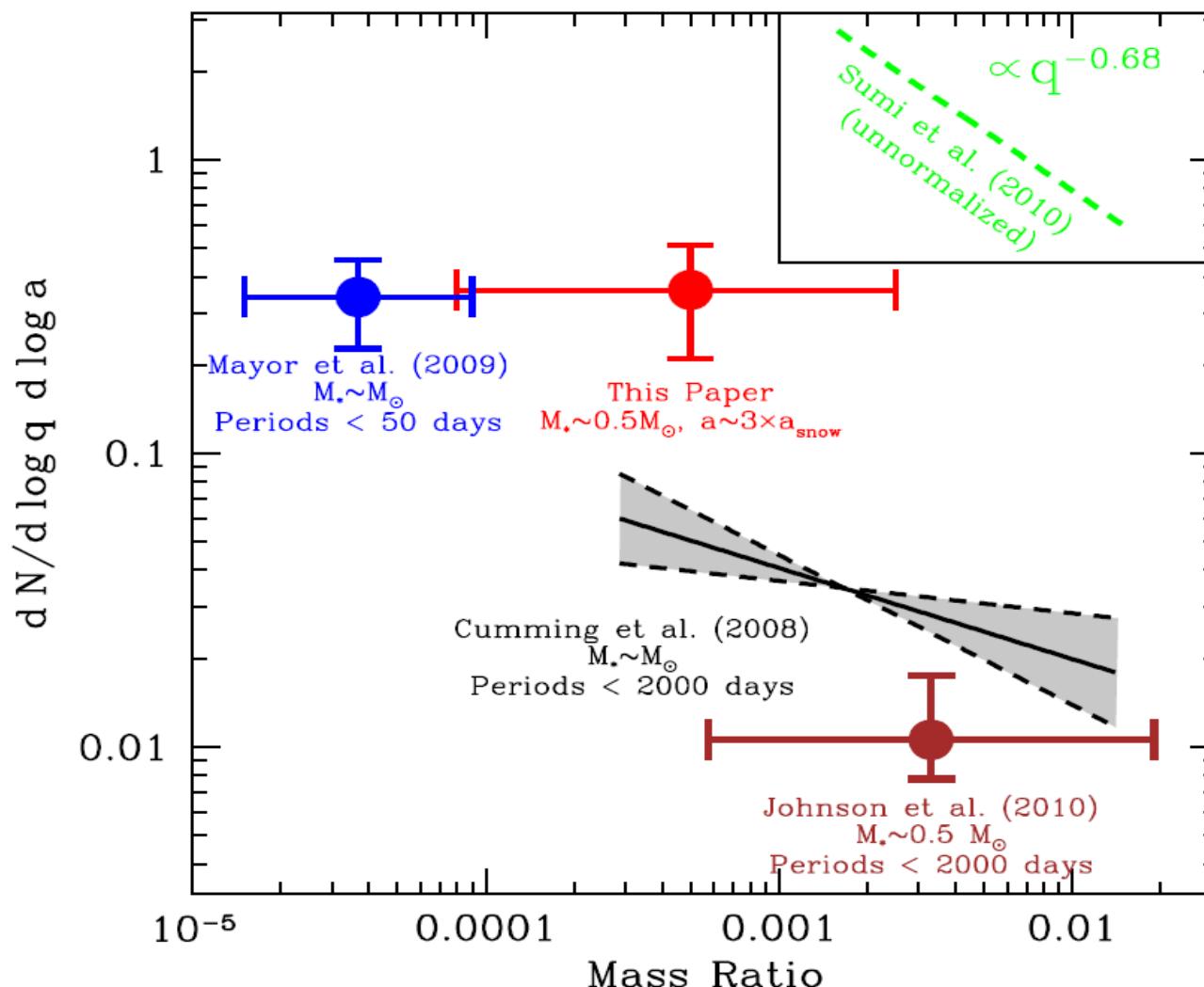
# RV & Microlensing

## Inside vs Outside Snow Line



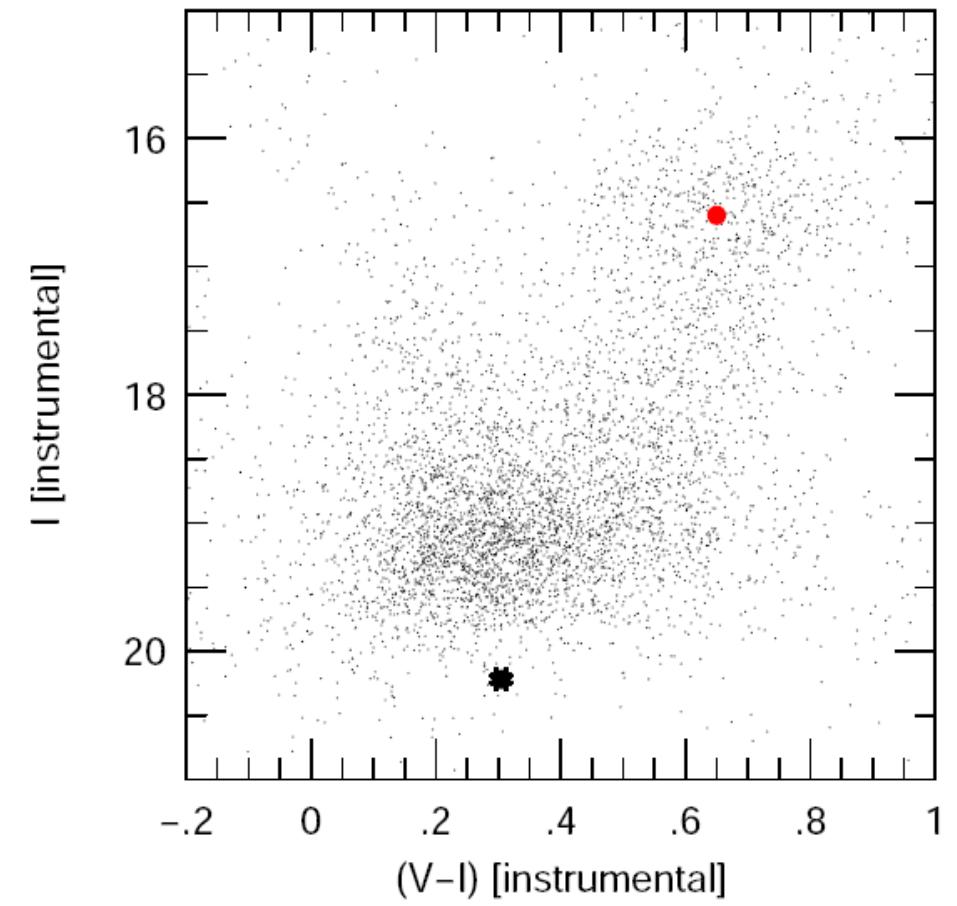
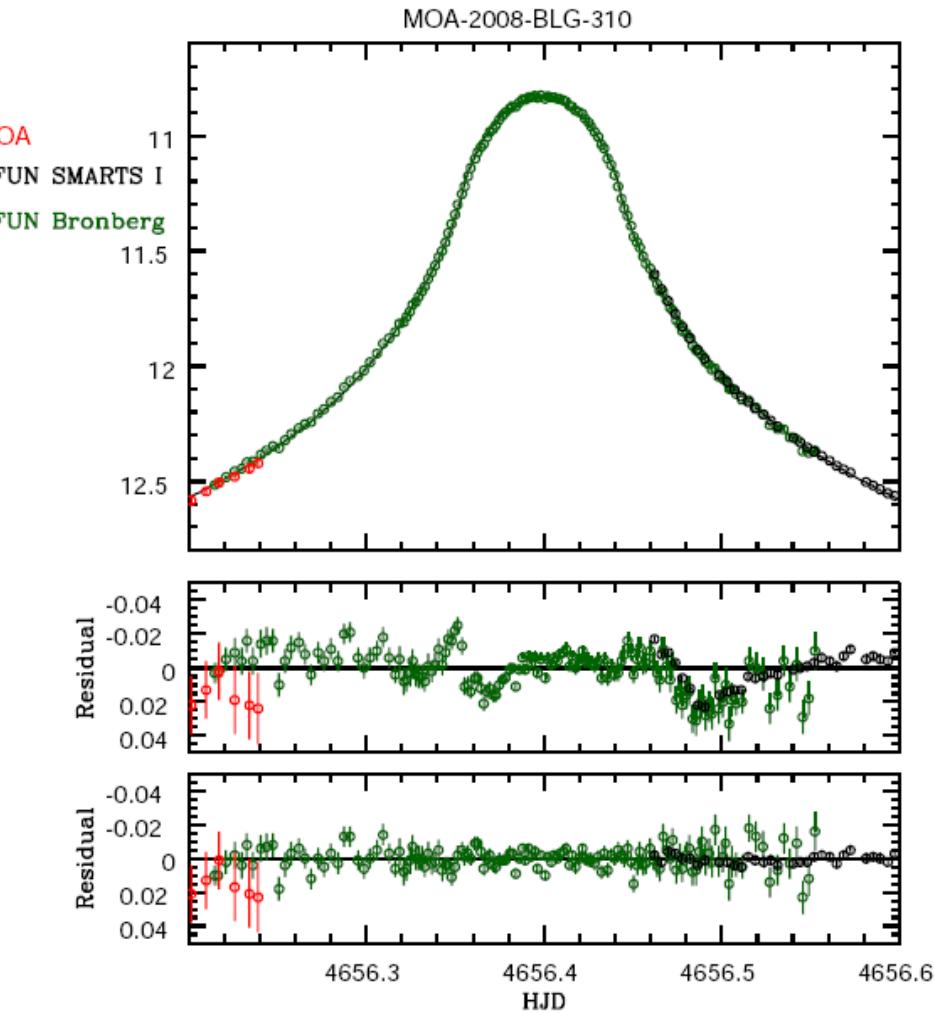
# RV & Microlensing

## Frequency vs. Mass Ratio



# MOA-2008-BLG-310

## A Verifiable Bulge Planet?



Janczak et al. 2010, ApJ, in press

# Why 5 AU?

$$\tilde{r}_E = \frac{\text{AU}}{\pi_E}; \quad \pi_E = \sqrt{\frac{\pi_{\text{rel}}}{\kappa M}}; \quad \kappa \equiv \frac{4G}{\text{AU} c^2} = 8.1 \frac{\text{mas}}{M_\odot}$$

“Typical” disk lens

$$\tilde{r}_E = 5.7 \text{ AU} \left( \frac{M}{0.5 M_\odot} \right)^{1/2} \left( \frac{\pi_{\text{rel}}}{125 \mu\text{as}} \right)^{-1/2}$$

“Typical” bulge lens

$$\tilde{r}_E = 16 \text{ AU} \left( \frac{M}{0.5 M_\odot} \right)^{1/2} \left( \frac{\pi_{\text{rel}}}{16 \mu\text{as}} \right)^{-1/2}$$

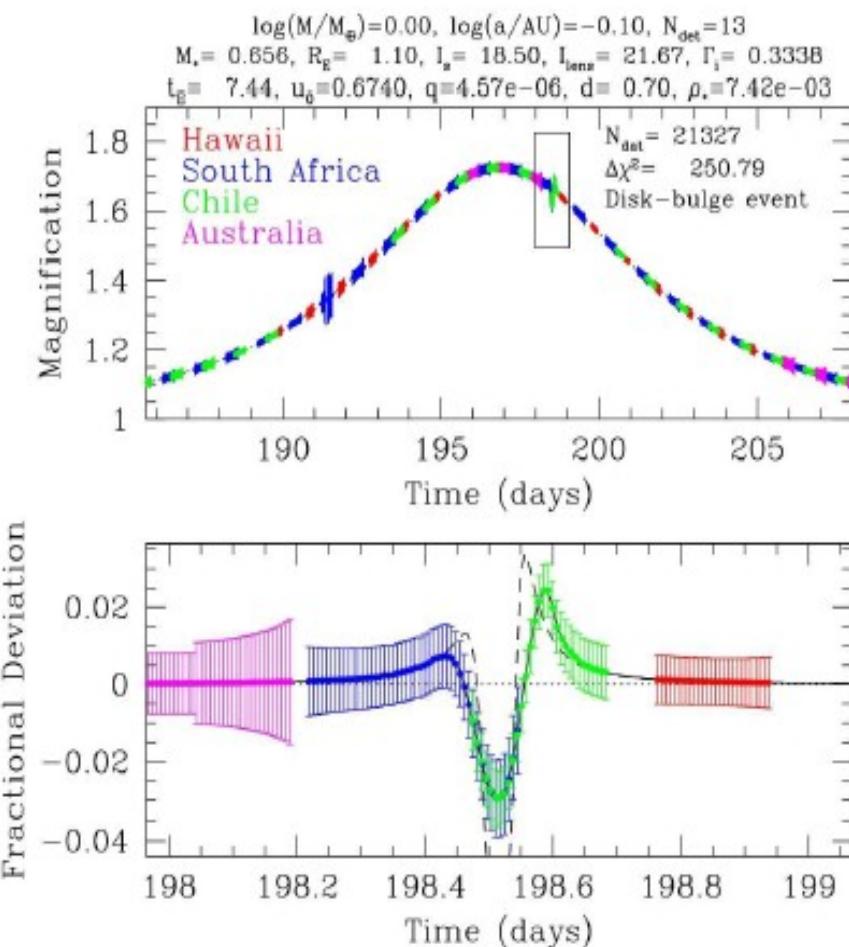
“Extreme” bulge lens

$$\tilde{r}_E = 30 \text{ AU} \left( \frac{M}{0.5 M_\odot} \right)^{1/2} \left( \frac{\pi_{\text{rel}}}{4.5 \mu\text{as}} \right)^{-1/2}$$

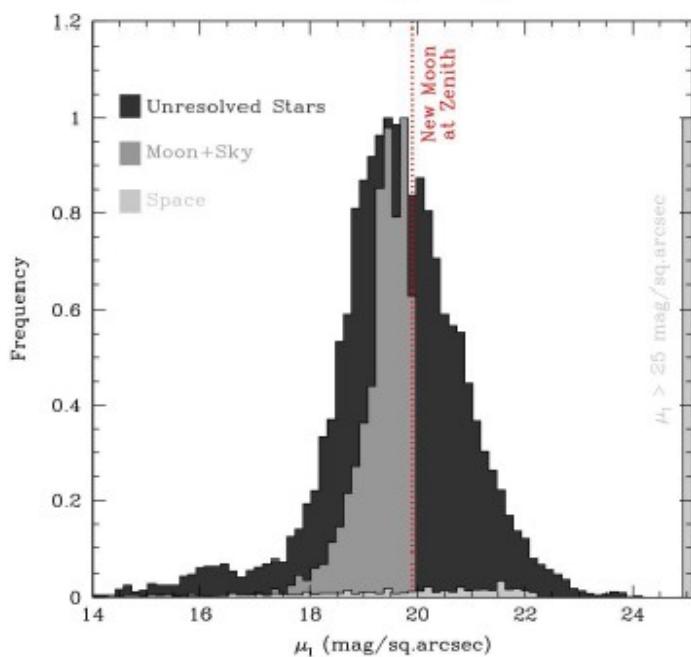
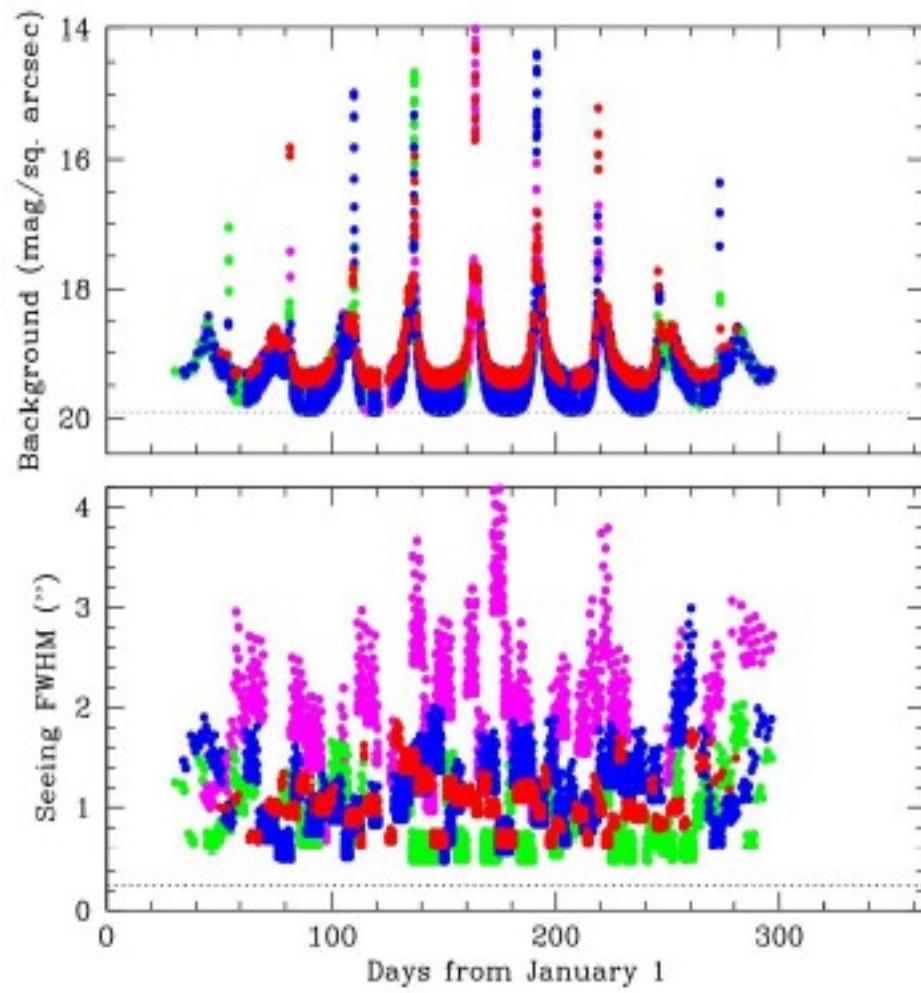
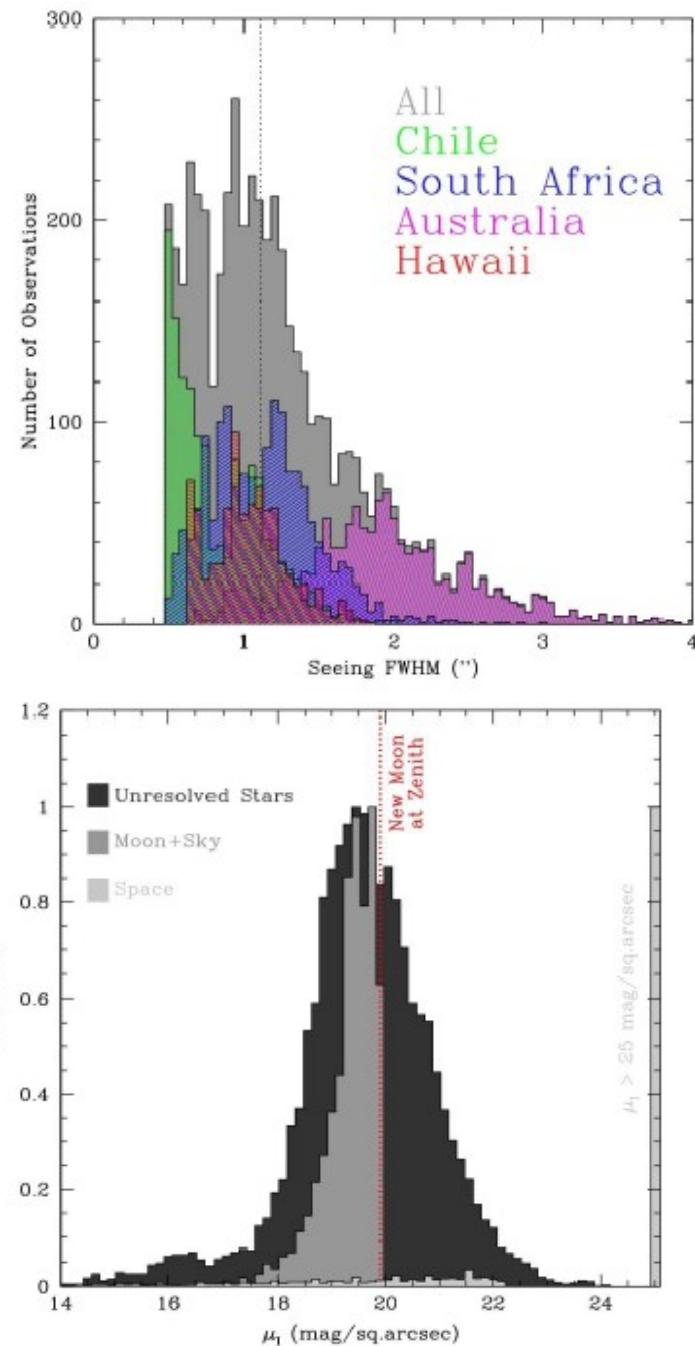
# NextGen Microlensing Planet Search

## Simulations by Scott Gaudi

- 4 observatories
- 2m class telescopes
- 4 sq.deg. cameras
- Realistic seeing & weather
- photon-limited statistics  
down to systematics limit

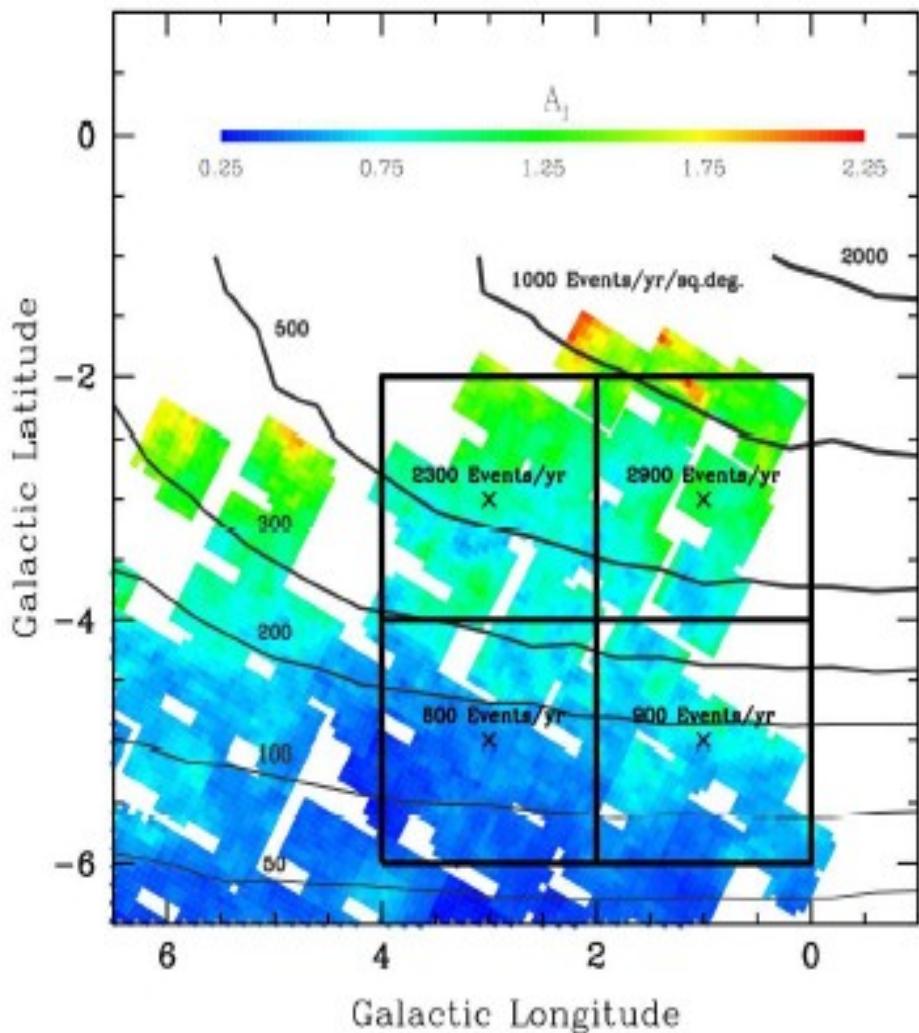


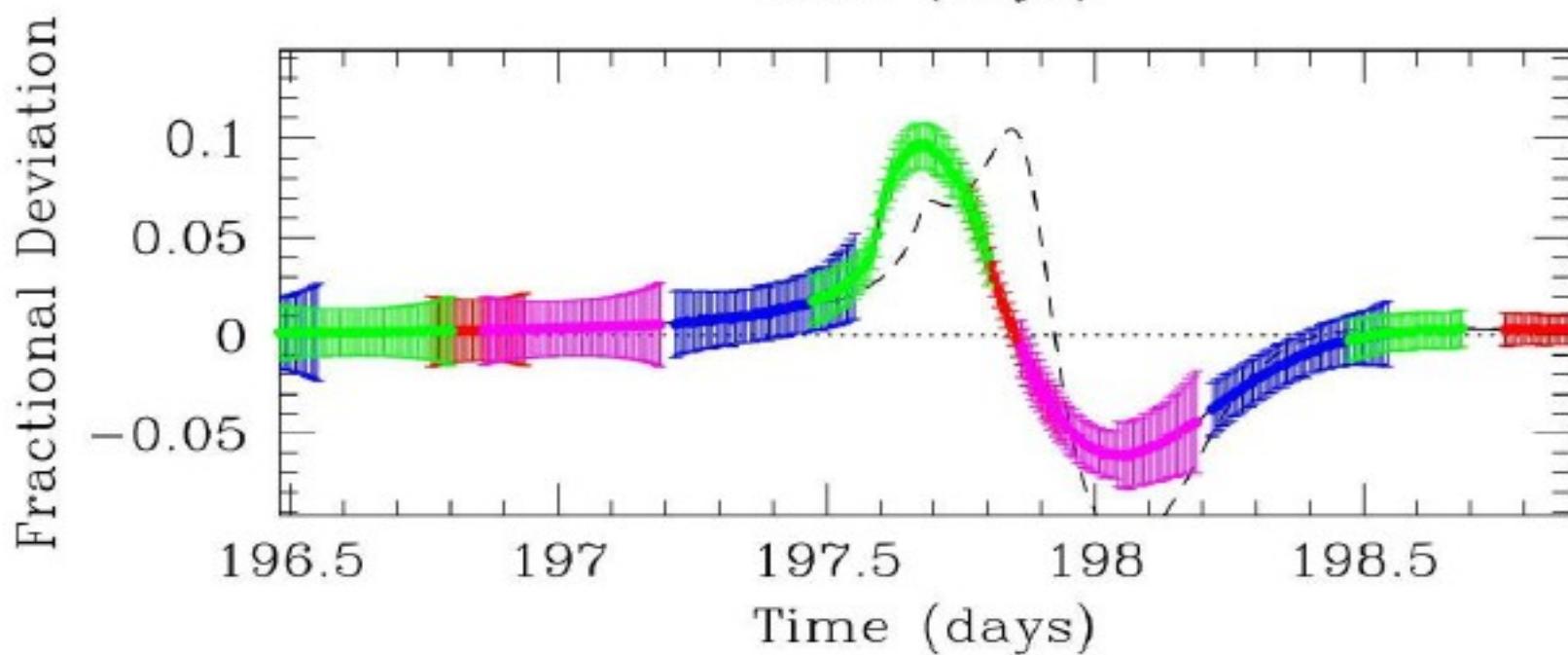
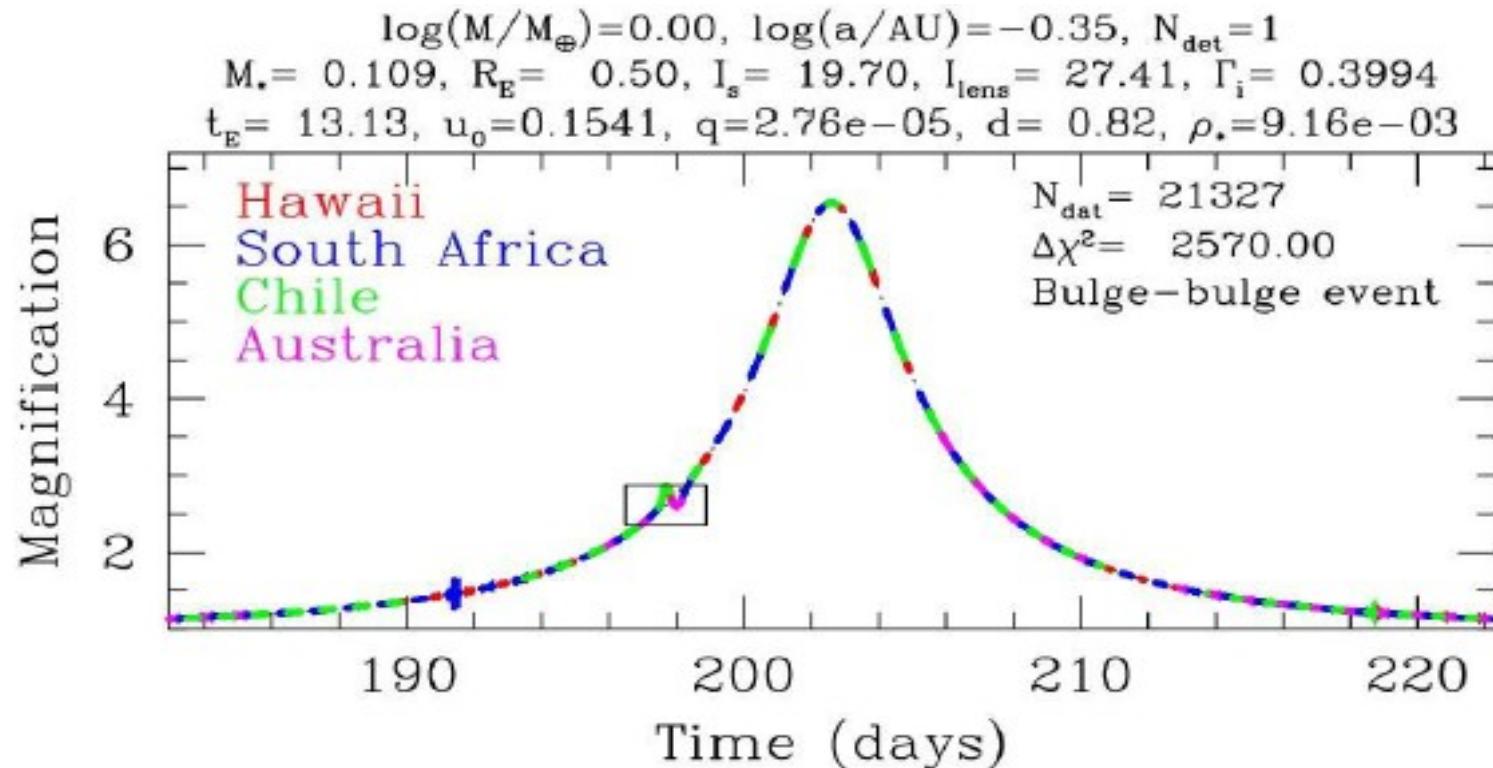
# Simulation Ingredients (abridged)



# Target Fields

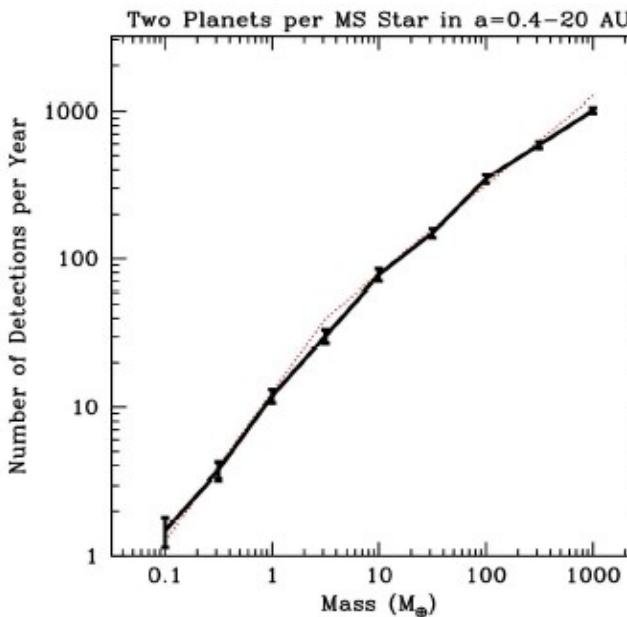
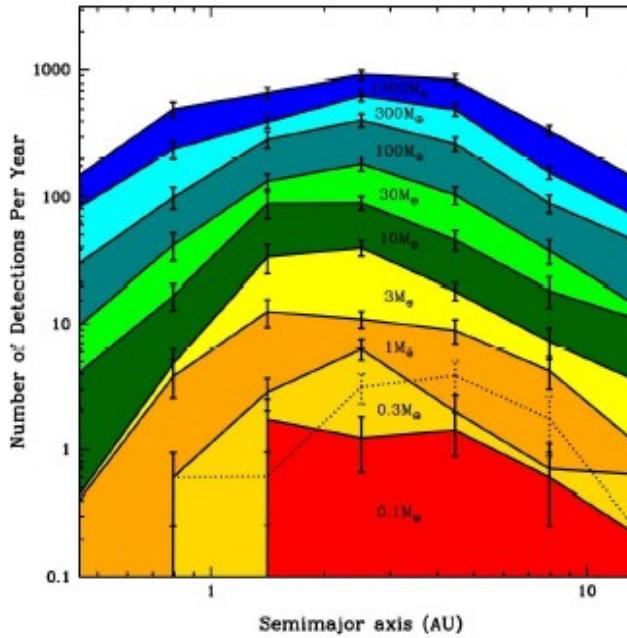
- Four Fields
  - $(l,b)=(1,-3)$ 
    - ~2900 Events/yr
  - $(l,b)=(3,-3)$ 
    - ~2300 Events/yr
  - $(l,b)=(1,-5)$ 
    - ~900 Events/yr
  - $(l,b)=(3,-5)$ 
    - ~800 Events/yr





# Baseline Results

- Simulate:
  - Mass:  
 $\log(M/M_{\oplus}) = -1.0, -0.5, 0.0, 0.5, 1.0, 1.5, 2.0, 2.5, 3.0$
  - Semimajor Axis:  
 $\log(a/AU) = -0.35, -0.10, 0.15, 0.40, 0.65, 0.90, 1.15$
- Average over  $a$ 
  - $-0.35 < \log(a/AU) < 1.15$
  - Two planets per star
- Scaling with Mass:
  - $N \propto M$  for  $M < 3M_{\oplus}$
  - $N \propto M^{0.6}$  for  $M > 3M_{\oplus}$



# Summary of Baseline Results

log(a/AU)	-0.35	-0.10	0.15	0.40	0.65	0.90	1.15
$\Gamma$ (yr <sup>-1</sup> )	0.4±0.4	3.8±1.2	12.5±3.1	10.9±1.7	8.8±1.9	4.3±1.2	1.0±0.7

Every MS star has one Earth-mass planet

log(a/AU)	-0.35	-0.10	0.15	0.40	0.65	0.90	1.15
$\Gamma$ (yr <sup>-1</sup> )	0	0.6±0.3	0.6±0.4	3.1±0.9	3.9±1.2	1.8±0.9	0.2±0.2

Every MS star has one Earth mass ratio planet

log(M/M <sub>⊕</sub> )	-1.0	-0.5	0.0	0.5	1.0	1.5	2.0	2.5	3.0
$\Gamma$ (yr <sup>-1</sup> )	1.5±0.3	3.7±0.5	12±1	30±3	78±8	150±10	350±20	590±30	1012±40

2 planets per star, uniformly distributed in log a in the range 0.4-20 AU

# Initiatives

- **MOA**: 1.8m tel, 2.2 sq.deg camera already exists (New Zealand)
- **OGLE**: 1.3m tel already exists, currently being upgraded to 1.6 sq.deg. (Chile)
- **KOREA**: KASI entered national competition.  
Dec 2008: Korean Congress approved US\$30M for three 2m tels, with 4 sq.deg cameras (Africa South America, Australia) [**KMTNet**]

# Conclusions

- $\mu$ lensing planets now found “routinely”
  - Now 3 per year
- Some planet distances are measured
  - Contrary to initial expectations
- Bulge lens IDs require satellite at 5 AU
  - Expected to contain MOST planets
- NextGen experiments will increase 10-fold
  - MOA/OGLE/KMTNet