



Light DM Detection with Neutron Stars

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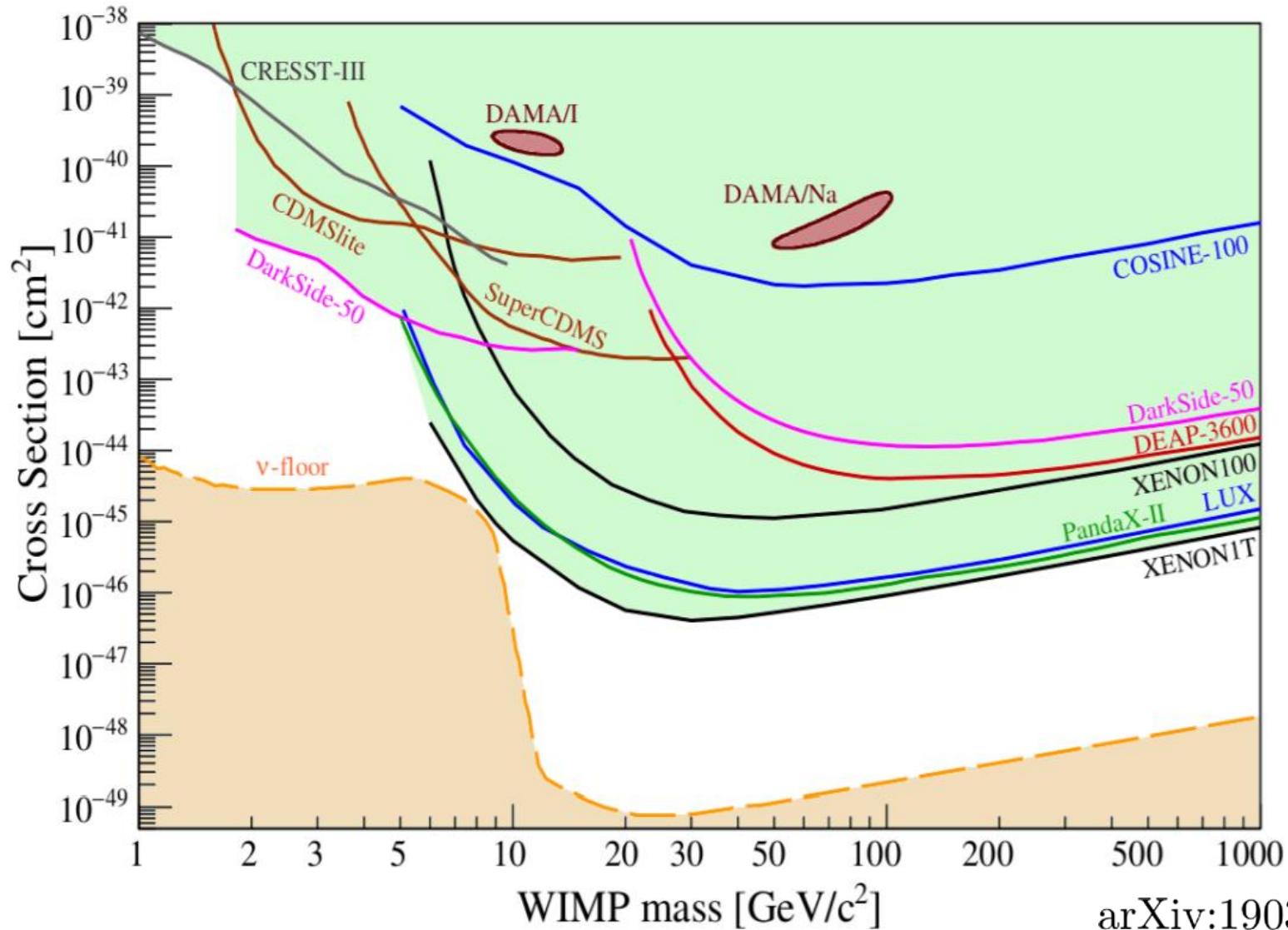
Based on arXiv:1910.XXXX

SoCal BSM 2019

Outline

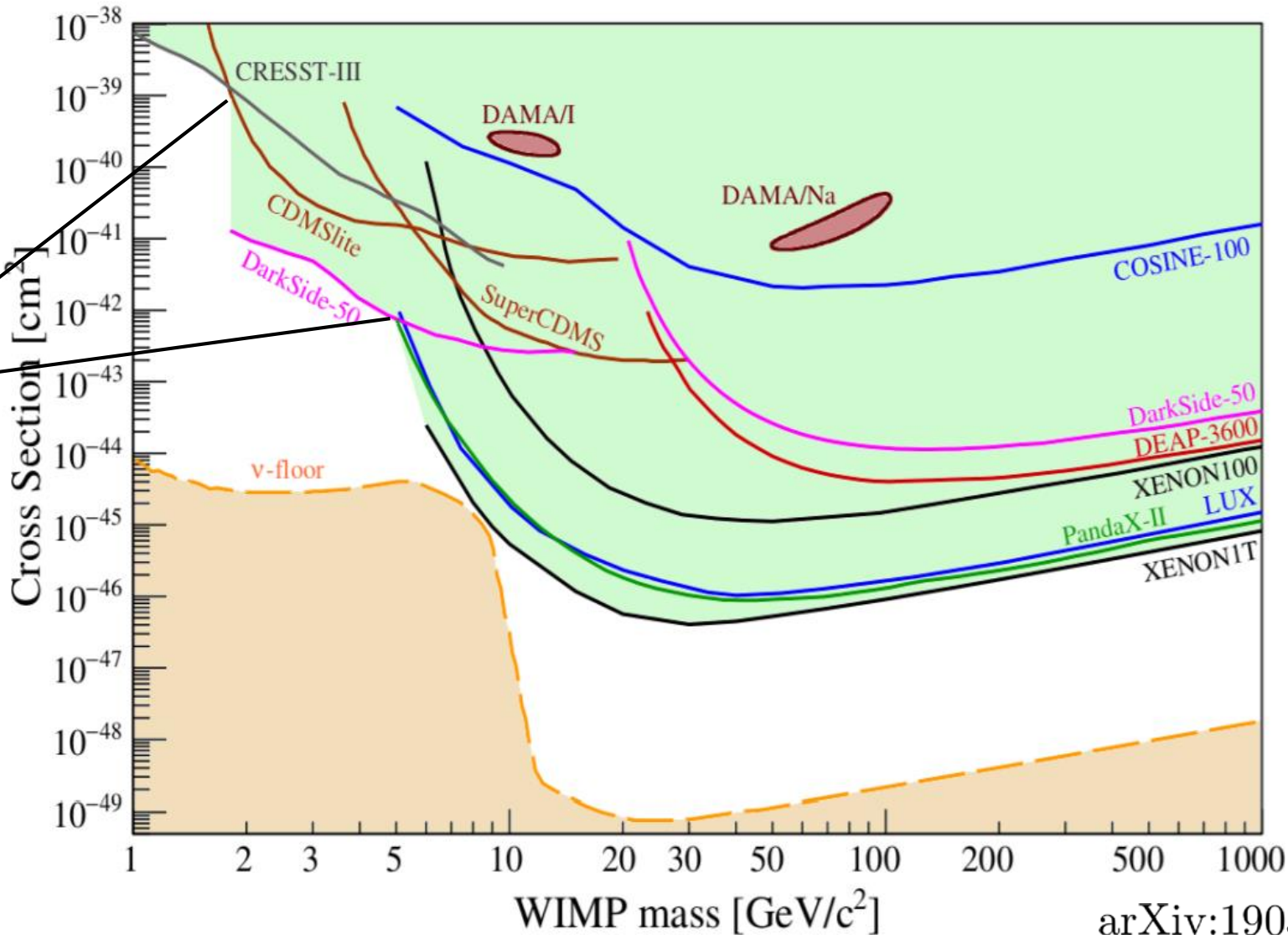
- Direct detection : status and challenges
- Neutron star kinetic heating
- Lepton heating and relativistic effects
- Results for fermionic DM-lepton VV operator

Direct Detection : Status

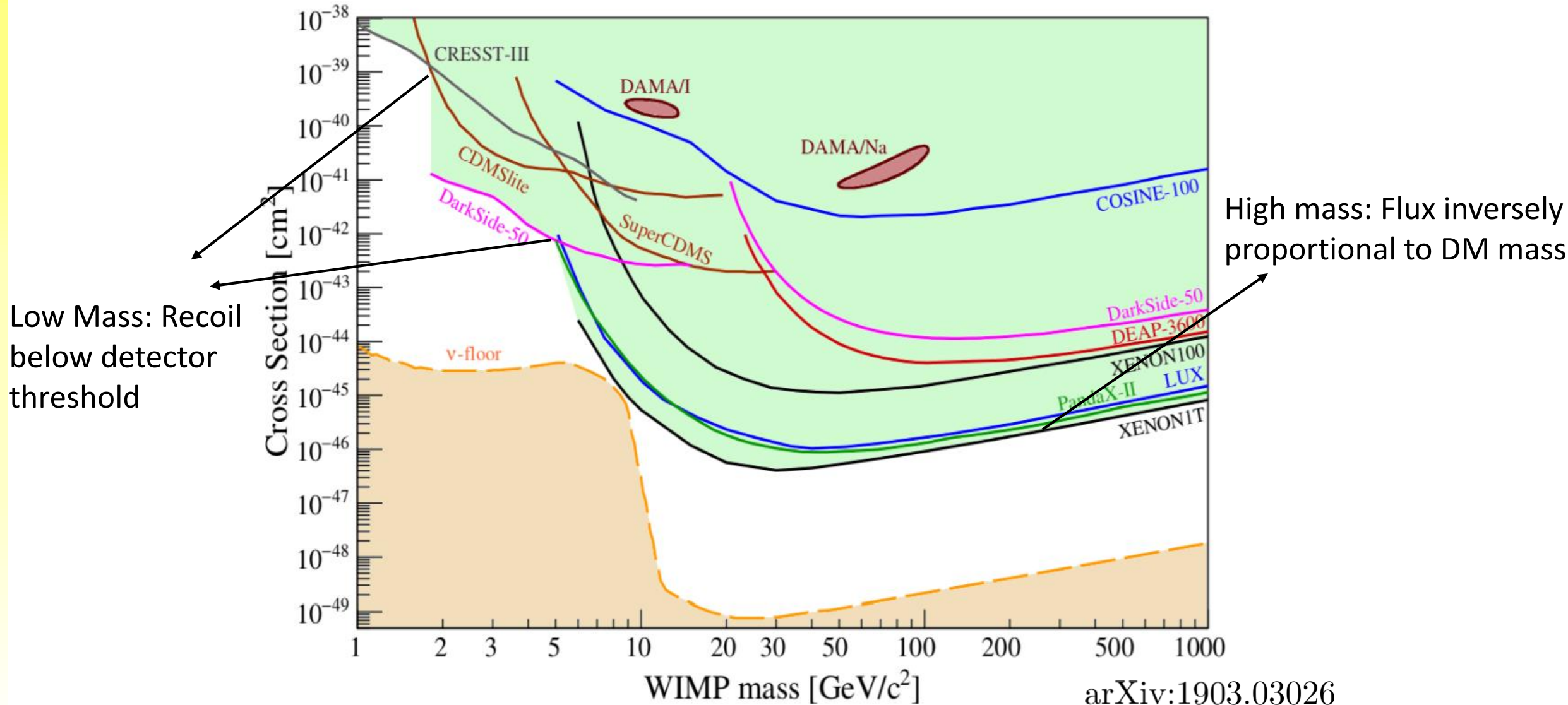


Direct Detection : Challenges

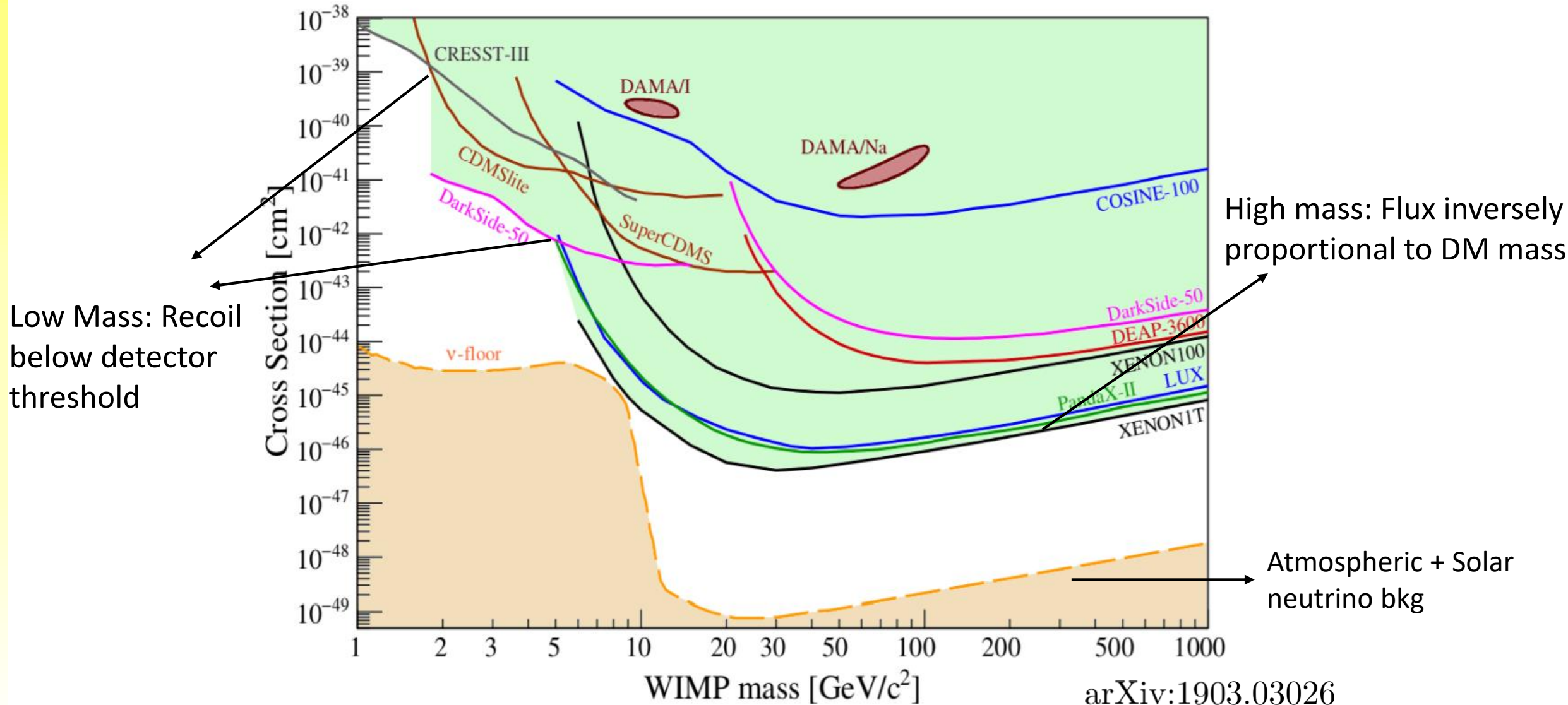
Low Mass: Recoil below detector threshold



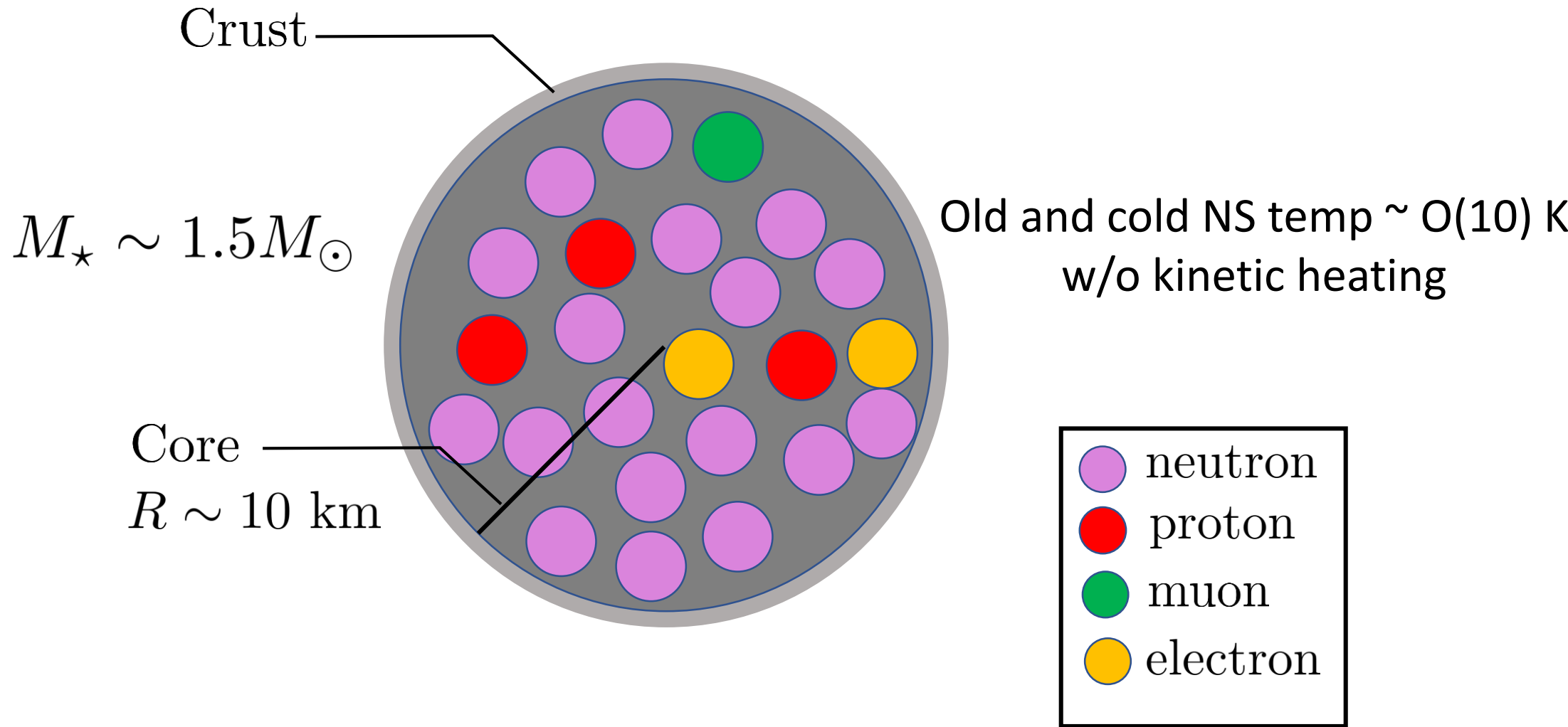
Direct Detection : Challenges



Direct Detection : Challenges



Neutron Star Kinetic Heating



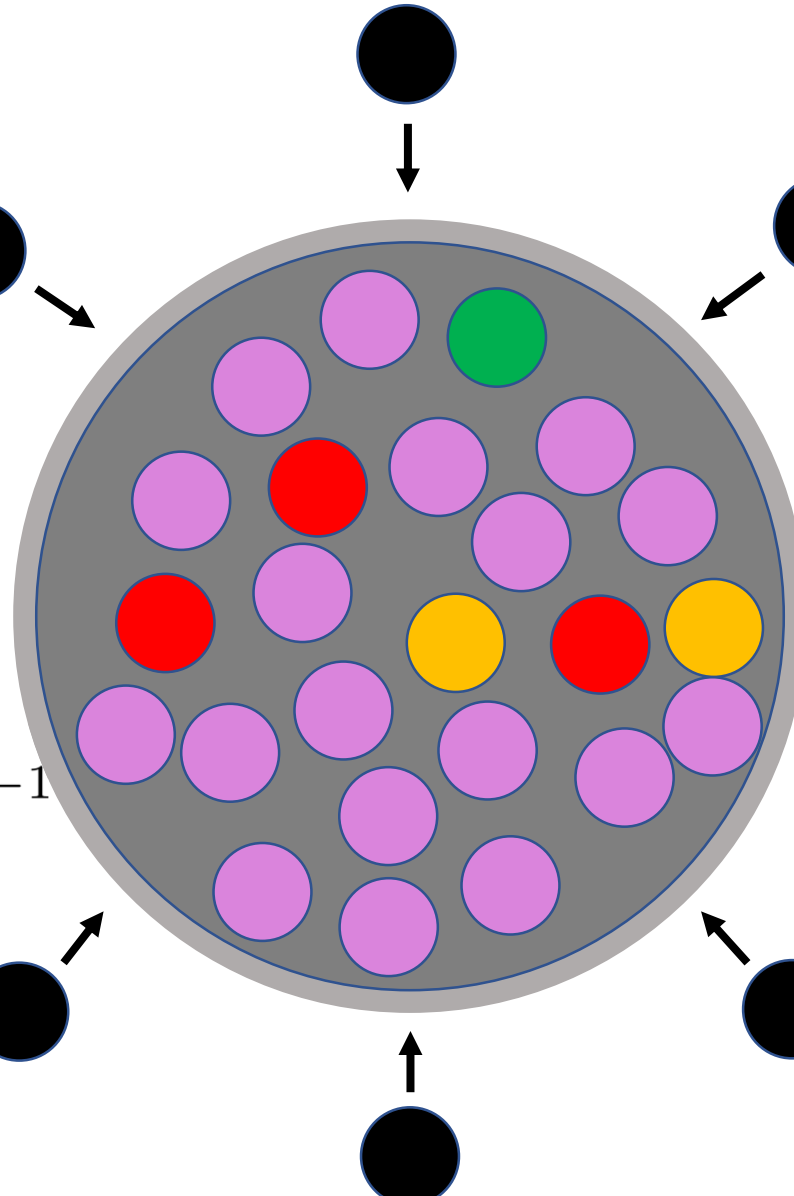
Neutron Star Kinetic Heating

$$\dot{E} = f \times \text{DM flux} \times \text{KE}$$

↓
Capture efficiency

$$\text{DM flux} \sim \frac{3.11 \times 10^{25}}{m_\chi (\text{GeV})} \text{ s}^{-1}$$

$$\text{KE} = (\gamma - 1)m_\chi$$



Old and cold NS temp $\sim O(10)$ K
w/o kinetic heating

- neutron
- proton
- muon
- electron

Neutron Star Kinetic Heating

$$\dot{E} = f \times \text{DM flux} \times \text{KE}$$

Capture efficiency

$$\dot{E} = 4\pi R_{\star}^2 \sigma_{\text{SB}} T^4$$

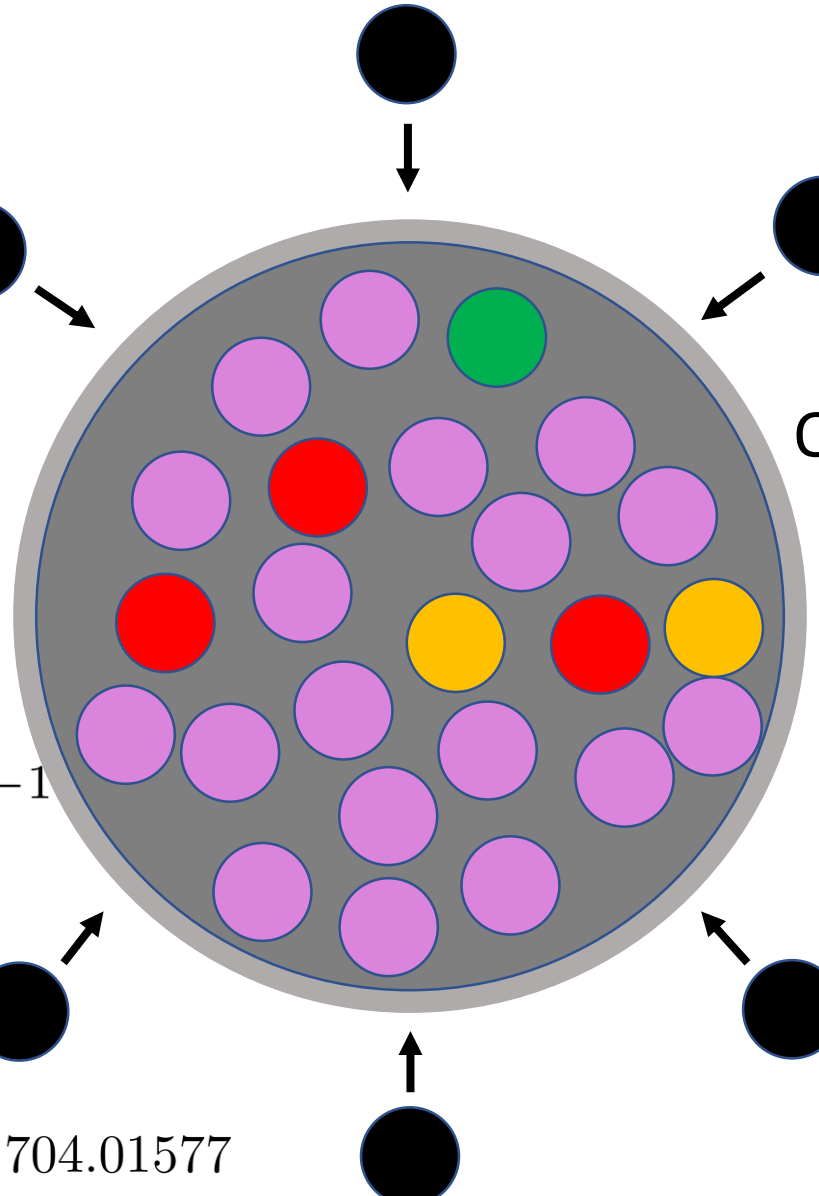
$$T \sim 1750 f^{1/4} \text{ K}$$

Old and cold NS temp $\sim \text{O}(10) \text{ K}$
w/o kinetic heating

$$\text{DM flux} \sim \frac{3.11 \times 10^{25}}{m_{\chi} (\text{GeV})} \text{ s}^{-1}$$

$$\text{KE} = (\gamma - 1)m_{\chi}$$

See Baryakhtar et al 1704.01577



- neutron
- proton
- muon
- electron

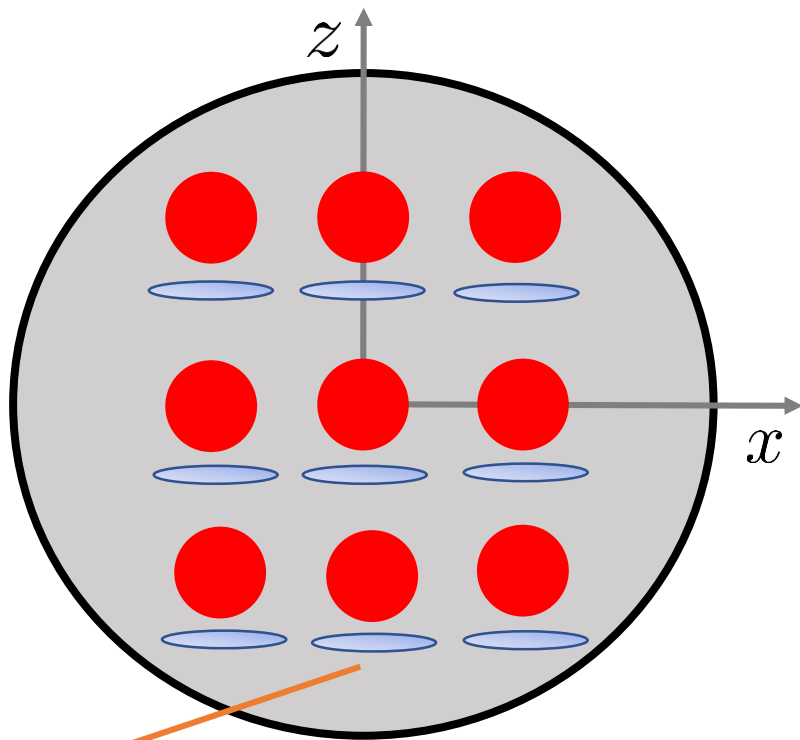
Why Leptons? Challenges?

- About 10-15% of the particles in NS cores could be leptons
- Lighter masses : potentially helpful with light DM detection
- What if DM is leptophilic?

Why Leptons? Challenges?

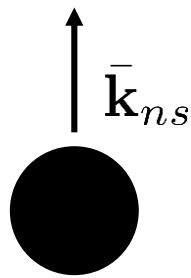
- About 10-15% of the particles in NS cores could be leptons
- Lighter masses : potentially helpful with light DM detection
- What if DM is leptophilic?
- Electrons are highly relativistic Fermi momentum \gg mass
- Muons : Fermi momentum \sim mass
- Need careful consideration of relativistic effects

Cross Section??

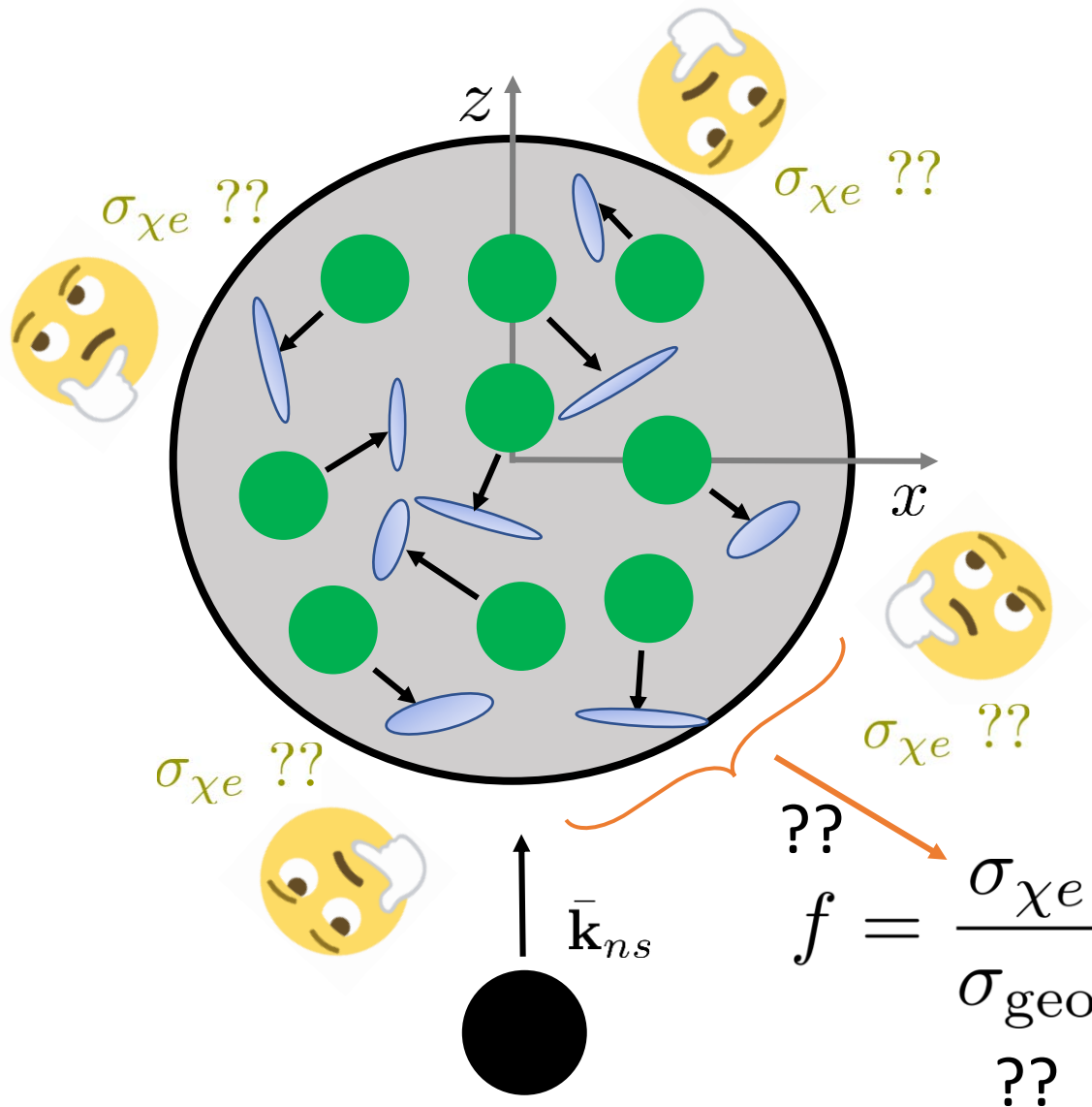


$$f = \frac{\sigma_{\chi n}}{\sigma_{\text{geo}}}$$

const = xsect Area / #



$\sigma_{\chi n}$

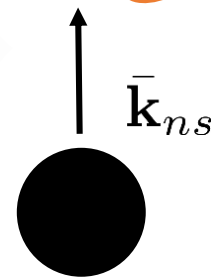


$\sigma_{\chi e} ??$

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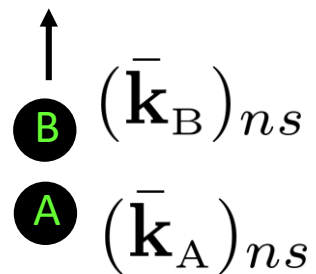
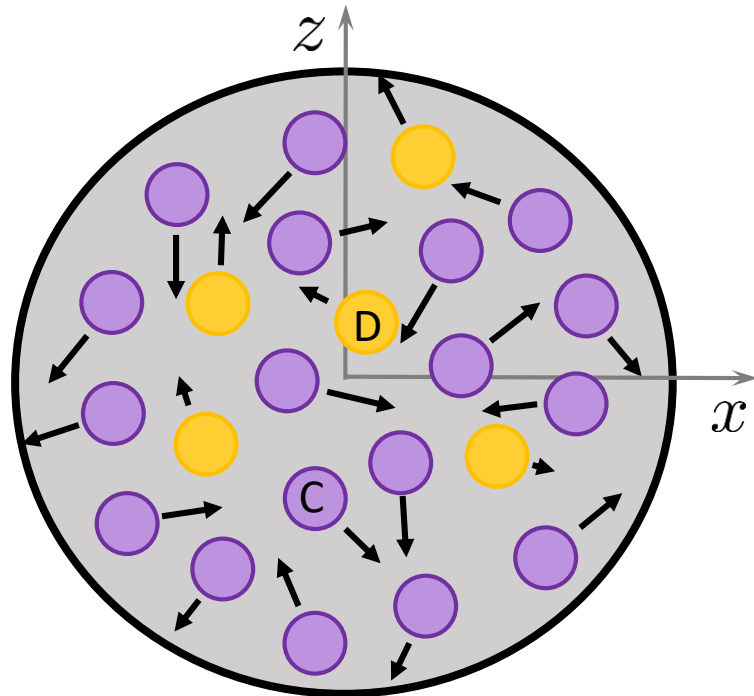
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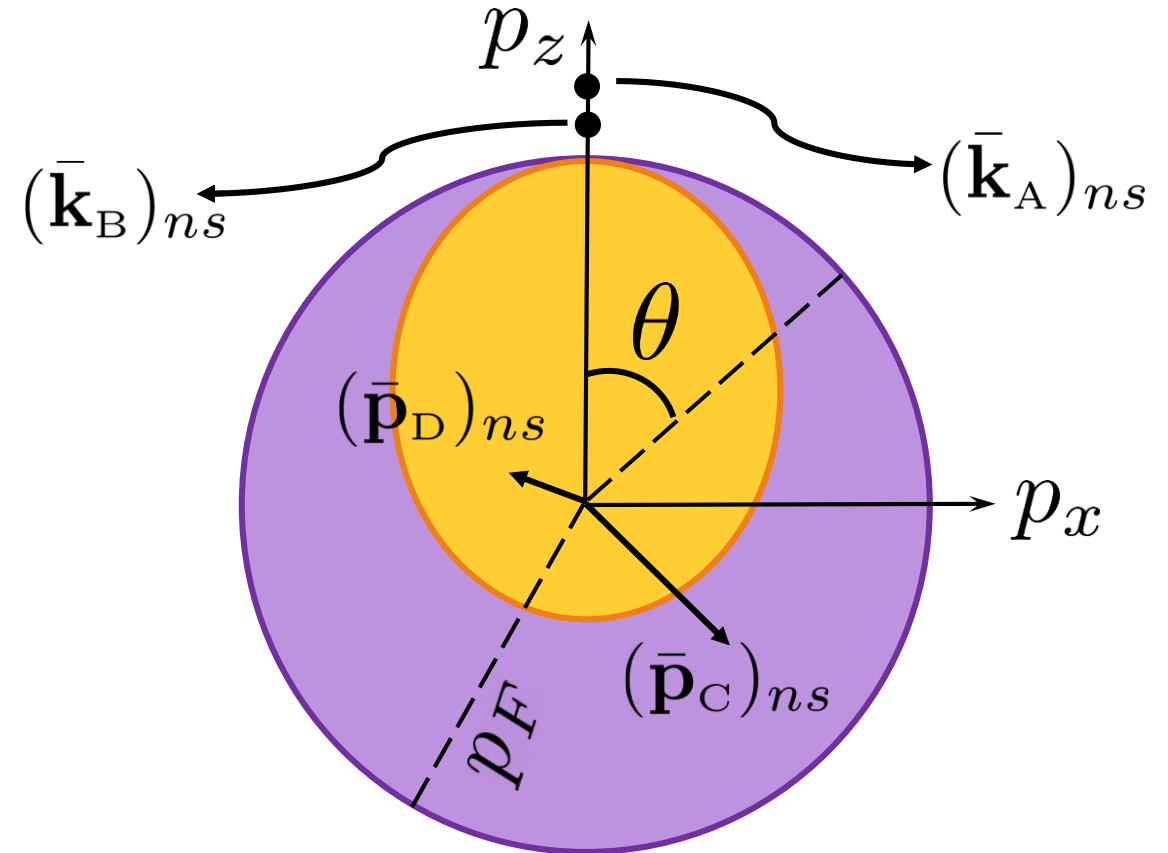
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Pauli Blocking

NS Frame: Position Space

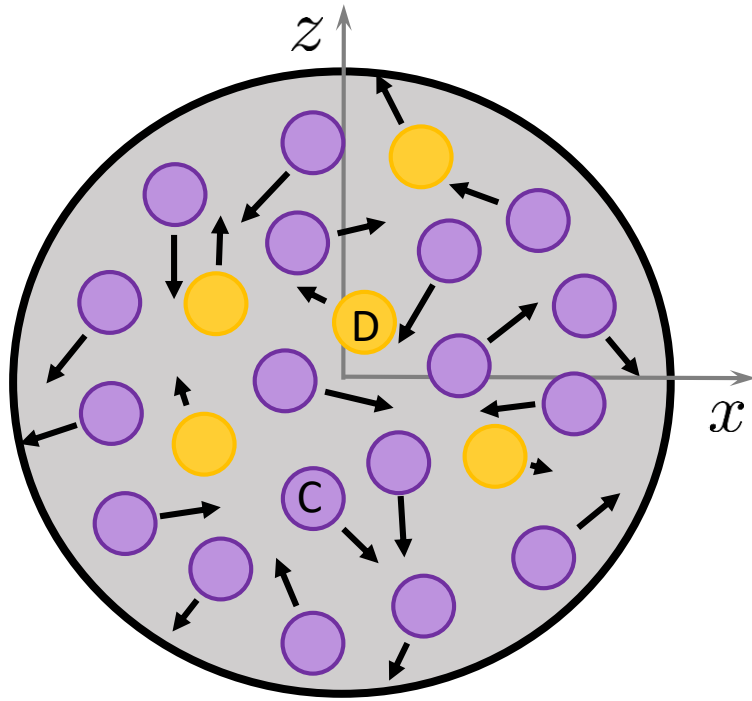


NS Frame: Momentum Space



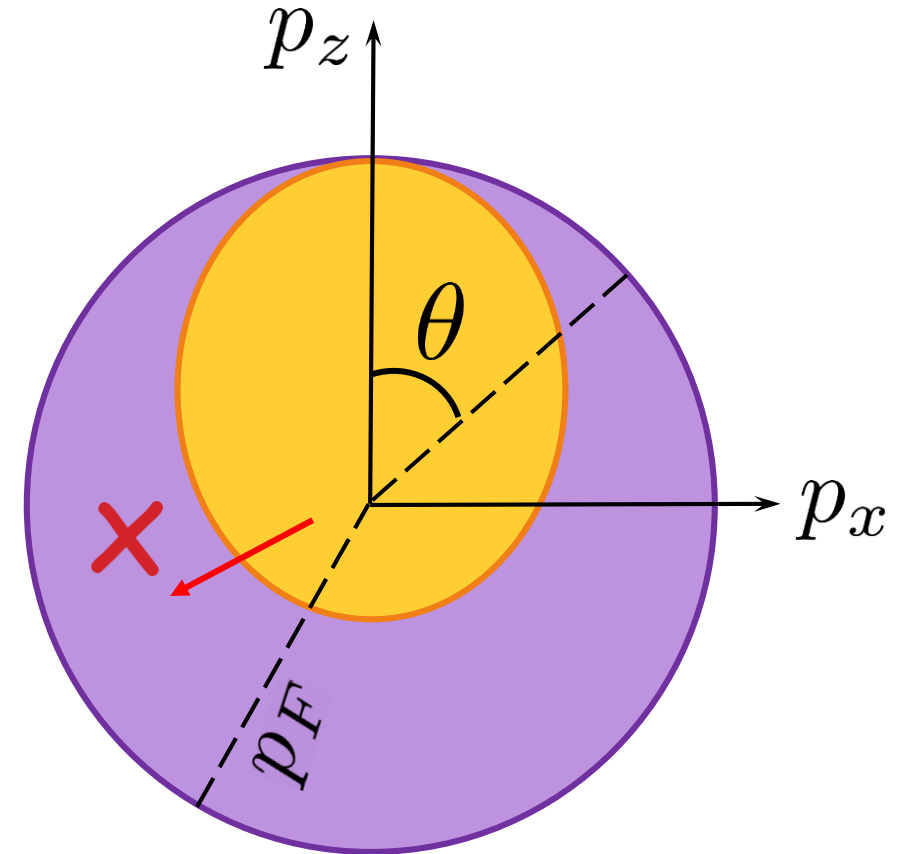
Pauli Blocking

NS Frame: Position Space



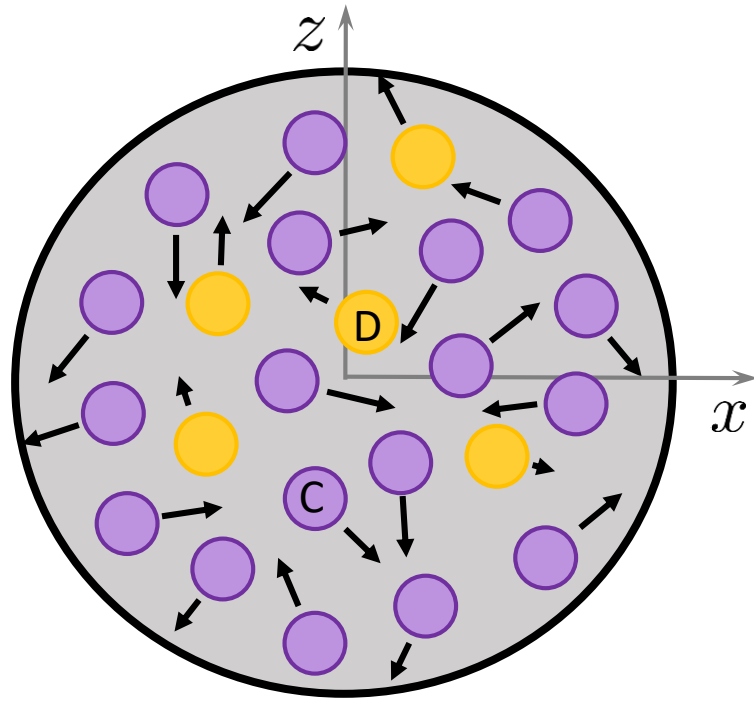
\uparrow
B $(\bar{\mathbf{k}}_B)_{ns}$
A $(\bar{\mathbf{k}}_A)_{ns}$

NS Frame: Momentum Space

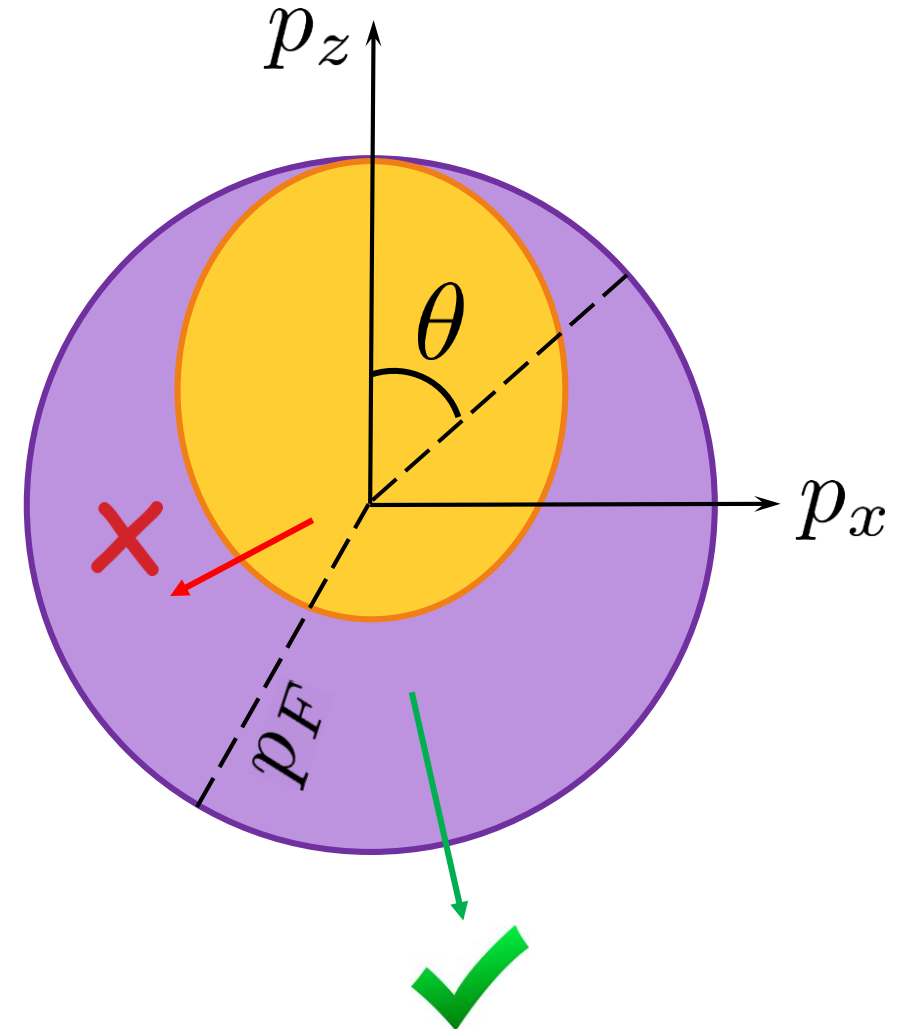


Pauli Blocking

NS Frame: Position Space

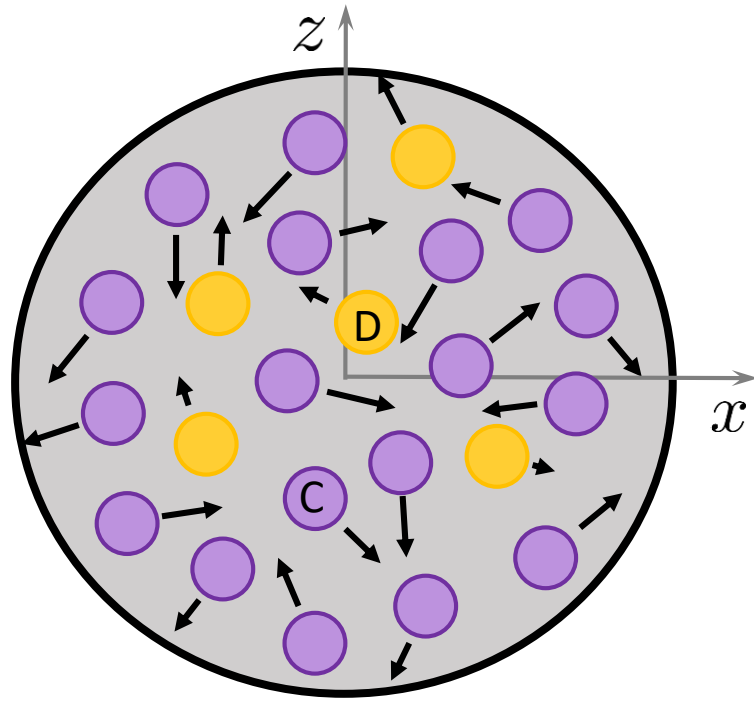


NS Frame: Momentum Space

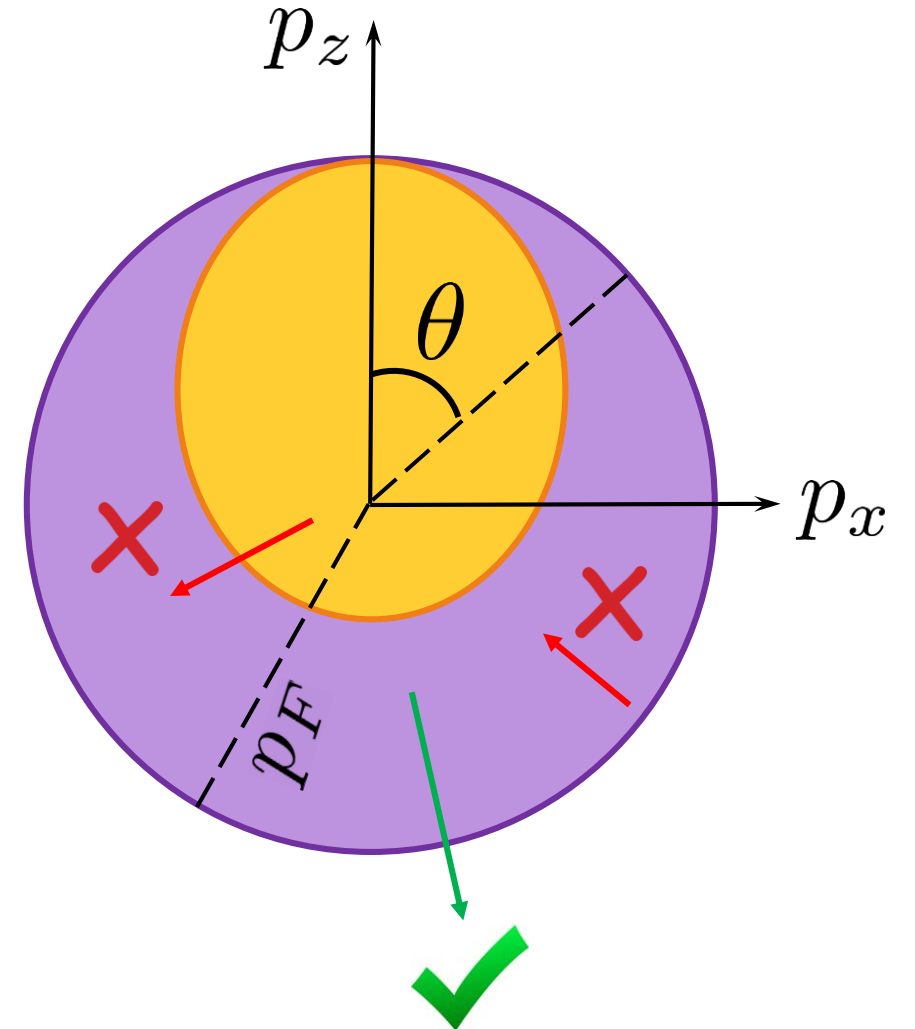


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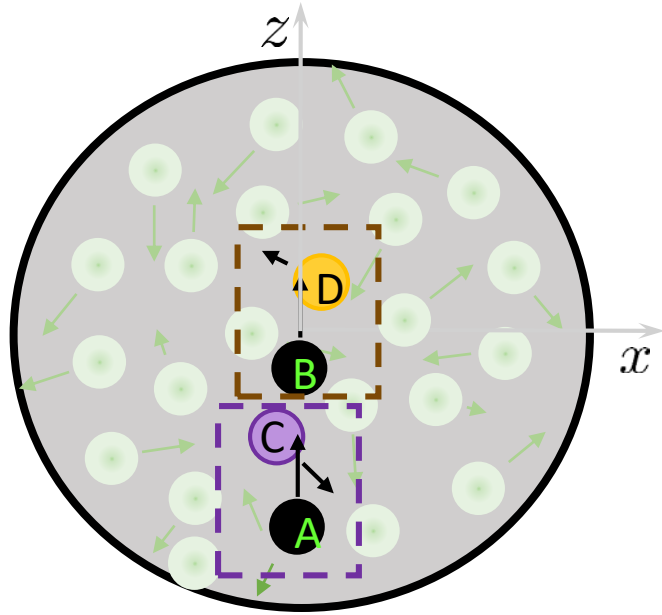
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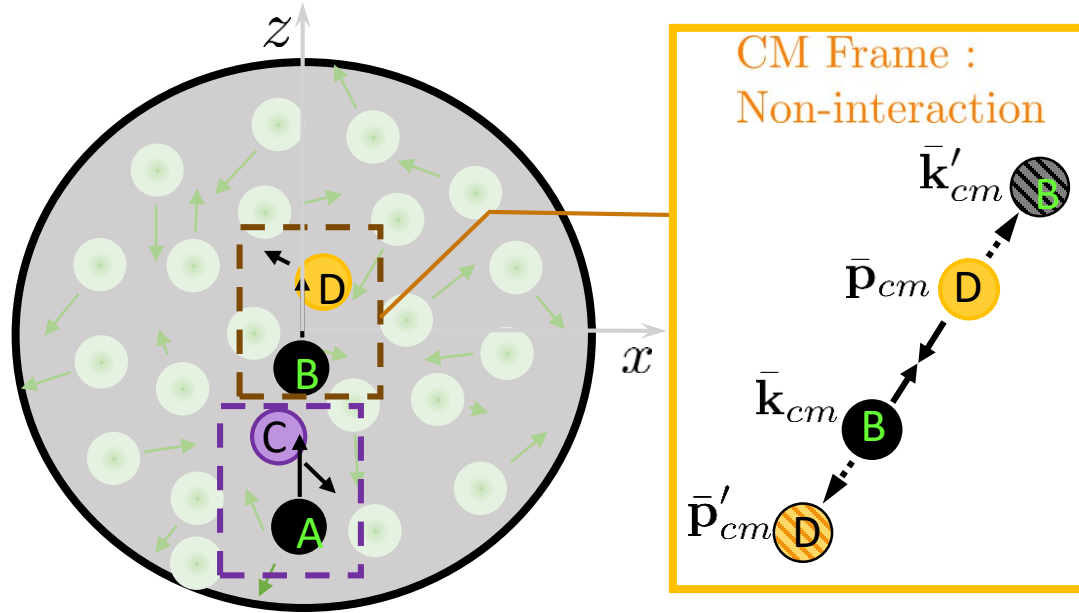
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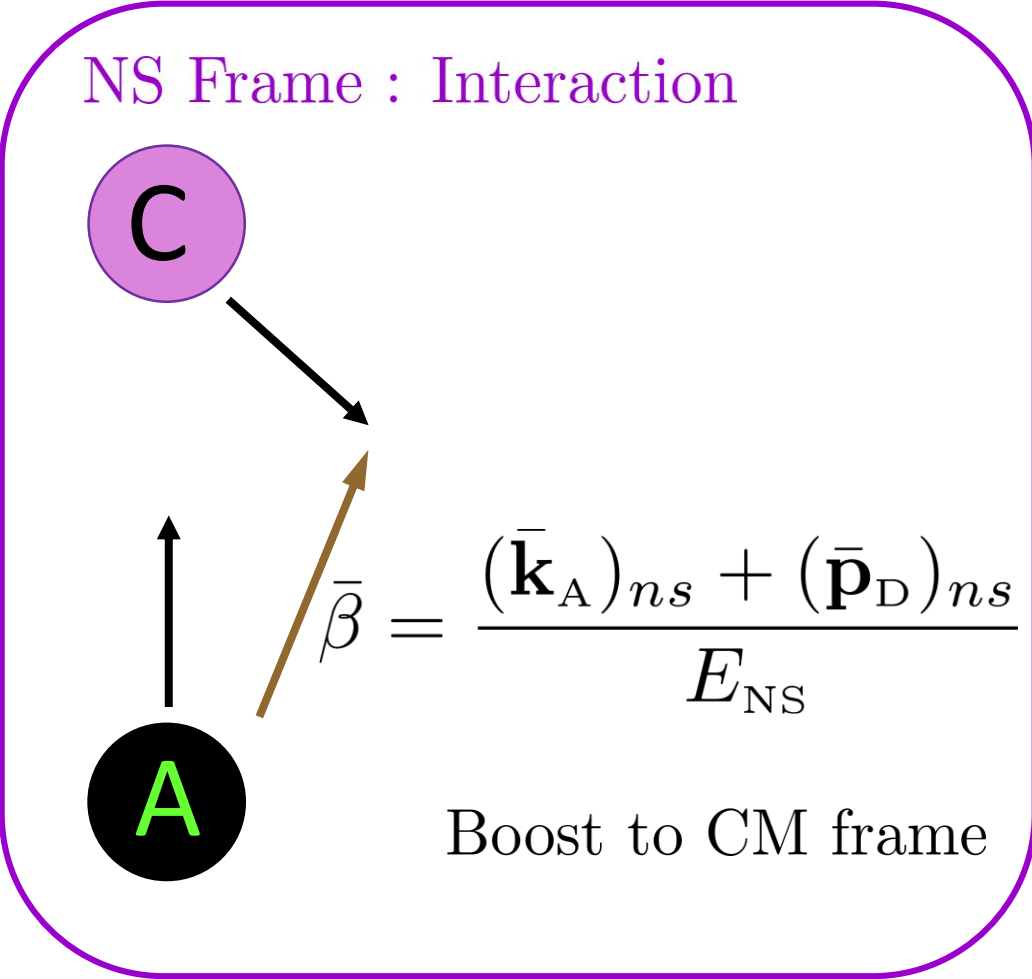
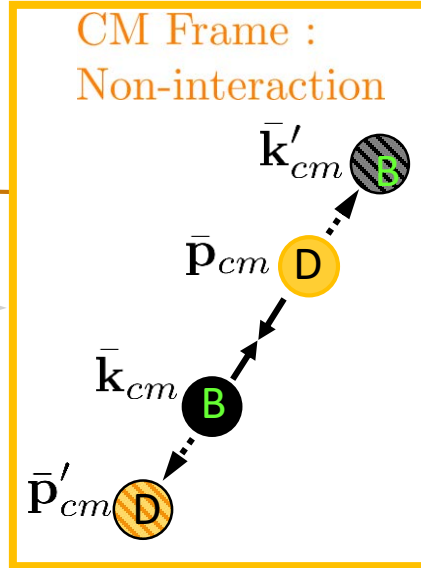
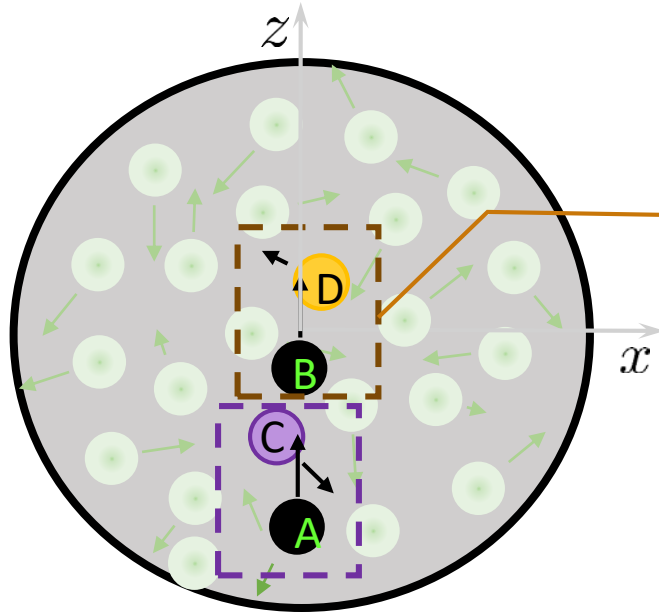
Interactions in NS and CM frames



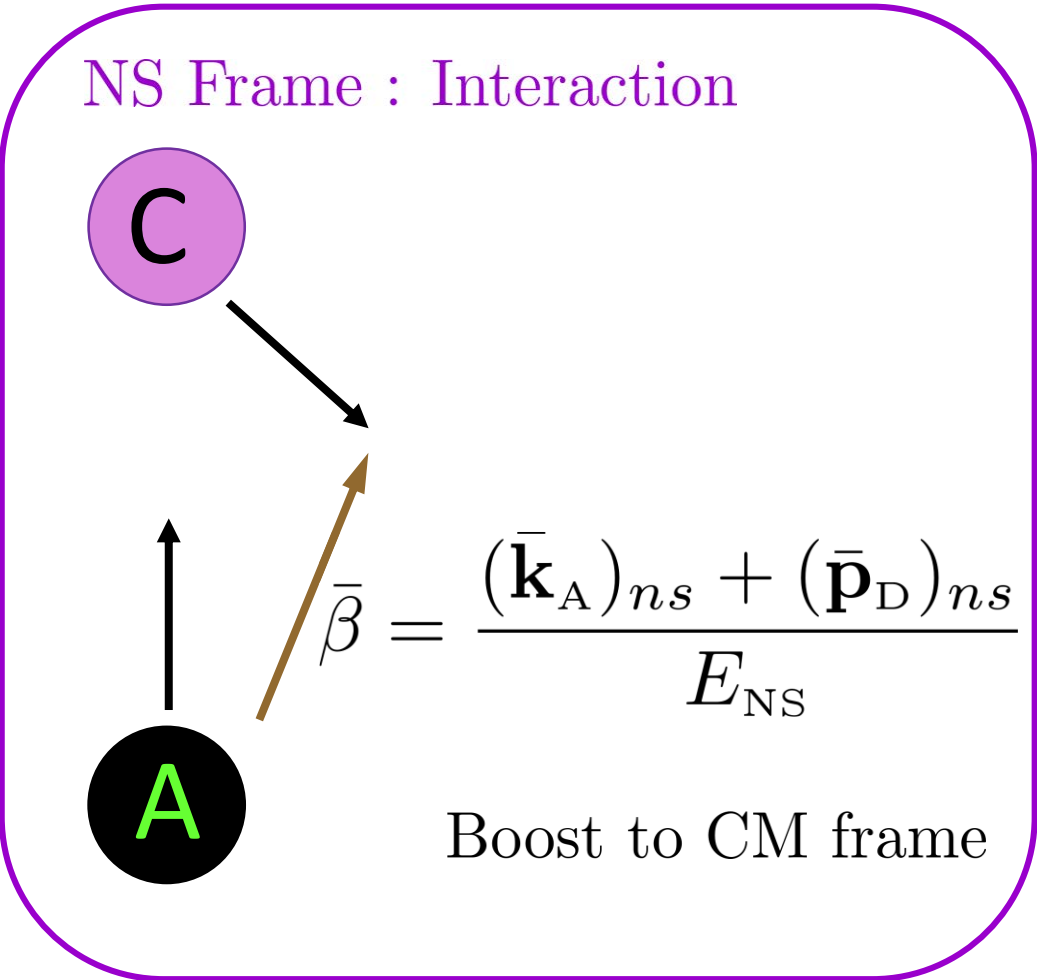
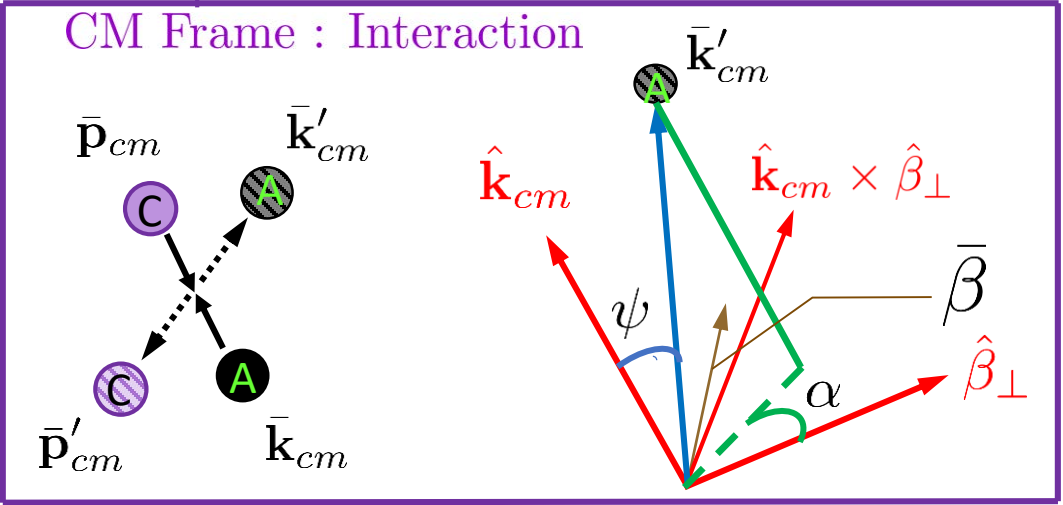
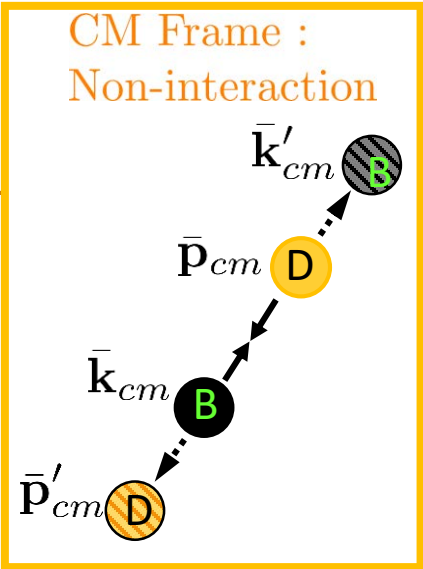
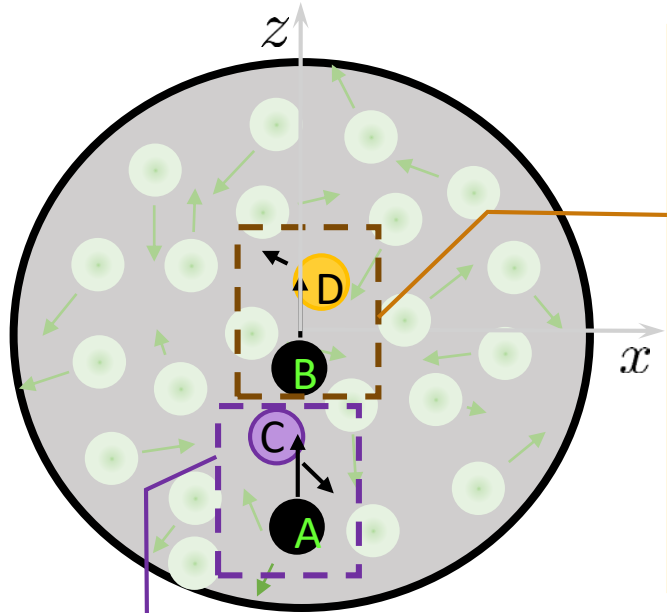
Interactions in NS and CM frames



Interactions in NS and CM frames



Interactions in NS and CM frames



Lorentz Invariant Capture Efficiency

Total interactions in DM rest frame

$$d\nu = (d\sigma)v_T(dn_T)n_\chi\Delta V\Delta t$$

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Lorentz Invariant



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Lorentz Invariant Capture Efficiency

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known in CM frame

Lorentz Invariant Capture Efficiency

Total interactions in DM rest frame

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Lorentz Invariant

$$df = \frac{d\nu}{n_\chi \Delta V} = \underbrace{(d\sigma)v_T}_{\text{known in CM frame}} \underbrace{(dn_T)}_{\text{known in NS frame}} \Delta t$$

known in CM frame

known in NS frame

Lorentz Invariant Capture Efficiency

Total interactions in DM rest frame

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Lorentz Invariant

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known in CM frame

known in NS frame

$\sim R_\star$

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Lorentz Invariant Capture Efficiency

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Lorentz Invariant

$$df = \frac{d\nu}{n_\chi \Delta V} = \underbrace{(d\sigma)v_T}_{\text{Lorentz Invariant}} \underbrace{(dn_T)}_{\text{Lorentz Invariant}} \Delta t$$

$$(d\sigma)_{\text{CM}} \frac{\sqrt{(p^\mu k_\mu)^2 - m_T^2 m_\chi^2}}{(E_T)_{\text{NS}} (E_\chi)_{\text{NS}}} \quad \langle n_T \rangle \frac{3(|\bar{p}|)_{\text{NS}}^2}{2p_{\text{F}}^3} \Theta((|\bar{p}'|_{\text{T}})_{\text{NS}} - p_{\text{F}}) d(|\bar{p}|)_{\text{NS}} d \cos \theta$$

Lorentz Invariant Capture Efficiency

$$f = \frac{3Y_{\text{T}}M_{\star}}{\frac{4}{3}\pi R_{\star}^2 m_n} \int_0^{2\pi} \int_{-1}^1 \int_{-1}^1 \int_0^{p_{\text{F}}} \frac{|\mathcal{M}|^2}{64\pi^2 (E)_{\text{CM}}^2} \frac{\sqrt{(p^{\mu}k_{\mu})^2 - m_{\text{T}}^2 m_{\chi}^2}}{(E_{\text{T}})_{\text{NS}}(E_{\chi})_{\text{NS}}}$$

Interaction time,
Av. density

Differential Cross
section in CM frame

Transformation
factor to account
boosts

$$\times \frac{3(|\bar{p}|)_{\text{NS}}^2}{2p_{\text{F}}^3} \Theta((|\bar{p}'|_{\text{T}})_{\text{NS}} - p_{\text{F}}) d(|\bar{p}|)_{\text{NS}} d\cos\theta d\cos\psi d\alpha$$

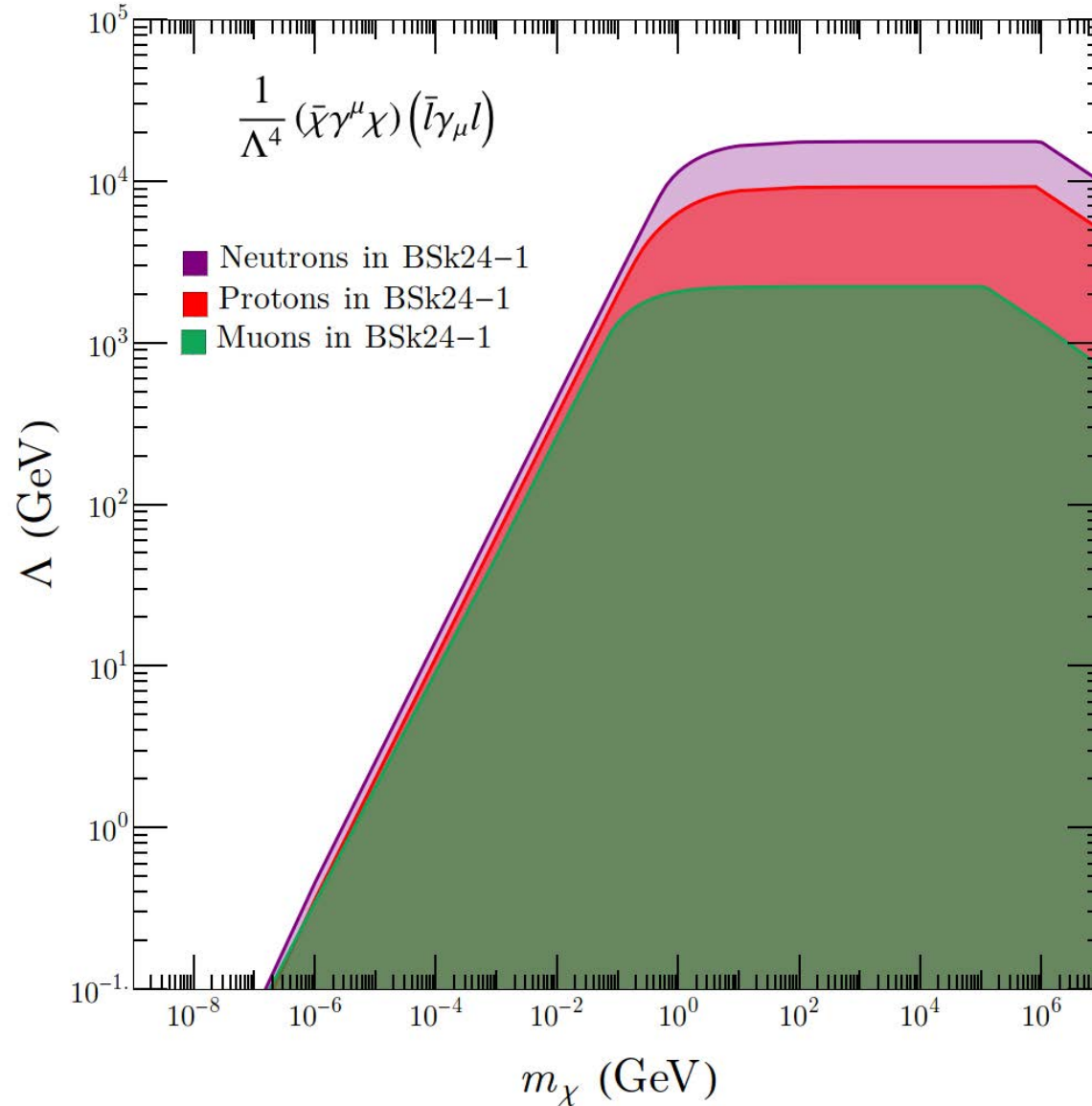
Volume fraction
of Fermi sphere

Pauli Blocking

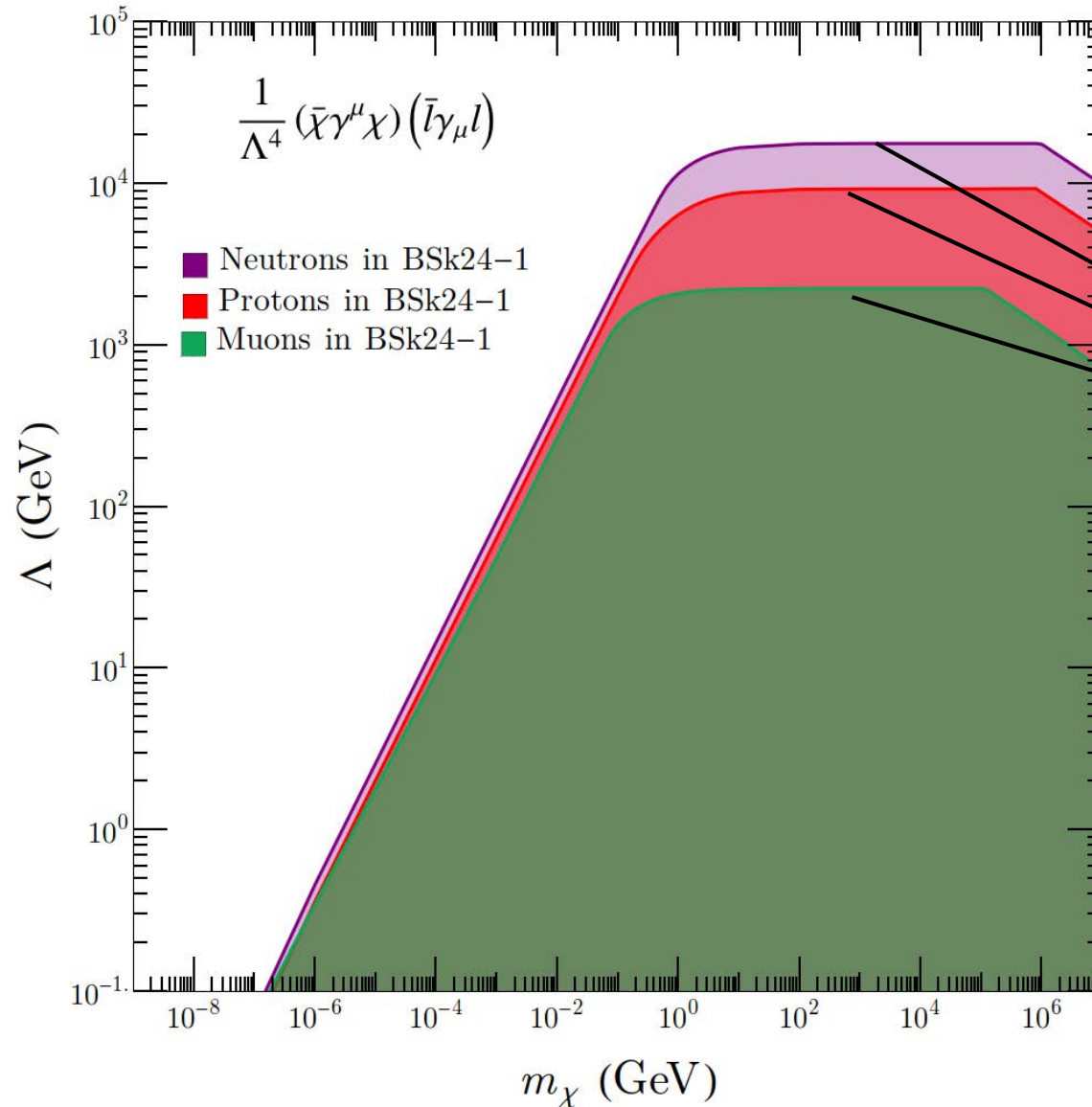
In-state variables

Out state variables

Cut-off reach for VV operator



Cut-off reach for VV operator

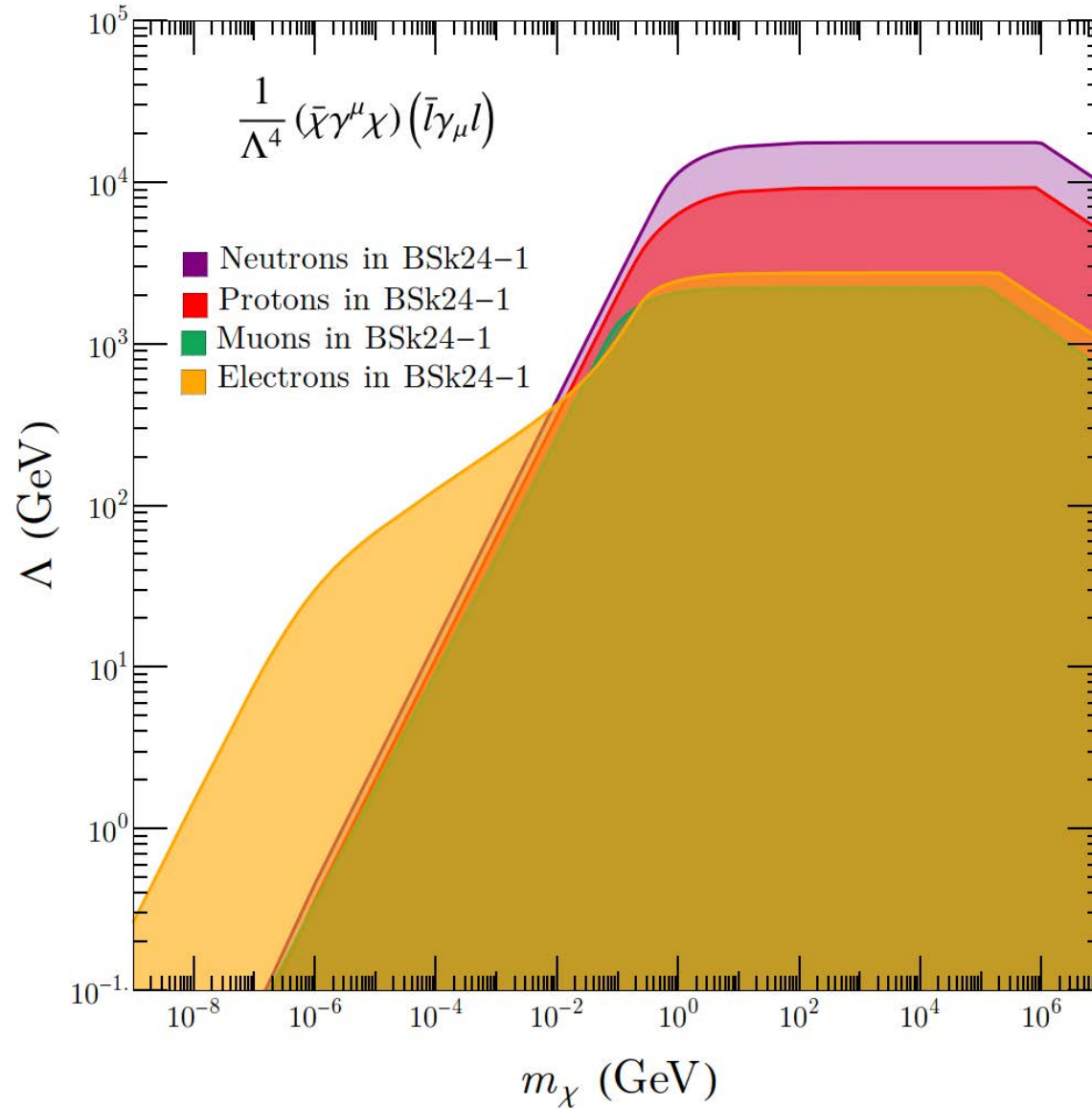


$f = 1$

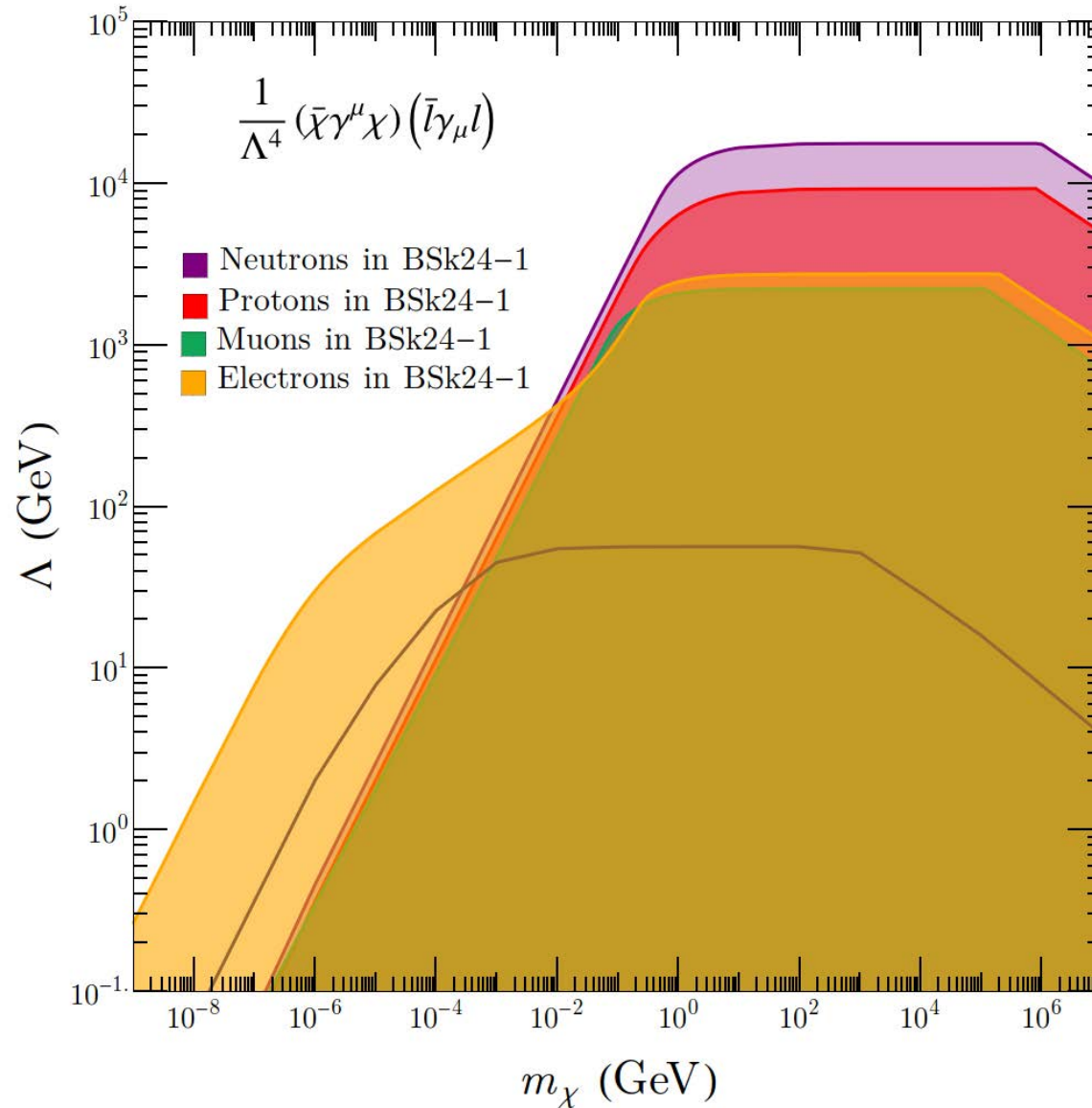
Recall,
 $T \sim 1750 f^{1/4}$ K

Colored region
 $T \sim 1750$ K

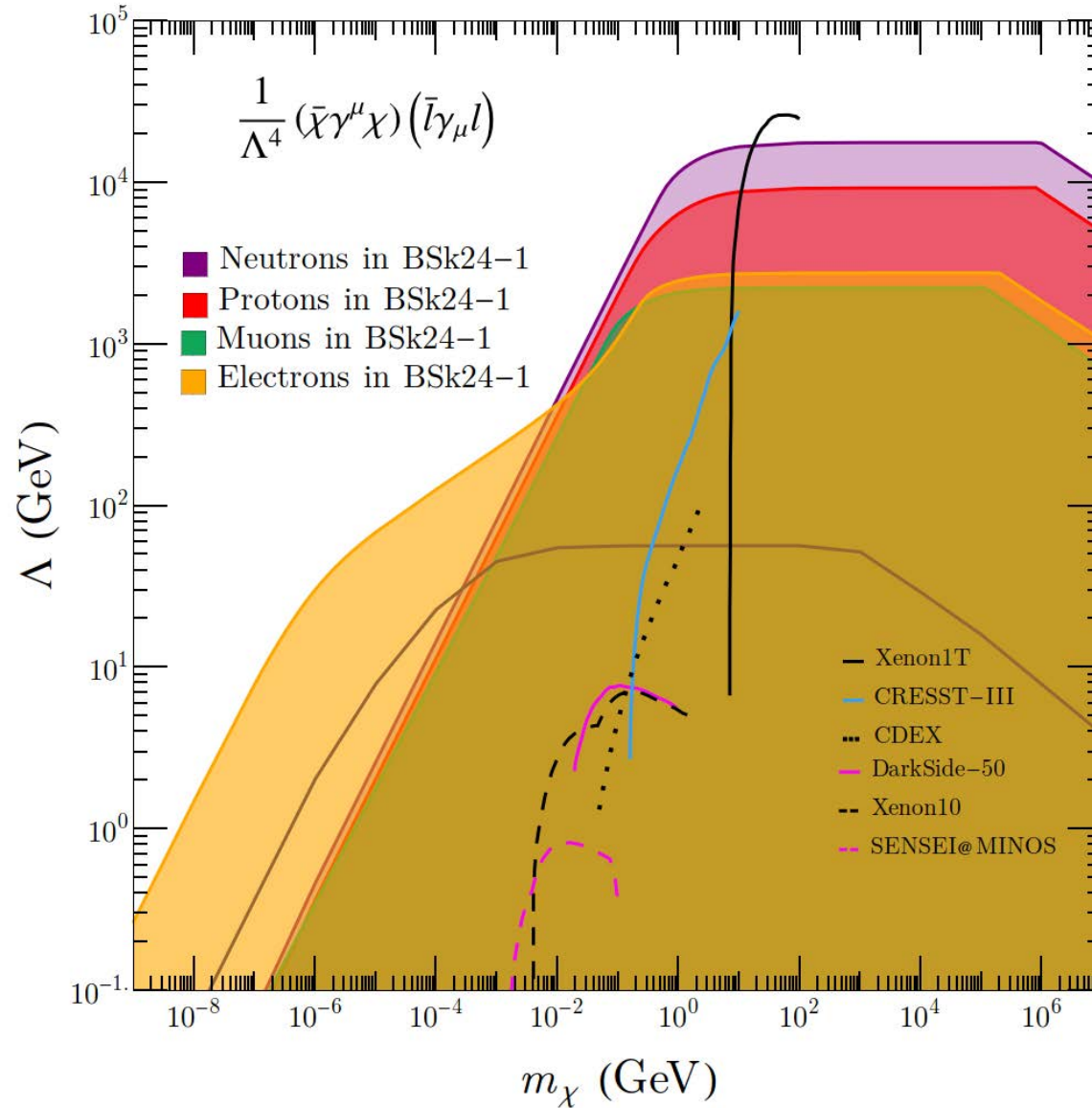
Cut-off reach for VV operator



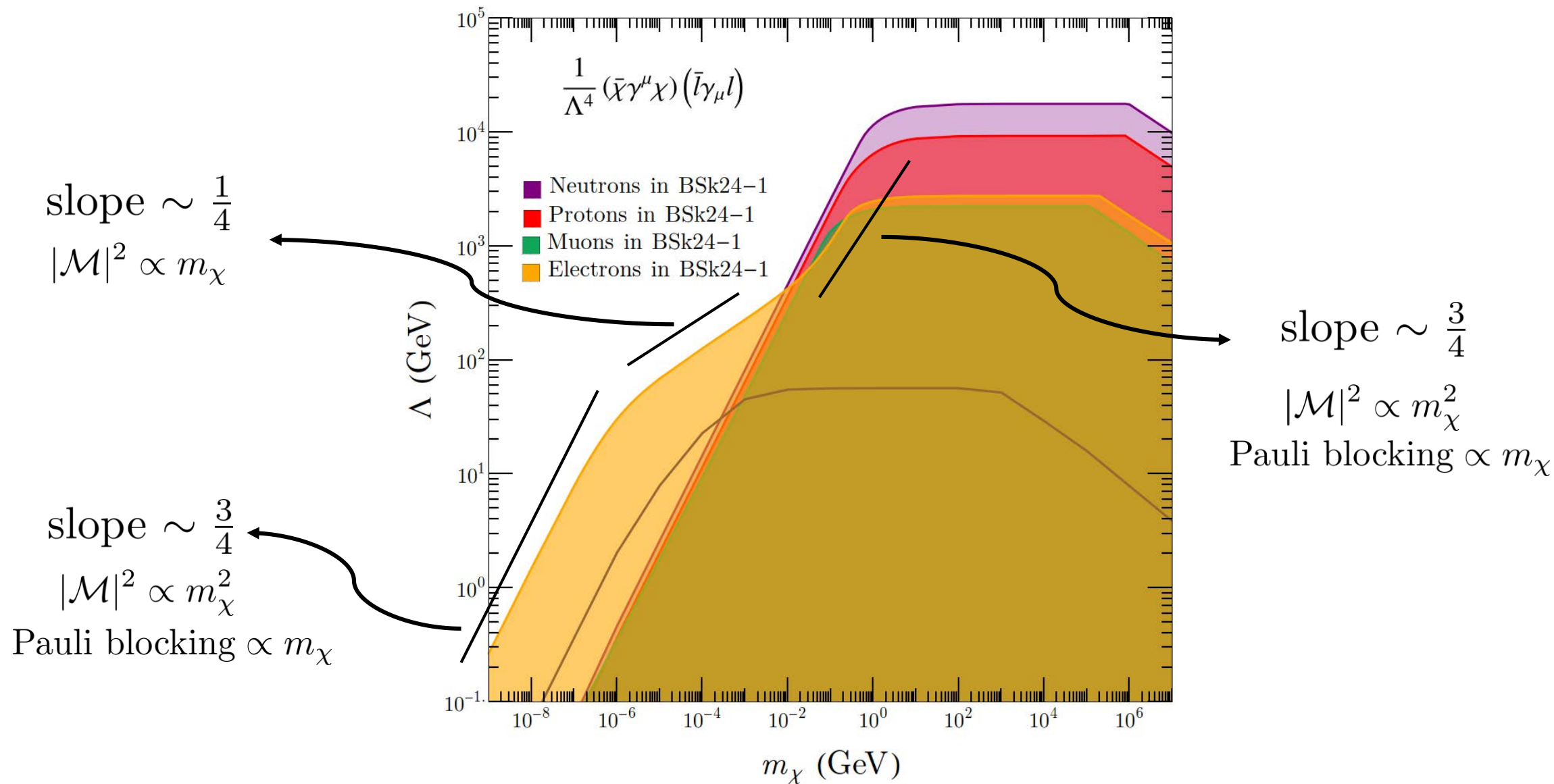
Cut-off reach for VV operator



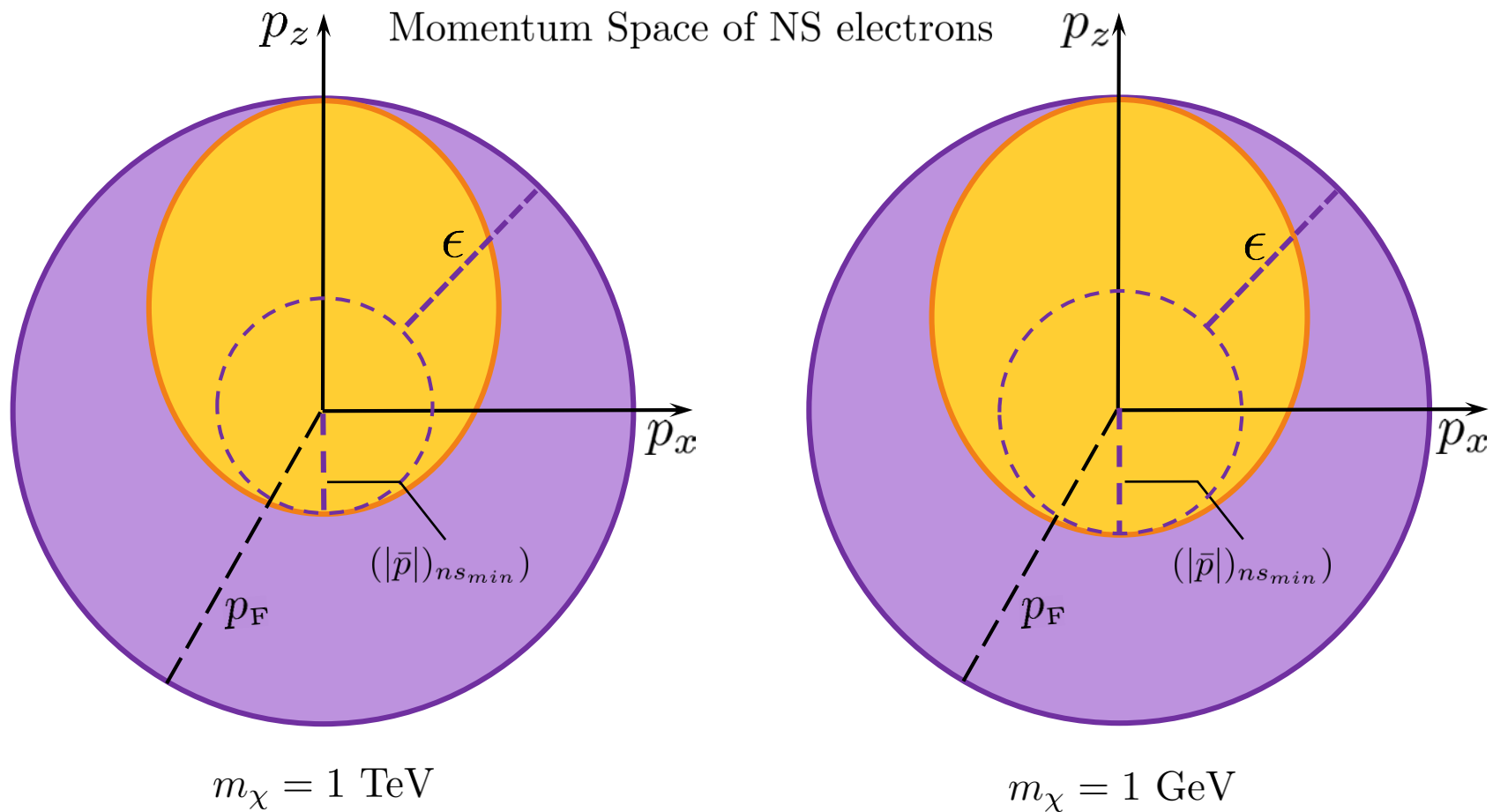
Comparison with Earth based DD



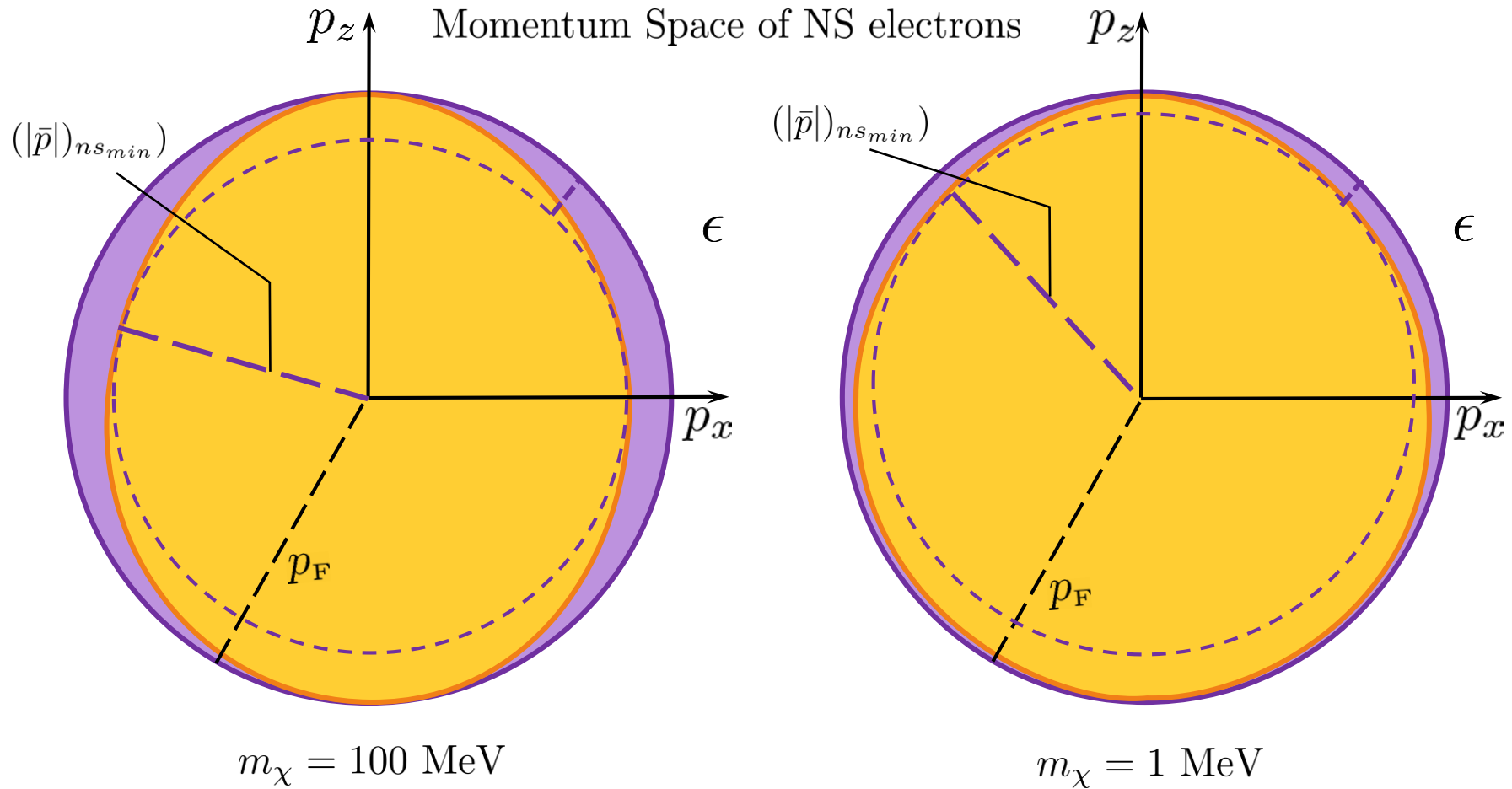
Cut-off reach for VV operator



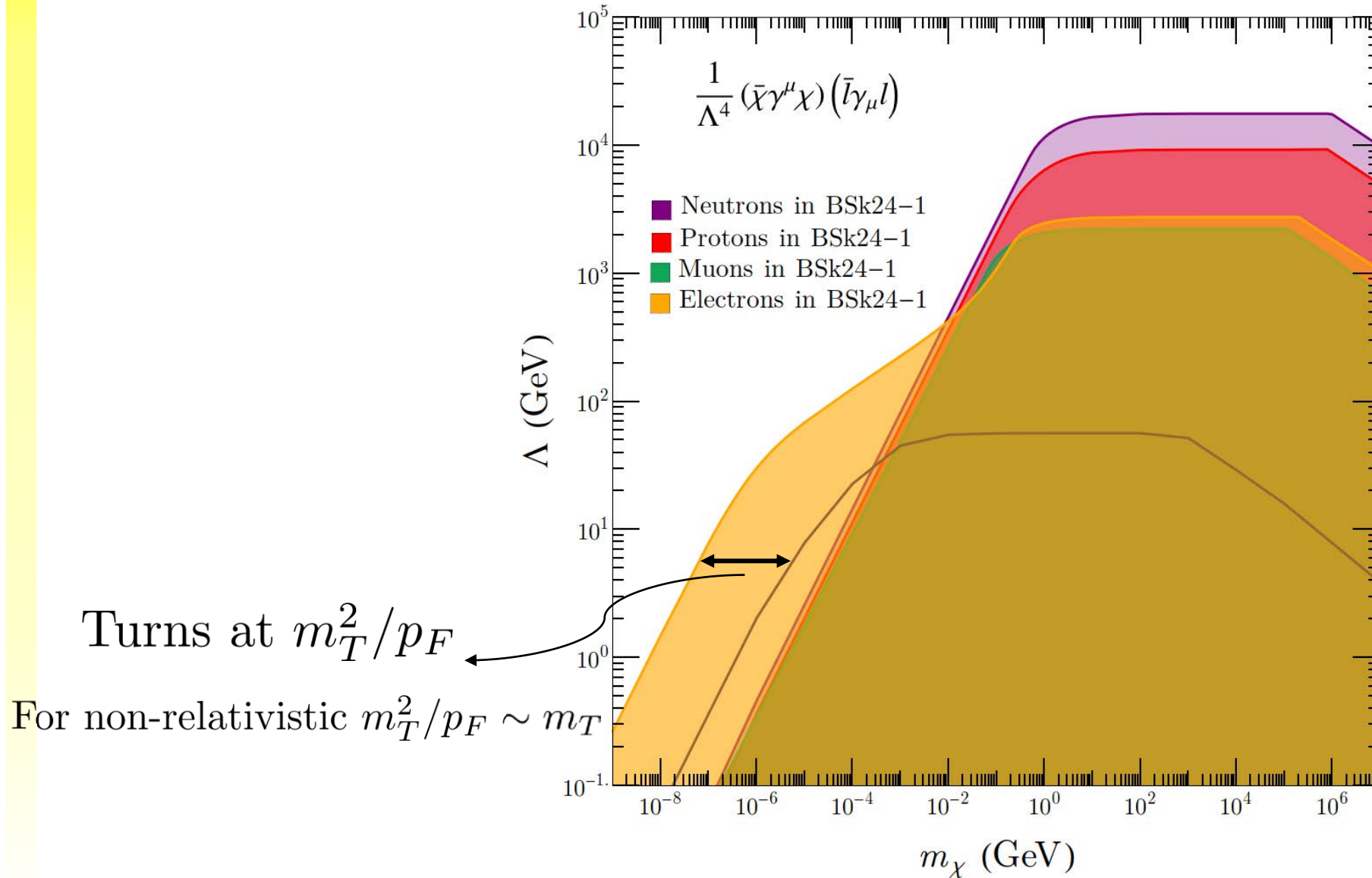
Pauli Blocking



Pauli Blocking



Cut-off reach for VV operator



Summary

- NS kinetic heating has advantage over earth based DD probes for low and high mass regimes compared to standard WIMP mass range
- Formulated Lorentz invariant capture efficiency for relativistic target species
- Lepton (esp. electron) aided DM capture greatly enhances sensitivity for light DM
- Relativistic effects play crucial role in this and also making electrons strongest probe for leptophilic DM in high mass range as well

Thank you!