

Evaluation of CT injection to RFP for performance improvement and reconnection studies

S. Masamune

**A. Sanpei, T. Nagano, S. Nakanobo, R. Tsuboi, S. Kunita, M. Emori,
H. Makizawa, H. Himura, N. Mizuguchi¹, T. Akiyama¹, T. Mizuuchi²,
K.J. McCollam³, D.J. Den Hartog³, R. Paccagnella⁴**

Kyoto Institute of Technology, Kyoto 606-8585, Japan

¹ NIFS, Toki 509-5292, Japan

² Inst. Adv. Energy, Kyoto University, Uji, Japan

³ University of Wisconsin-Madison, WI 53706, USA

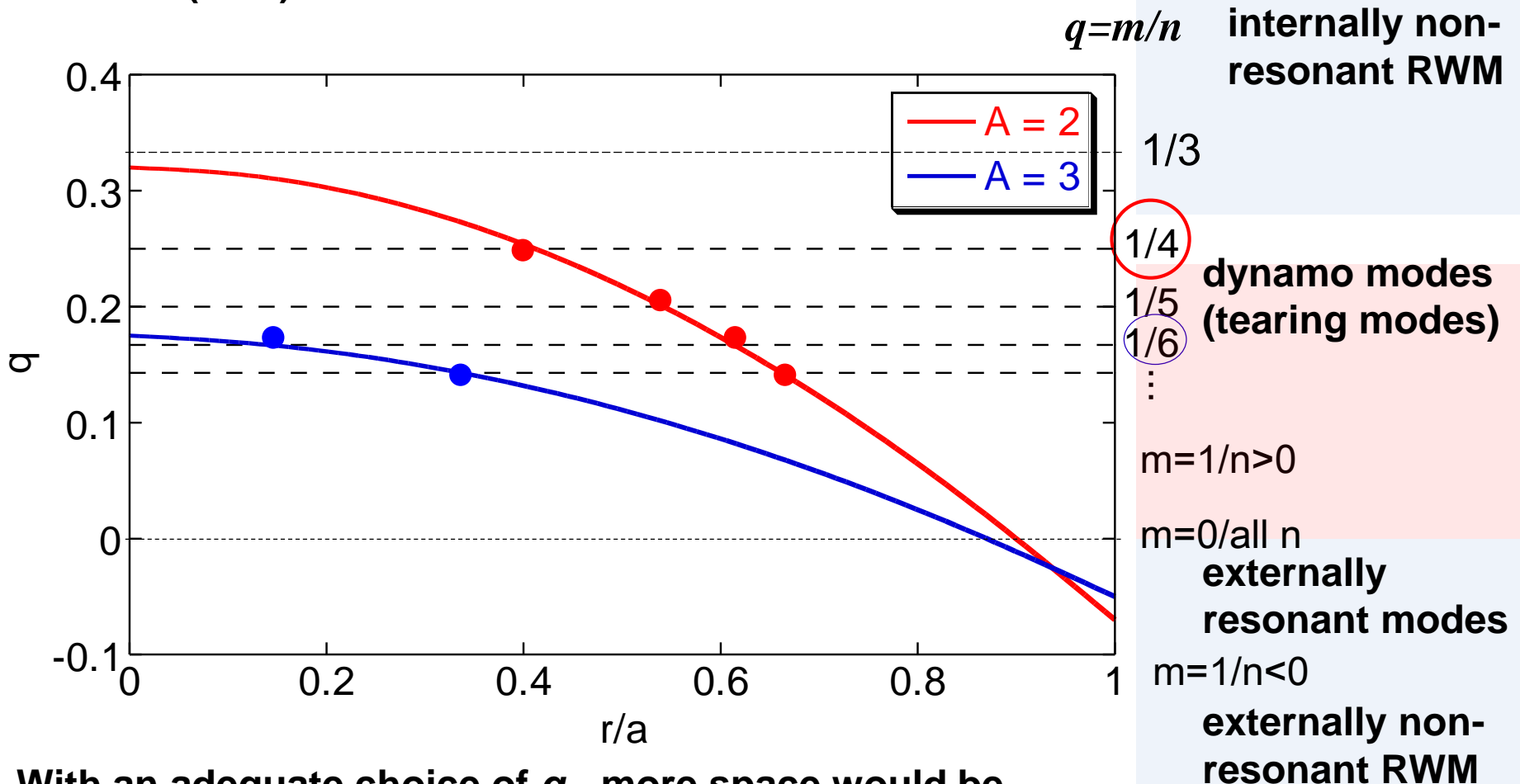
⁴ Consorzio RFX, Padova 32157, Italy

Outline

- **Motivation of low-A RFP research**
- **RELAX machine and its operational region**
- **QSH state in RELAX with 3-D MHD simulations**
- **MHD feedback control and performance improvement**
- **Gas fueling and helicity injection for further performance improvement**
- **Relaxation and magnetic reconnection**
- **Summary**

Motivation to explore the low-aspect-ratio RFP - I

- Resonant/non-resonant mode numbers depend on A .
- Lower n ($m=1$) mode becomes resonant as A is lowered.

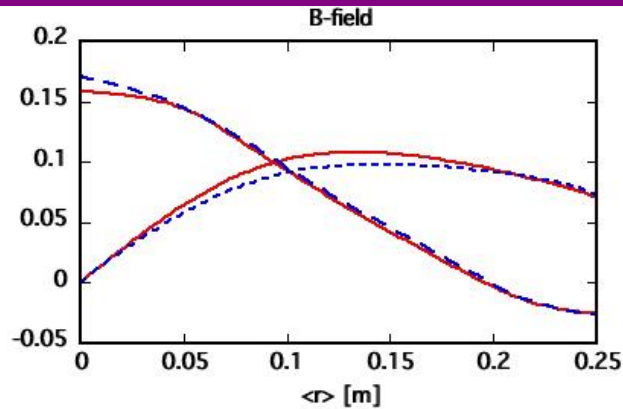


With an adequate choice of q_0 , more space would be available in the core region without major resonant surface

Motivation to explore low-A RFP - II

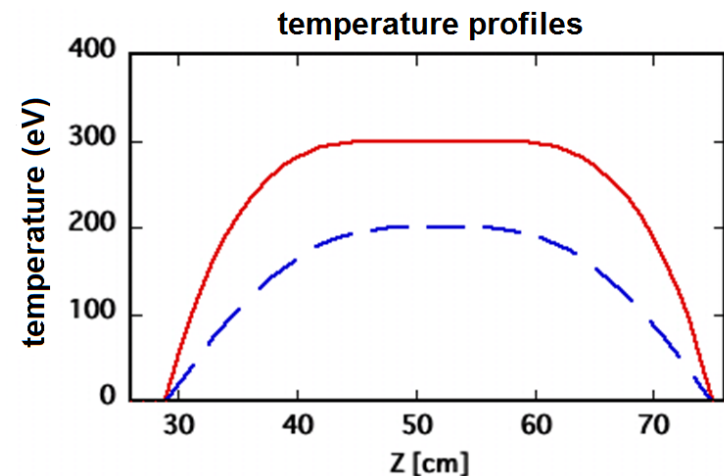
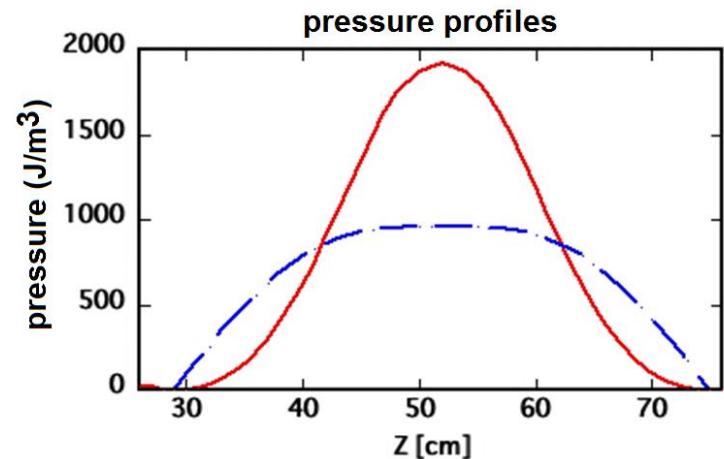
Bootstrap current fraction is sensitive to A and pressure profiles

- Sizable bootstrap current could be expected in low-A RFP (with very high-beta). (Shiina, 2005)
- Estimate of the bootstrap current fraction with equilibrium reconstruction using “RELAXFit” shows:

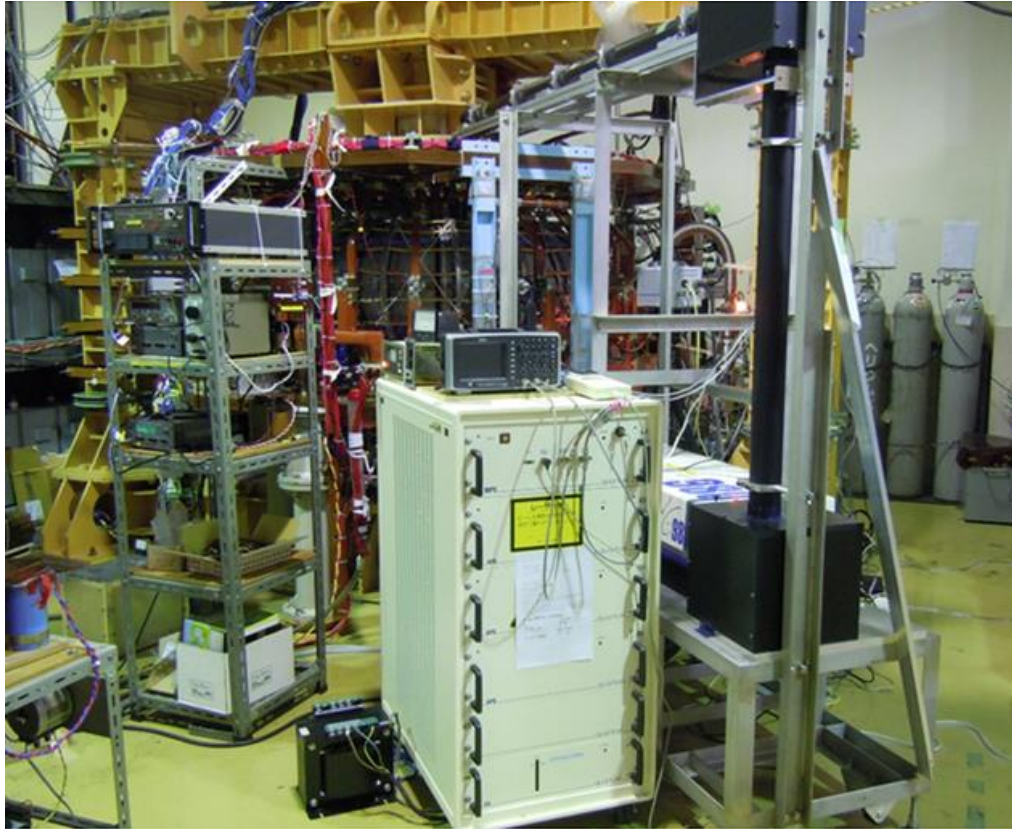


- Peaked pressure profile with rather flat temperature profile
- $T_e(0)=300$ eV, $n_e(0)=4.0 \times 10^{19} \text{ m}^{-3}$ at $I_p=90$ kA ($n_G \sim 1.0$)
- poloidal beta = 24%
=> bootstrap current fraction $\sim 30\%$

- Flat profiles for both pressure and temperature
- $T_e(0)=200$ eV, $n_e(0)=3 \times 10^{19} \text{ m}^{-3}$ at $I_p=95$ kA
- poloidal beta = 31%
=> bootstrap current fraction $\sim 5\%$



REversed field pinch of Low-Aspect-ratio eXperiment



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Objectives of RELAX includes:

- geometrical optimization of RFP
- bootstrap current issues
- MHD with resistive wall boundary

$$R/a = A = 2$$
$$(0.51 \text{ m}/0.25 \text{ m})$$

Resistive wall boundary

$$I_p < 125 \text{ kA}$$

$$n_e = 10^{18} \sim$$

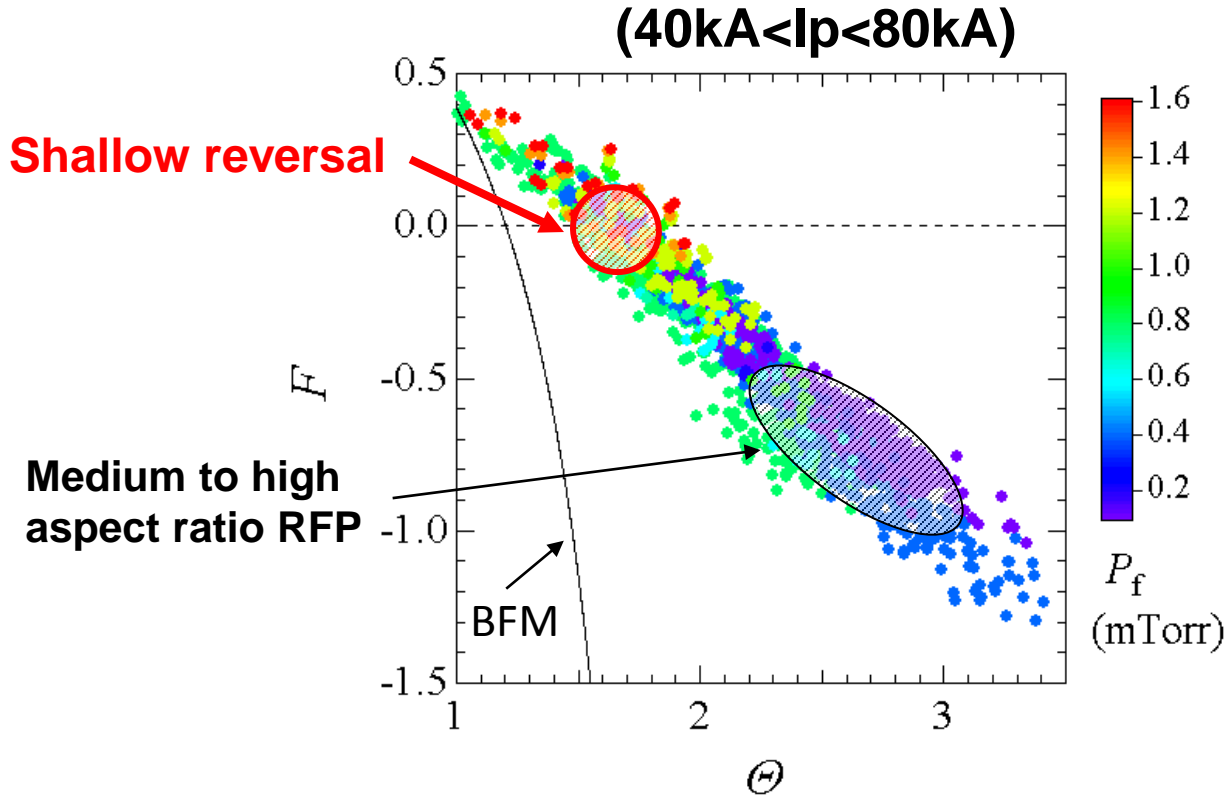
$$2 \times 10^{19} \text{ m}^{-3}$$

$$T_e(0) \sim 100\text{-}200 \text{ eV}$$

$$\beta_{pe0} \sim 5\text{-}15\%$$

$$\tau_D > 3 \text{ ms}$$

Wide operational range in (F , Θ) space is realized in RELAX



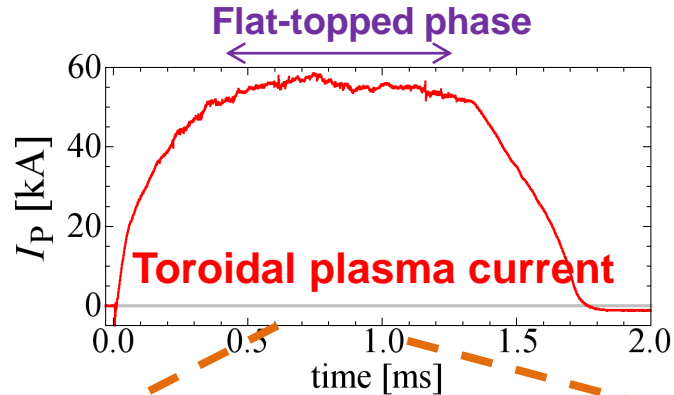
$$\Theta = \frac{B_p(a)}{\langle B_t \rangle}$$

$$F = \frac{B_t(a)}{\langle B_t \rangle}$$

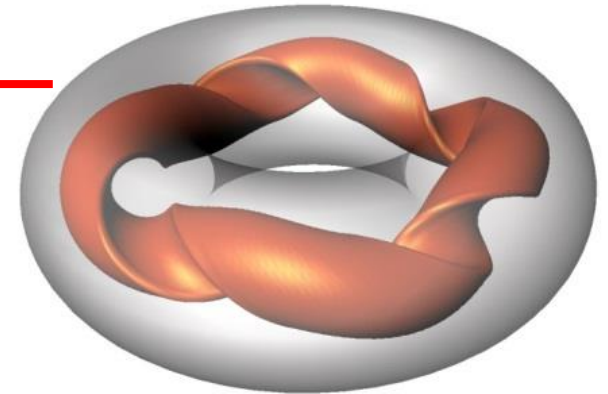
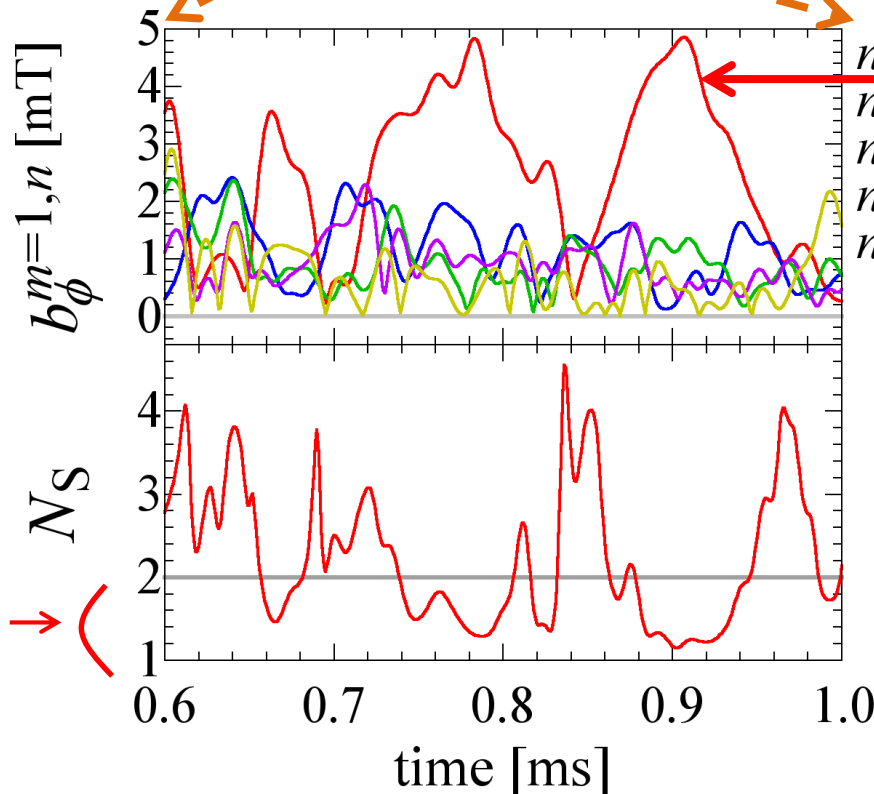
(Ikezoe et al., PPCF 2012)

- In shallow reversal region,
 - Periodic Quasi-Single Helicity (QSH) or Helical Ohmic RFP state tends to be realized
- In deep reversal, high- Θ region,
 - Amplitudes of resonant modes are suppressed with broad spectrum
 - SXR emission increases, indicating improved plasma performance

Example of QSH in RELAX from edge magnetic fluctuation



- QSH defined by $N_s < 2$ can be confirmed from edge magnetic fluctuation spectrum.
- QSH appears quasi-periodically.

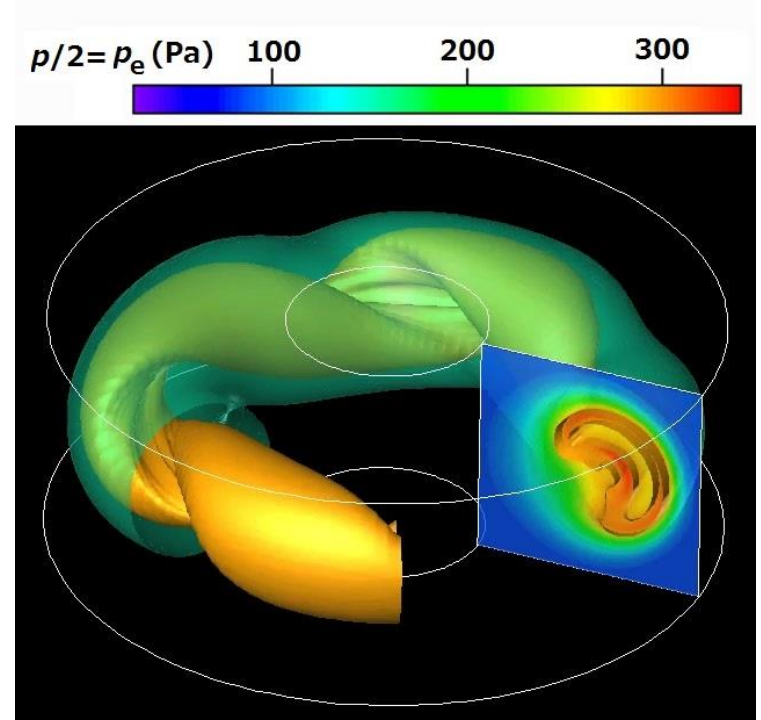
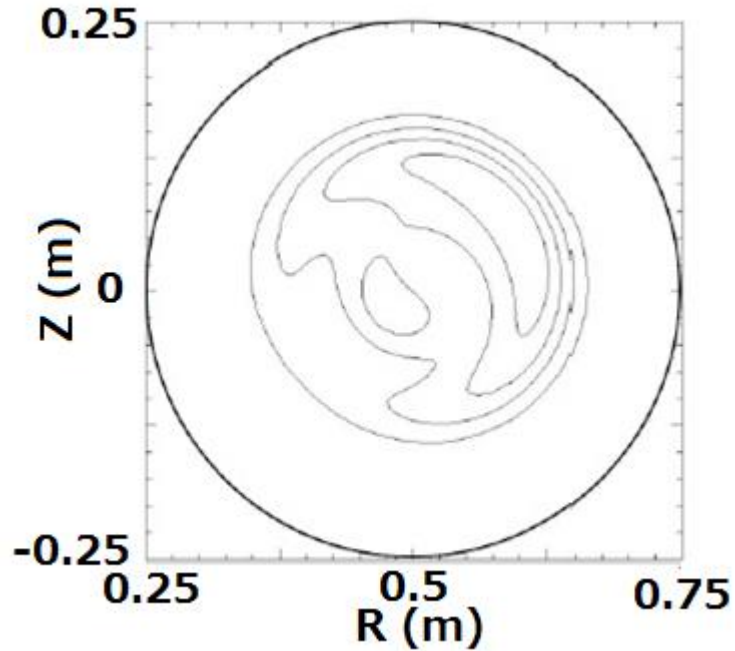


Spectral index N_s :
a quantitative measure for QSH

$$N_s = \left[\sum_{n=3}^8 \left(\frac{(b_{\phi}^{1,n})^2}{\sum_{n=3}^8 (b_{\phi}^{1,n})^2} \right)^2 \right]^{-1}$$

(Oki et al, PFR 2012; FST 2013)

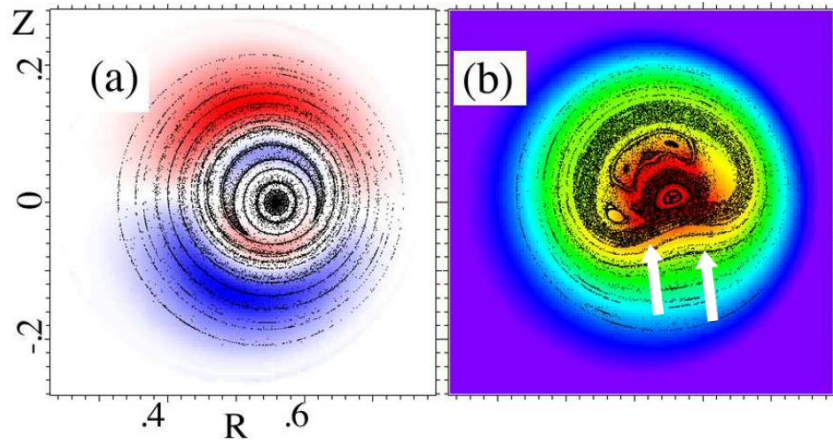
Comparison of the experimental and computed flux surfaces



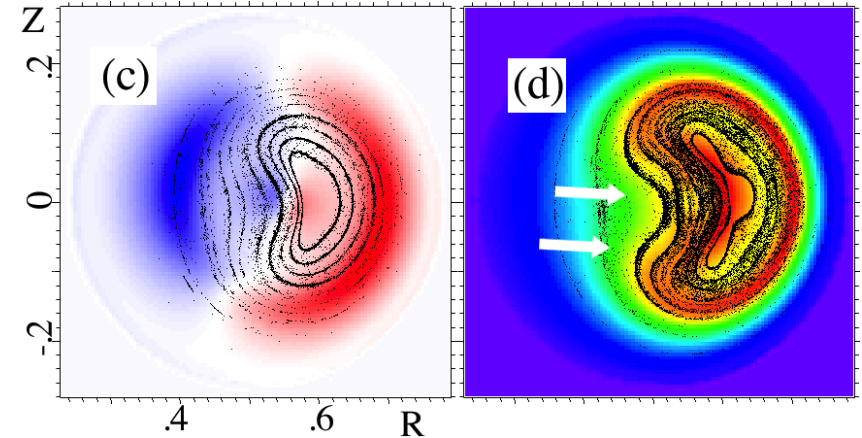
Left: reconstructed magnetic surface shape using SXR imaging and CT technique during QSH phase in RELAX. The major axis is to the left of the cross section. **Right:** helical equi-pressure surface shape in 3-D MHD simulation using the MIPS code. The helical states show good agreement.

Two processes are possible to form the helical core structure with resonant and non-resonant modes

Resonant case



Non-resonant case



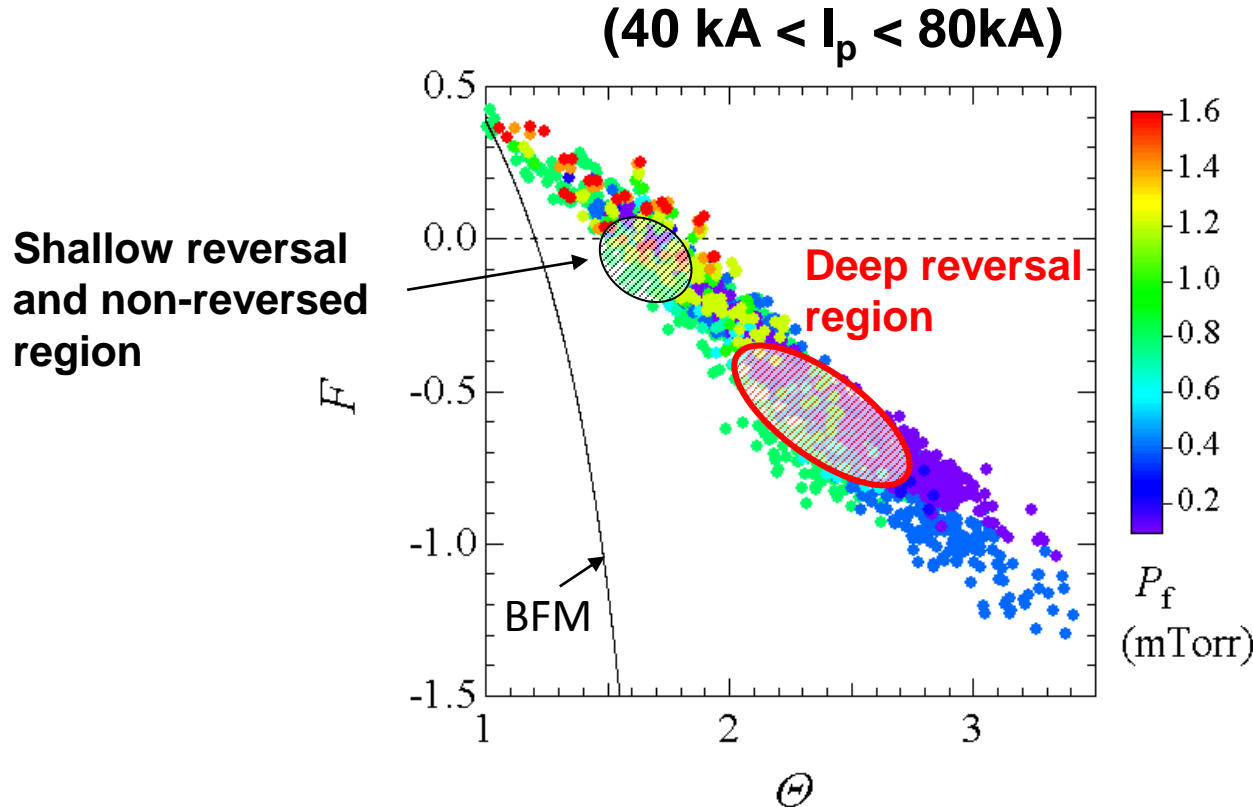
Resonant case

- Magnetic island appears and grows on the $q=1/4$ surface, the original magnetic axis disappearing by helical flow-driven magnetic reconnection .
- The O-point of the island forms a new helical magnetic axis.
- A bean-shaped, hollow pressure profile is formed in a poloidal cross section

Non-resonant case

- The original magnetic surfaces deform directly into a helical shape.
- A bean-shaped, hollow pressure profile is still formed.

Wide operational range in (F, Θ) space is realized in RELAX



$$\Theta = \frac{B_p(a)}{\langle B_t \rangle}$$

$$F = \frac{B_t(a)}{\langle B_t \rangle}$$

(Ikezoe et al., PPCF 2012)

- In shallow reversal region,
 - Quasi-periodic Quasi-Single Helicity (QSH) or Helical Ohmic RFP state tends to be realized
- In deep reversal, high- Θ region,
 - Amplitudes of resonant modes are suppressed with broad spectrum
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The resistive wall mode in RELAX

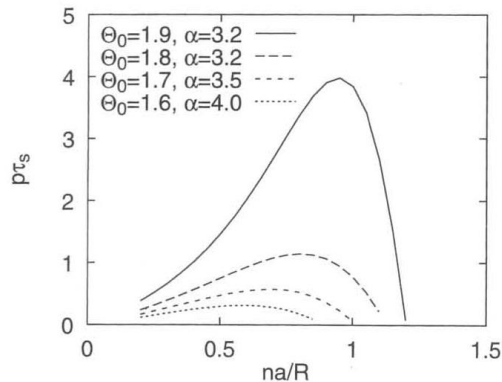
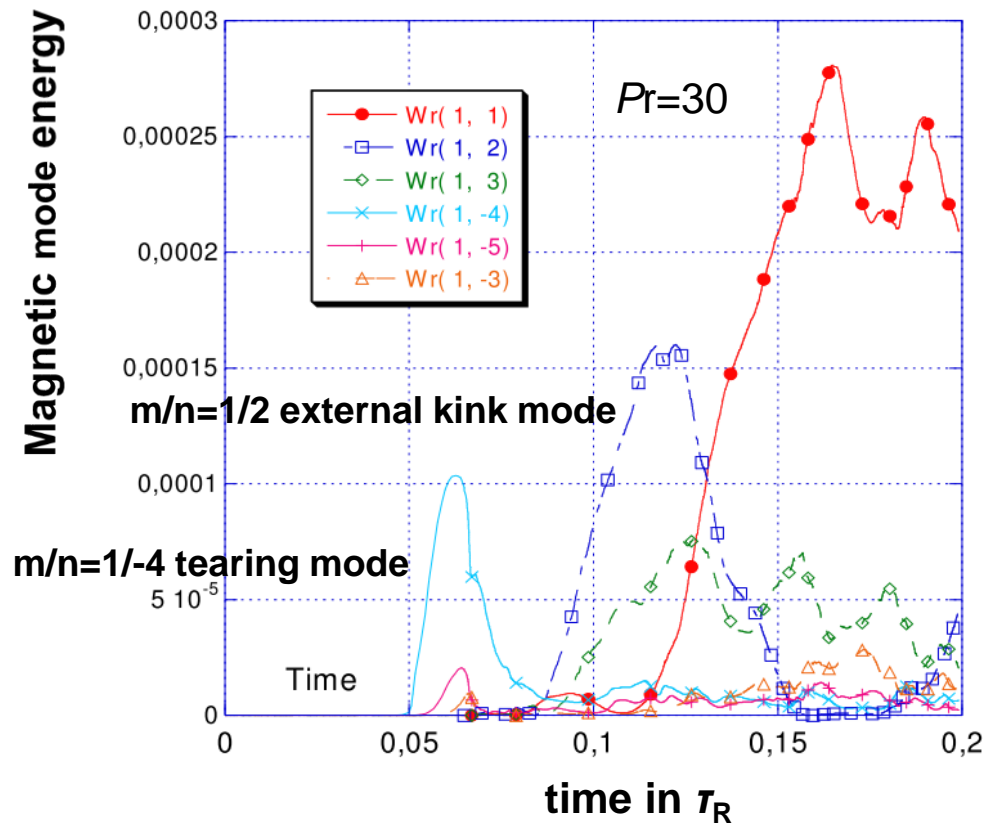


Fig. 3. Growth rate vs $ak_z = na/R$ for the equilibrium specified by four sets of Θ_0, α .

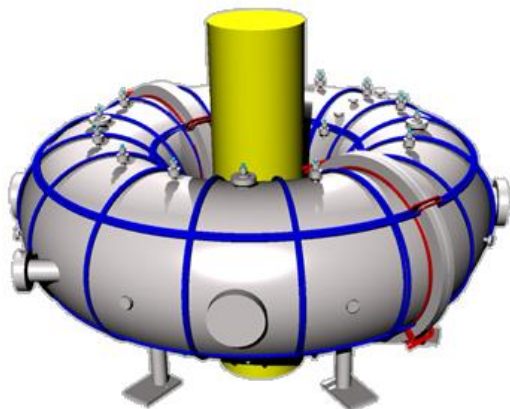
Linear stability analysis predicts the most unstable mode with $n\varepsilon \sim 1$, where $\varepsilon = a/R$ (Masamune, 1998)

DEBS code simulation

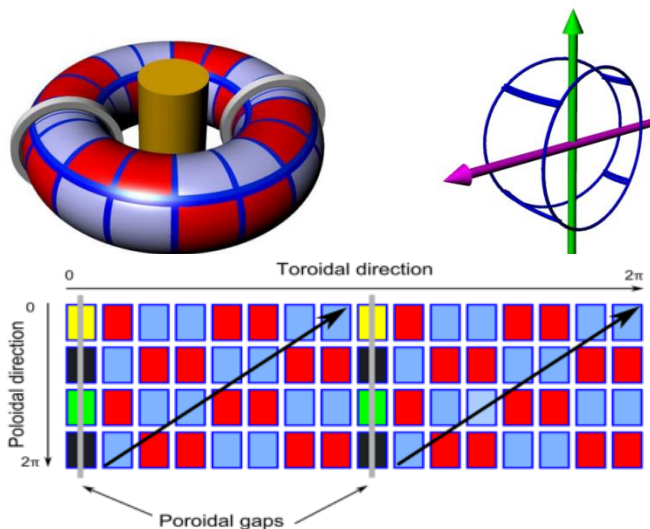


Radial mode energy vs. time for the RWM simulation with $\tau_w = 0.02$ ($Pr = 30$, $S = 3 \times 10^4$) (Paccagnella, 2008)

Saddle coil array for feedback control of MHD modes



4x16 saddle coil array



saddle coil connection for $m/n=1/2$ mode stabilization with separate control at two poloidal gaps

- Feedback control of a single RWM has been performed using 64 saddle coils (4X16) covering the whole torus.
- The saddle coils are connected in series to form $m/n=1/2$ helical windings, with separate coils at two poloidal gaps, for stabilization of the most unstable RWM in RELAX.

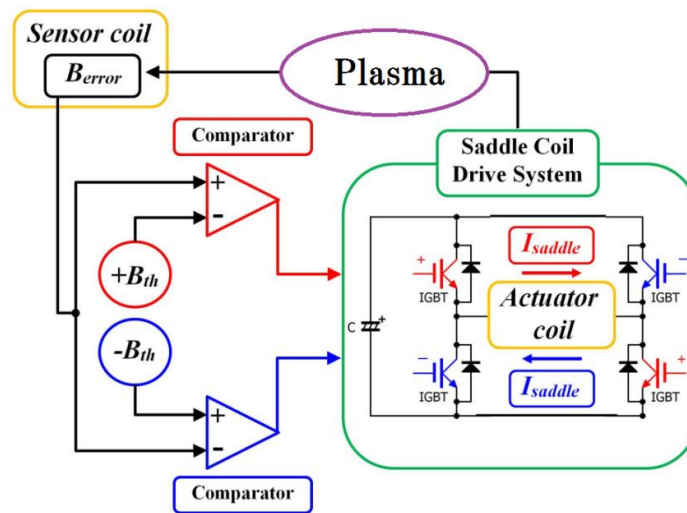
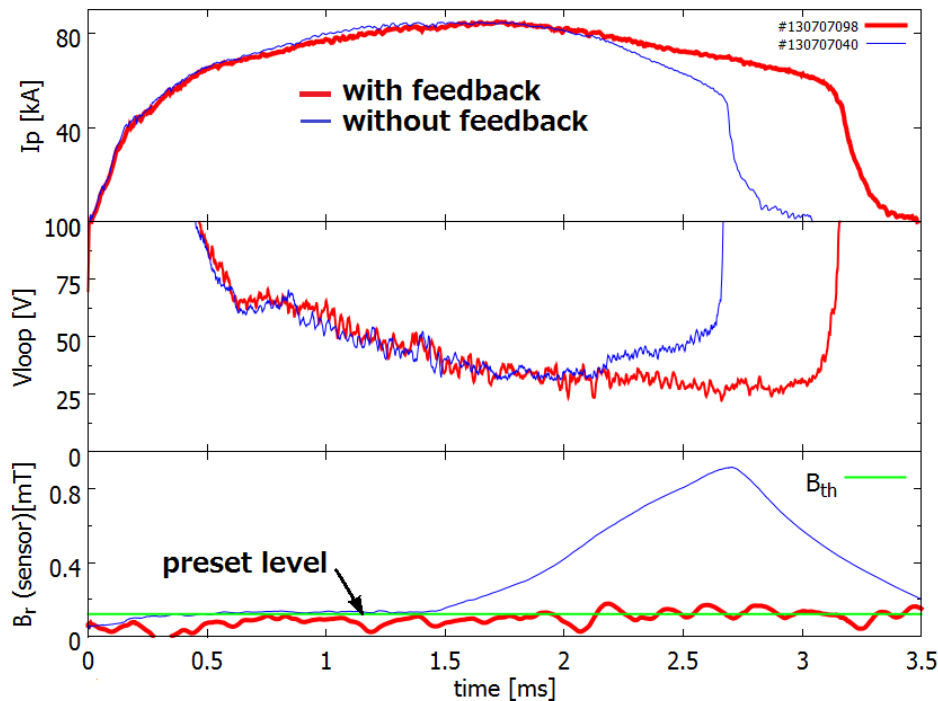


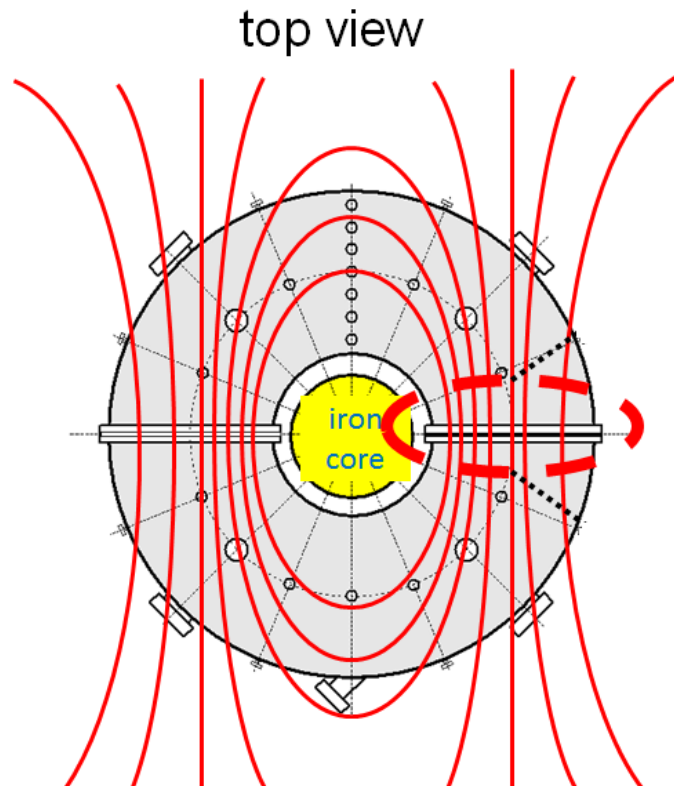
Diagram of the control power supply

Feedback control of single $m/n=1/2$ RWM has resulted in longer discharge duration ($\sim 3\tau_w$)



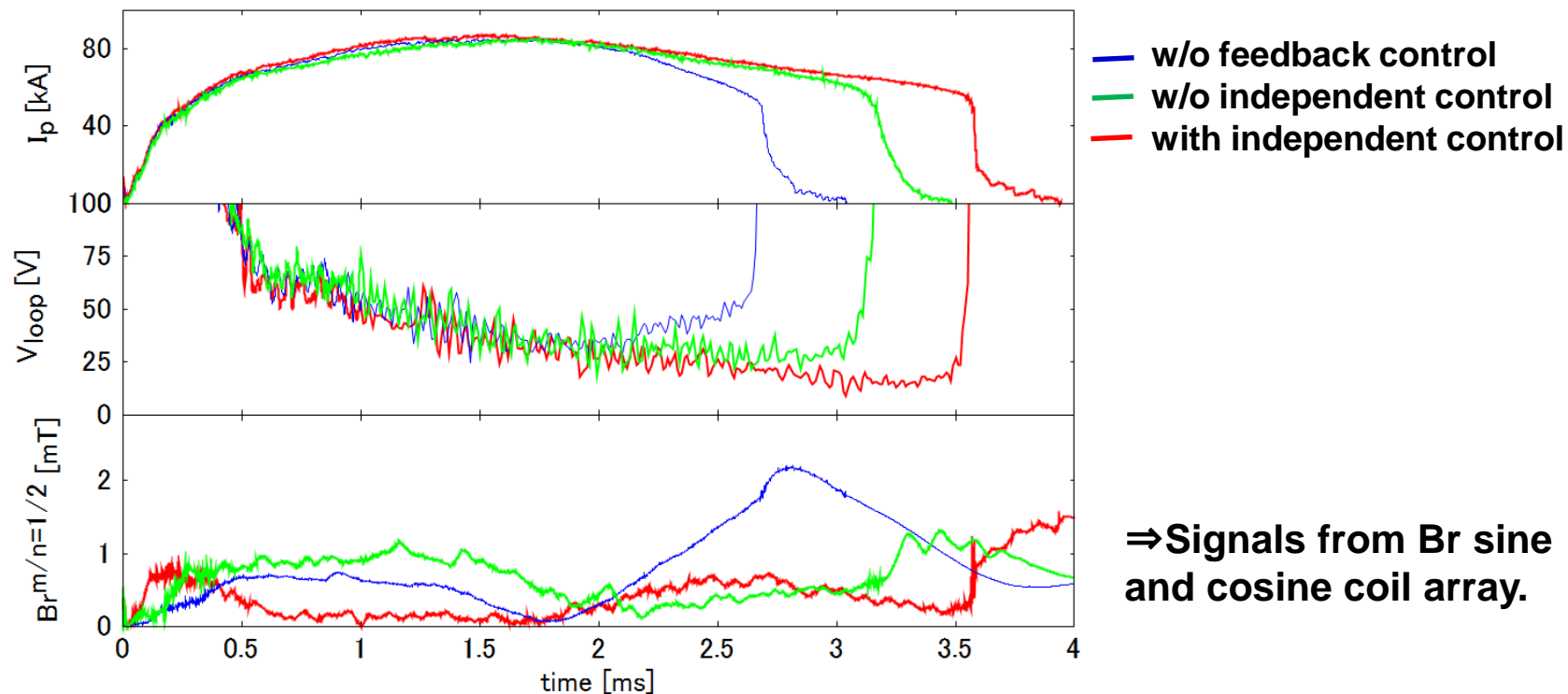
- Feedback control of a single RWM has been performed using 64 saddle coils (4X16) covering the whole torus.
- As a result of feedback control, the sensor signals are suppressed below the pre-set level over the discharge
- The discharge duration extends to $\sim 3\text{ms}$, restricted by iron core saturation

Poloidal currents at the insulated gaps produce signals to the feedback sensor coils



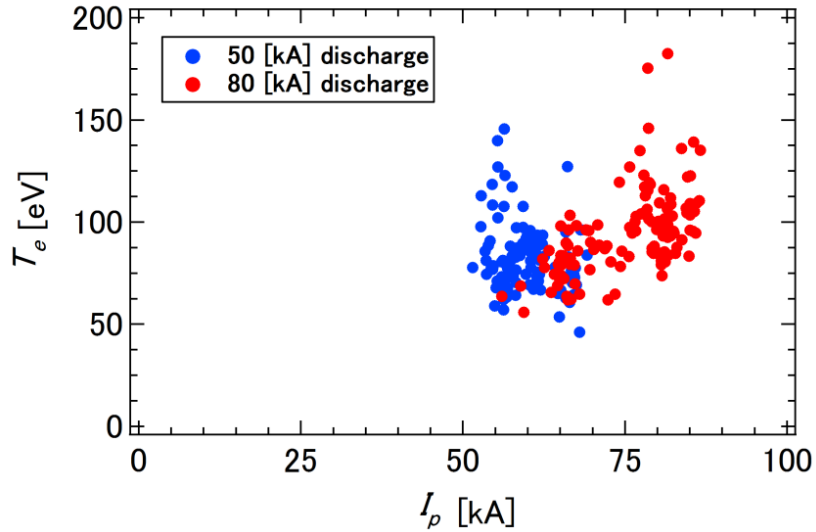
- **Poloidal current flows in the vessel and flanges when the reversed toroidal field is applied in the current rise phase.**
- **The poloidal current persists because of the longer L/R time of the flanges.**
- **The resultant fields produce signals to the feedback sensor coils as $m/n=1/2$ component.**

Independent control at the poloidal gaps leads to further improvement



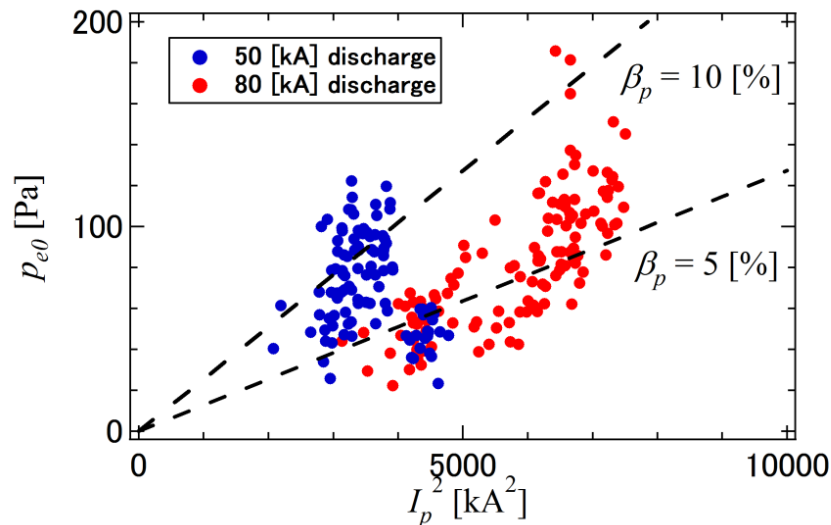
- $m/n=1/2$ mode amplitude (outside the vessel) is lowered particularly during the current rise phase.
- In the three cases, the discharge duration is limited by the saturation of iron core (~ 0.2 Vs).

Thomson temperature provides central electron pressure p_{e0}



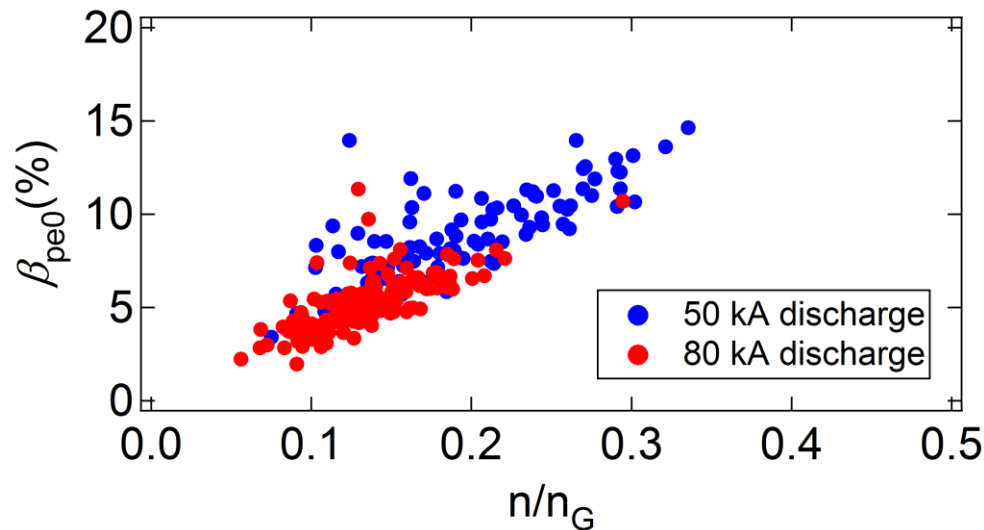
➤ The central electron temperature $T_e(0)$ is ~ 100 eV for I_p of 50-80 kA, is increasing with I_p .

➤ The maximum central electron pressure increases with plasma current.



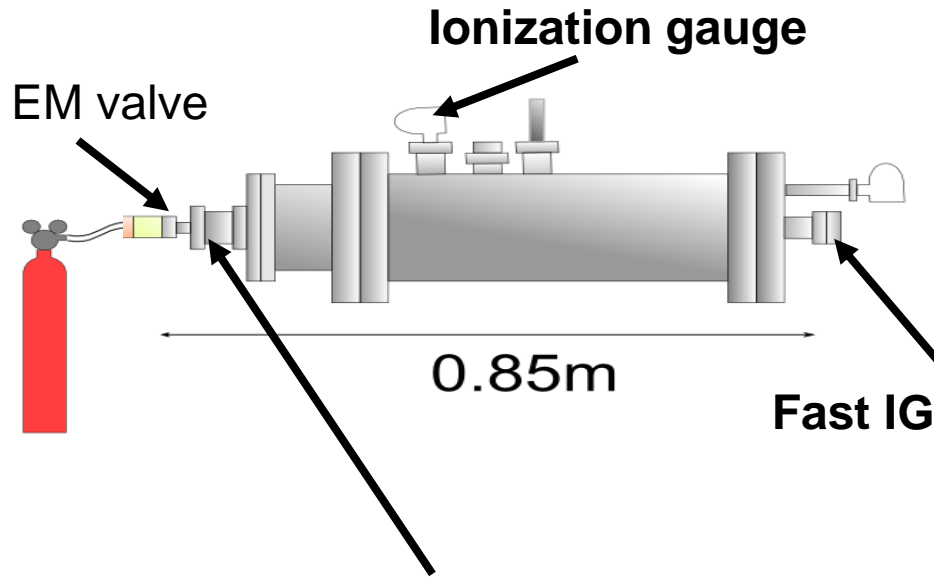
➤ A measure of electron beta, $\beta_p \equiv p_{e0} / (B_p^2(a) / 2\mu_0)$, is 5-15%.

Density dependence on electron beta is under investigation

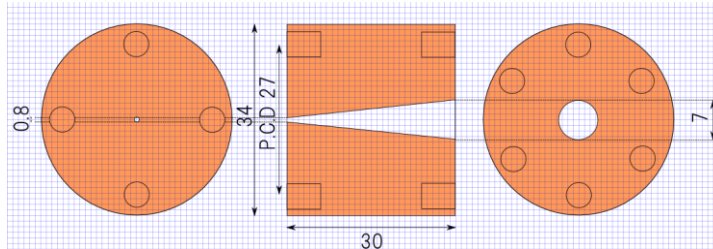


- The electron beta increases with density well below the Greenwald density limit.
- The electron poloidal beta increases with density in the region below the Greenwald density.
- A 140 GHz millimeter wave interferometer is working.
- Preliminary gas injection experiment seems to be promising.

Simple nozzle has been tested for directional gas flow

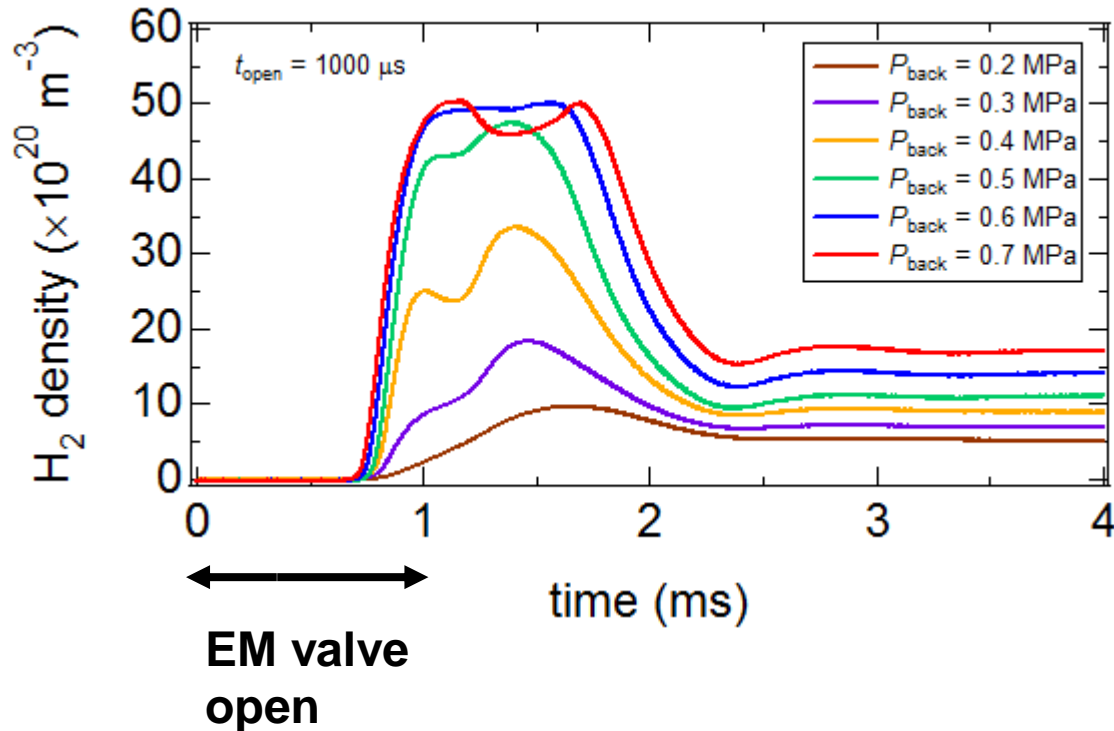


- A simple nozzle has been tested in combination with fast acting electromagnetic valve
- Gas flow velocity is estimated using a fast ionization gauge facing the nozzle



Simple nozzle

Directional gas flow at least $v > 1\text{km/s}$ has been confirmed



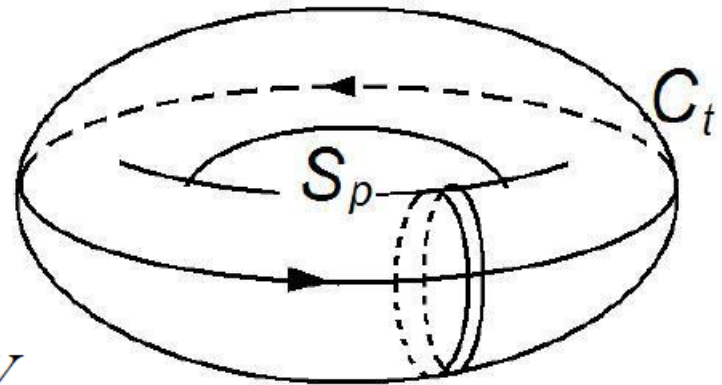
- Initial rapid increase in pressure followed by decay to steady value may be an indication of directional gas flow
- The total number of injected H₂ particles can be estimated from steady state pressure

Magnetic helicity in a toroidal system

$$K_1 = \int \mathbf{A} \cdot \mathbf{B} \, dV - \Phi \Psi$$

$$\frac{dK_1}{dt} = -2 \int \mathbf{E} \cdot \mathbf{B} \, dV$$

$$-2 \dot{\Phi} \Psi - \int \nabla \cdot (\phi \mathbf{B}) \, dV$$



Magnetic helicity in RELAX plasma at $I_p \sim 100$ kA:

$$\Psi \approx 6 \times 10^{-3} \text{ (Wb)}$$

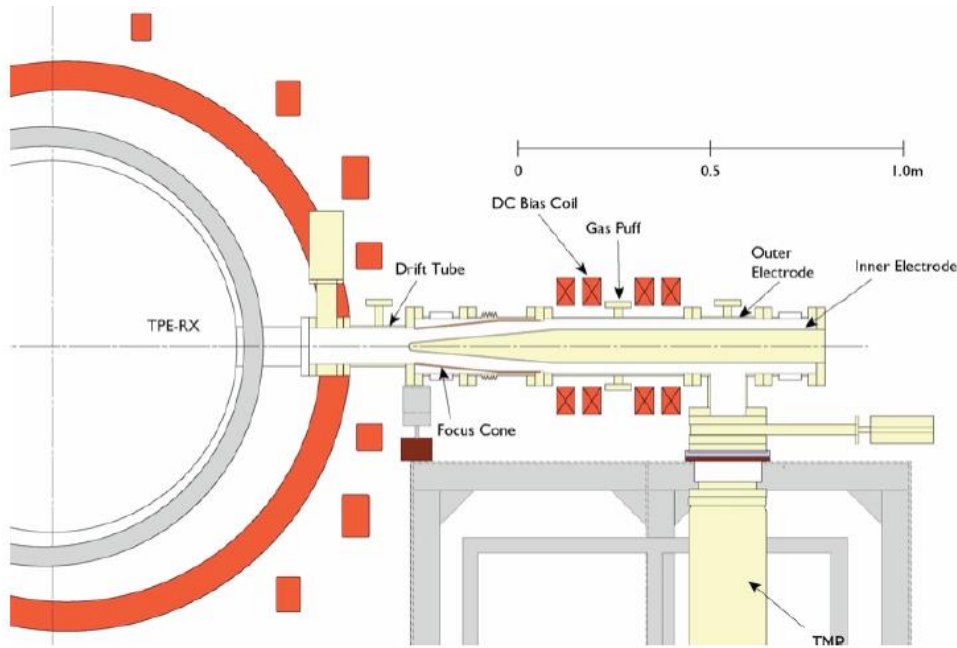
$$\Phi \approx 0.1 \text{ (Wb)}$$



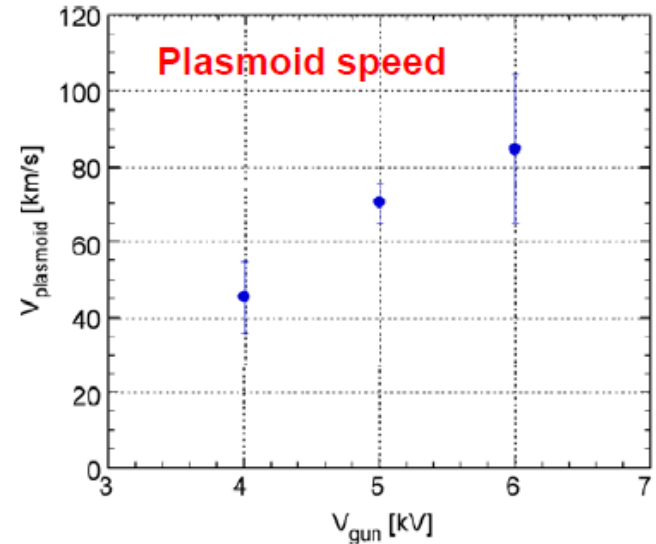
$$K_1 \approx 6 \times 10^{-4} \text{ (Wb}^2\text{)}$$

CT Injector for TPE-RX

The injector is transferred to RELAX



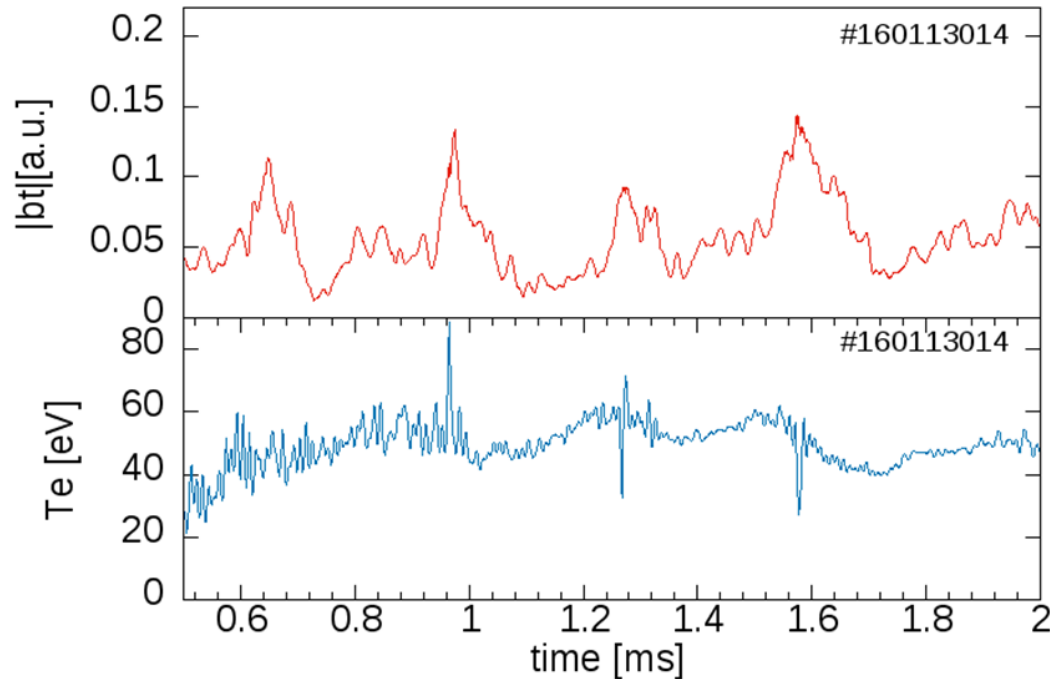
CT Injector installed in TPE-RX
(vertical injection)



Dependence of CT velocity on V_{gun}
(Y. Kikuchi et al. , Univ. Hyogo)

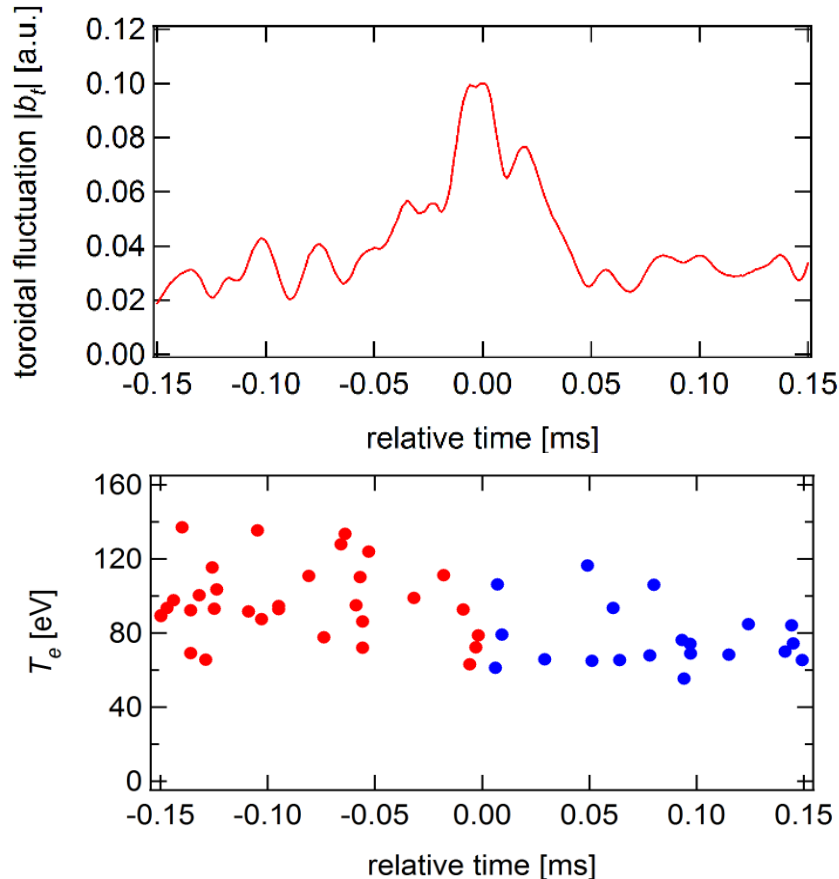
CT Speed required for
injection to RELAX:
~35 km/s

Rapid decrease in double-filter SXR temperature is observed at the relaxation event



- Discrete relaxation event is observed during the flat-topped current phase.
- The electron temperature estimated from double-filtered SXR signals decreases as a result of relaxation.

Rapid decrease is also observed in Thomson temperature at the relaxation event

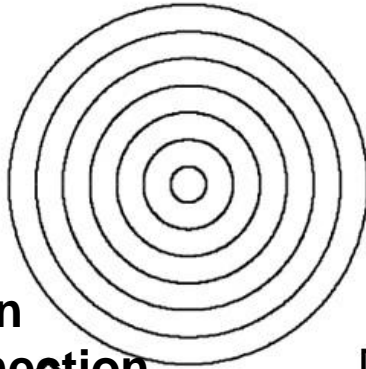


- Shot-by-shot single point data are replotted with respect to the discrete relaxation event over almost identical shots and events
- The trend is that Thomson temperature is lowered after the relaxation event

The temperature decrease may be related to magnetic reconnection associated with MHD relaxation cycle

Relaxed state

$$s \sim 0$$

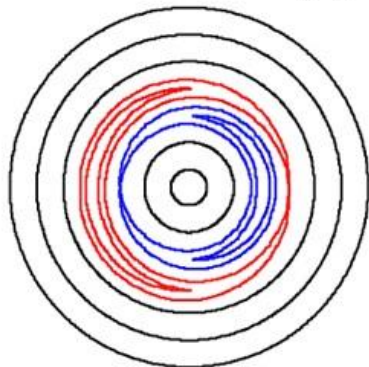


Chirikov parameter

$$s = \frac{1}{2} \frac{\Delta_{mn} + \Delta_{m'n'}}{|r_{mn} - r_{m'n'}|}$$

Profile flattening
=> Relaxation

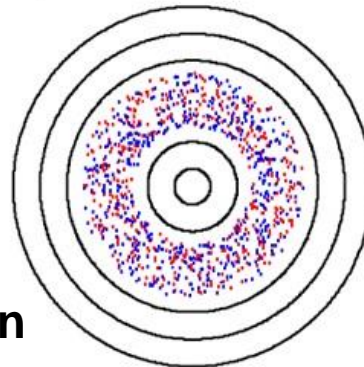
Resistive diffusion
=> Tearing reconnection



$$s \sim 1$$

Overlapped islands

Fully 3D
reconnection



$$s > 1$$

Stochastic region

Question associated
with CT injection:
- How does the
reconnection evolve
after the CT injection?

Summary

- **As the performance of RELAX plasmas is improved, we are in a good position to verify bootstrap current in a low-A RFP.**
- **Further efforts to obtain higher temperature and higher density are in progress for high-beta plasmas with improved performance.**
 - **Electron temperature=>high current, PPCD?**
 - **Electron density=>fast gas puffing.**
- **A scenario for achieving high performance QSH with good controllability is required.**
- **Evaluation of CT injection (for helicity injection) in current rise phase to save poloidal flux is in progress.**

Thank you for your attention.

3-D MHD simulation study on formation process of helical RFP state in low-A configuration

Simulation Model

- nonlinear MHD
- resistive
- compressible

Governing equations

$$\frac{\partial \rho}{\partial t} = -\nabla \cdot (\rho \mathbf{u}),$$

$$\rho \frac{\partial \mathbf{u}}{\partial t} = -\boldsymbol{\omega} \times \mathbf{u} - \rho \nabla \left(\frac{u^2}{2} \right) - \nabla p + \mathbf{j} \times \mathbf{B} \\ + \frac{4}{3} \nabla [v \rho (\nabla \cdot \mathbf{u})] - \nabla \times (v \rho \boldsymbol{\omega}),$$

$$\frac{\partial p}{\partial t} = -\nabla \cdot (p \mathbf{u}) - (\gamma - 1) p \nabla \cdot \mathbf{u} \\ + (\gamma - 1) \left[v \rho \boldsymbol{\omega}^2 + \frac{4}{3} v \rho (\nabla \cdot \mathbf{u})^2 + \eta j^2 \right]$$

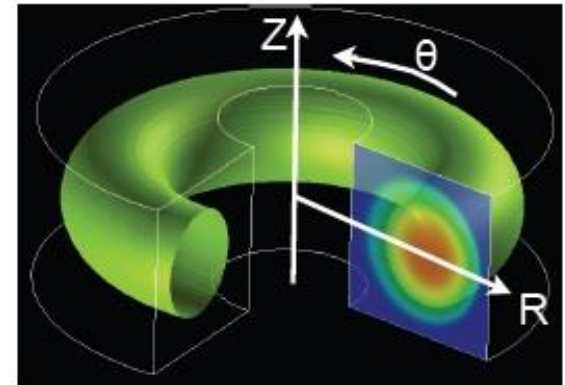
$$\frac{\partial \mathbf{B}}{\partial t} = -\nabla \times \mathbf{E},$$

$$\mathbf{E} = -\mathbf{u} \times \mathbf{B} + \eta \mathbf{j},$$

$$\mu_0 \mathbf{j} = \nabla \times \mathbf{B},$$

$$\boldsymbol{\omega} = \nabla \times \mathbf{u}.$$

Numerical geometry



$$\eta = 1 \times 10^{-5} \\ \nu = 8 \times 10^{-4}$$

$$P = \nu / \eta = 80 \\ H = (\eta \nu)^{-1/2} = 10^5$$

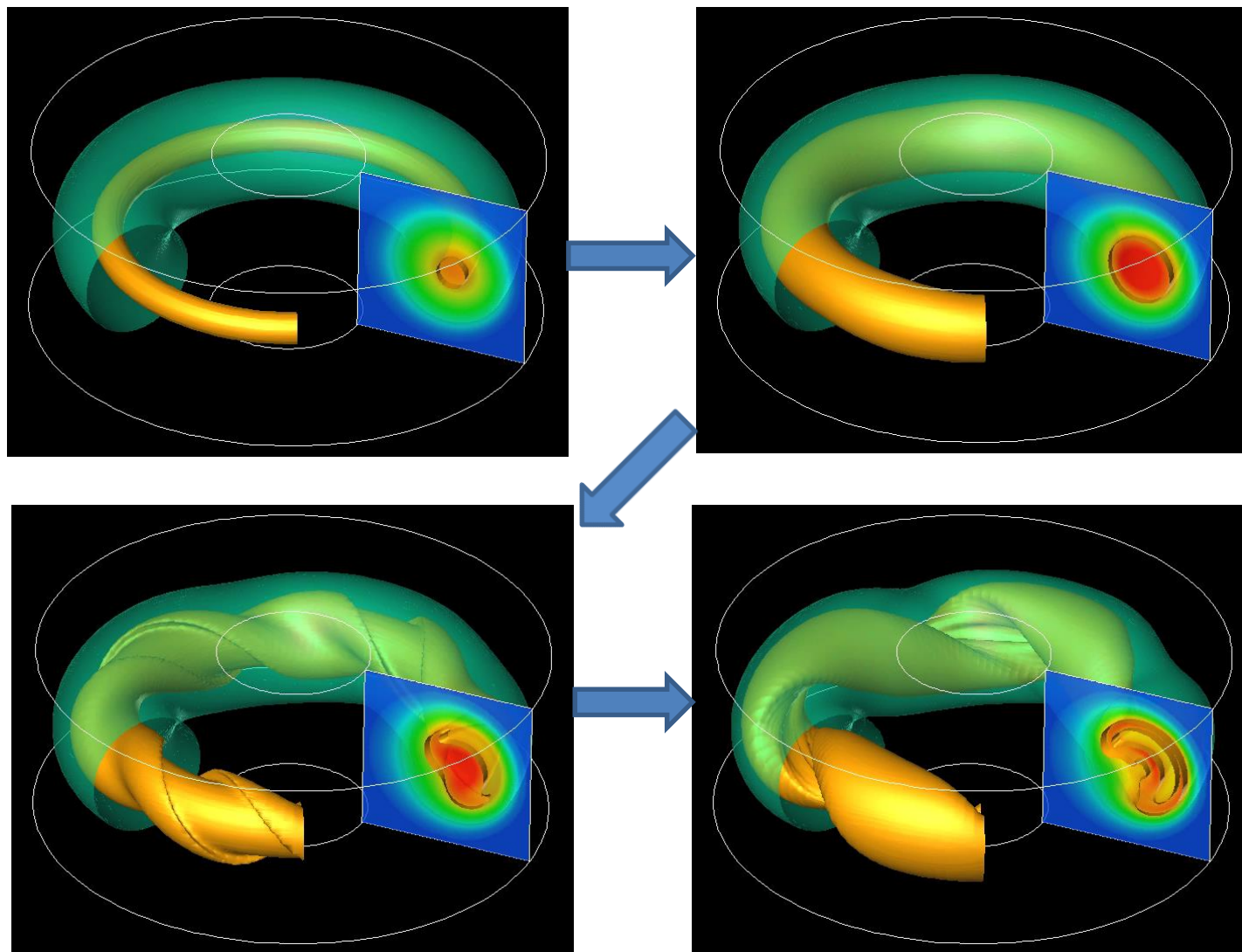
grid size
 $(N_R \times N_Z \times N_\theta) =$
 $(112 \times 112 \times 128)$

MHD solver:

MIPS : MHD Infrastructure for Plasma Simulation

(Y. Todo et al., Plasma Fusion Res. 5 (2010) S2062.)

Nonlinear evolution of iso-pressure contours to the helical RFP state



(Mizuguchi et al., PPCF 2012)