

Shunsaku : DM ANNIHILATION 101

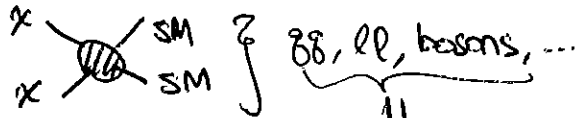
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ASSUMPTIONS

① DM IS A WIMP (GeV - TeV)

↑ OTHERWISE NOT IN FERMI RANGE

② THEY ANNIHILATE / DECAY



CASCADE & PROPAGATE INTO $\gamma, e^+e^-, \nu, p^+p^-$
 WHAT WE CAN SEE

Galactic signal ← PRIMARY

ANN:
$$\frac{dN}{dE d\Omega dA dt} = \frac{\langle \sigma v \rangle}{2} \frac{(\rho/M_X)^2}{4\pi} \frac{dN}{dE} \int \beta^2(r) ds$$

$\frac{1}{2}$ bc ann ~~with~~ w/ identical particle

BOOST FACTOR

DECAY:

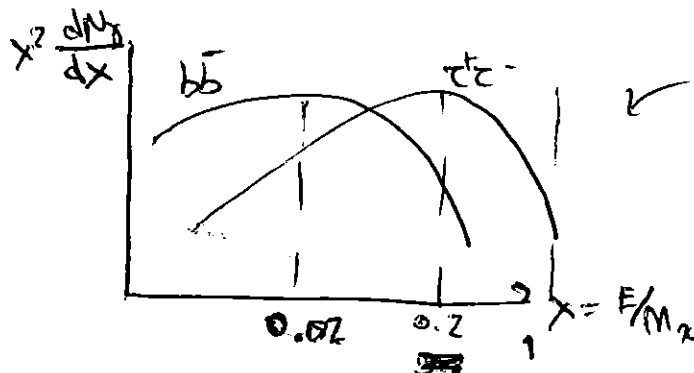
$$= \frac{1}{\tau_X} \frac{(\rho/M_X)^2}{4\pi} \frac{dN}{dE} \int \beta^2(r) ds$$

PARTICLE

ASTRO

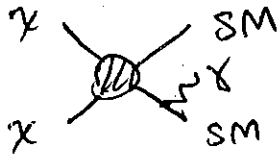
ASTRO PEOPLE ASSUME EXTREME CASES, TYPICALLY

eg γ rays: HARD SPEC FROM τ SOFT FROM π^0

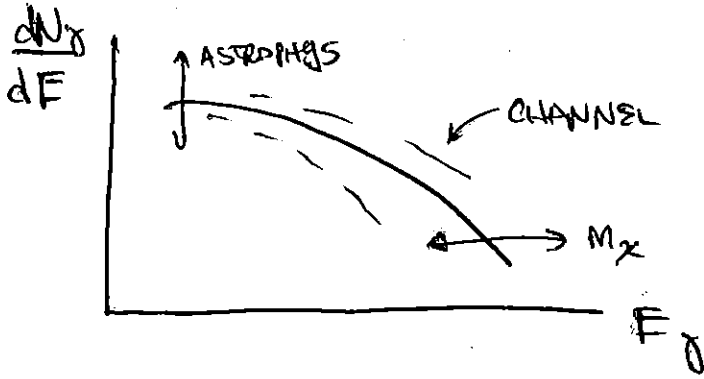


eg in GALAXY CENTER THIS IS A STATISTIC. SIG. DIFFERENCE

also: final state radiation:



↓ spectra
 MAKES THINGS HARDER
 (LARS BERGSTRÖM)

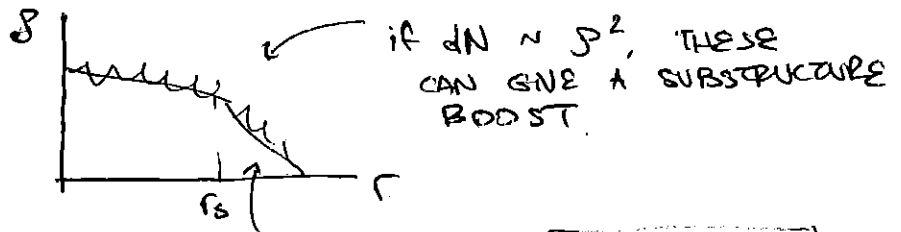


HOW PHYSICS AFFECT THESE PLOTS

$\rho(r)$ DM DENSITY, CALC NUMERICALLY FROM SIMULATION.

- ISSUES:
- RESOLUTION (HAVE TO EXTRAPOLATE TO GO TO GALACTIC CENTER)
 - BARYON EFFECTS (HARD TO MODEL, BIG EFFECT?)
 ↳ related to core vs. cusp

SUBSTRUCTURE CAN HAVE ~~BIG~~ BIG EFFECT



if $dN \sim \rho^2$, THESE CAN GIVE A SUBSTRUCTURE BOOST.

straight lines: **NFW PROFILE**
 2 PARAM FIT TO DENSITY

$$\rho(r) = \frac{\rho_0}{(r/r_s)(1+r/r_s)^2}$$

OTHER PROFILES

$$J(r) = \frac{J_0}{(r/r_s)^{\alpha} (1+r/r_b)}$$

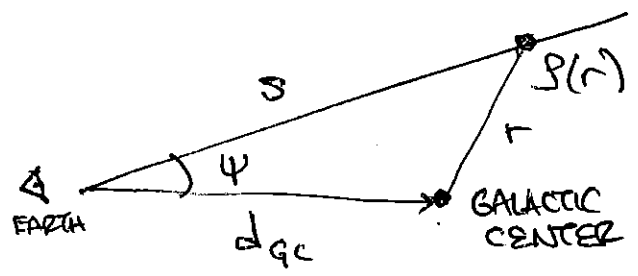
$$J(r) = \frac{J_0}{(r_s/r)^{\alpha} (1+r/r_c)(1+r/r_s)^2}$$

typical

$$J_0 \sim 0.3 \text{ GeV/cm}^2$$

$$r_s \sim 20 \text{ kpc}$$

Diagram



WHAT HAPPENS TO THE $e \rightarrow p$? (SECONDARY)

Propagation & E loss

↑ of PRIMARY - ANN. PROD + CASCADE (hard process)

$e \rightarrow p$ BEND IN MAG FIELDS, LOSE ENERGY

↳ DIFFUSION EQUATION.

↑ SYNCH + INV. COMP.

$$\left| \frac{\partial f}{\partial t} - \nabla \cdot [K(E, x) \nabla f] - \frac{\partial}{\partial E} [b(E, x) f] = Q(E, x) \right|$$

f = $\frac{dN}{dE}$

↑ DIFFUSION

E-LOSS

SOURCE

DEP ON MAG FIELDS, GALACTIC INFO

$$b(E, \vec{x}) = \frac{4\sigma_T}{3m_e^2} E^2 u(\vec{x})$$

PHOTON & B FIELD

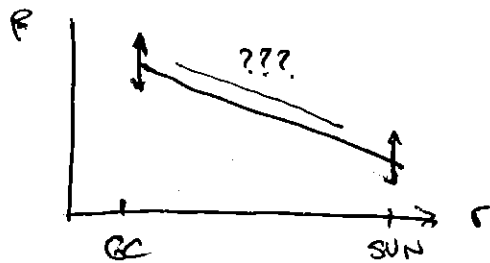
FERMI RES $\sim 0.1, 0.2$ deg

I B-FIELDS

• GC field: $10 \mu\text{G} \sim 10^3 \mu\text{G}$ on $\Theta(100)$ pc.
 ↑ from radio sources, can extract mag field

• B @ SOLAR RADIUS: (ie B WHERE WE ARE) $\sim 1 \mu\text{G} \sim 10 \mu\text{G}$

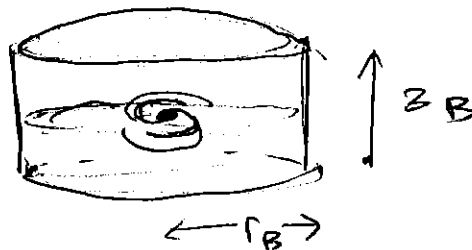
SO WHAT WE KNOW:



model: $B(r,z) = B_0 e^{-(r-r_0)/r_B - |z|/z_B}$

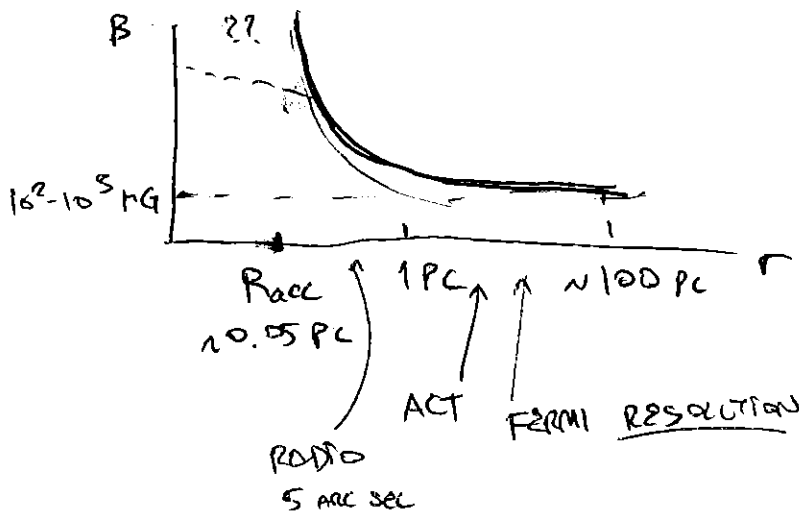
\uparrow 10 kpc \uparrow 2 kpc

cyl. corps:



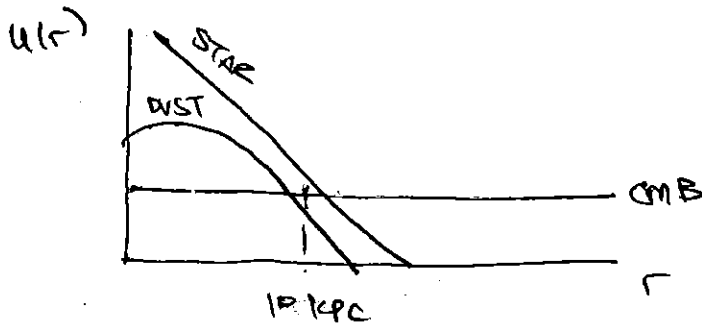
EQUIPART.

B MODEL: < PC CENTRAL BH RELEVANT



II PHOTONS

- 1. CMB $\sim 0.3 \text{ eV cm}^{-3}$
- 2. STARLIGHT $\sim 1 - 1 \text{ eV}$
- 3. DUST $\sim 10^{-2} \text{ eV (?) IR}$



DEP ON NORMALIZ OF MAG FIELD,
 USUALLY INV. COMPTON DOMINATES OVER MAG. FIELD
 EXCEPT @ r ~~SMALL~~ ~~HIGH~~ ~~ENERGY~~

\Rightarrow INVERSE COMPTON DOMINATES
 EXCEPT FOR $E_\gamma \gg m_e c^2$

(THOMP IS NO LONGER APPLIES,
 KLEIN-NISHINA SUPPRESS (KN))

$$\sigma = \begin{cases} \sigma_T & E_\gamma < m_e c^2 \\ \sim E^{-1} (1 + 2 \ln E) & E_\gamma > m_e c^2 \end{cases}$$

by the way

$$P_c \sim 10^{18} \text{ cm}$$

\uparrow DIST TO CLOSEST STAR

$$r_{\text{Schw}} \text{ FOR QC BH} \sim 10^7 \text{ cm}$$

$K(E, \bar{x})$ IS COMPLICATED, CAN'T BE WRITTEN. :(

(6)

SO SAY: $K = K_0 e^{\delta}$

↑ CAN GET AWAY W/ THIS FOR DM ANN. PAPER. BUT NOT FOR PROPAR. PAPER.

z/kpc	$K [kpc^2/m s]$	δ
1	0.006	0.55
4	0.0112	0.70
15	0.0765	0.46

Practically

- GALPROP — DOES DIFFUSION EASY
 - ↳ ONLINE MADE IS EASY BUT NOT USEFUL FOR PM SOURCE, HAVE TO DL.
- OR USE ESTIMATES HERE

USEFUL REF: CIRELLI 2010-11

↳ POOR PRACTICE PHYS COOKBOOK FOR INDIP. DET.
VERY INTRODUCTORY.

+ MATHEMATICS NOTEBOOK.