

Journal club 11/21: "Discovery of a new Galactic Center excess consistent with upscattered starlight"

"Galactic center excess" (GCE) / "GeV excess" observed with Fermi gamma-ray telescope

(N.B. \*NOT\* the same excess referred to in title!)

interesting to particle physicists because ...

(1) spatial morphology is consistent with NFW radial profile:

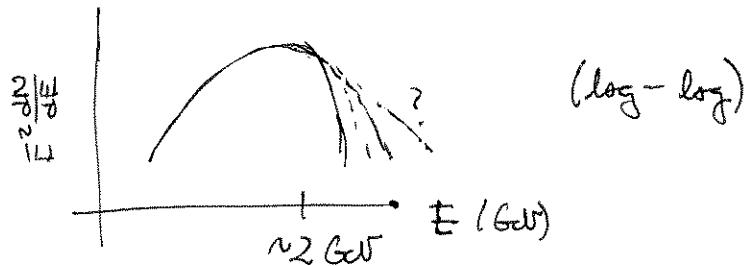
$$\rho(r) = \rho_0 \cdot \frac{(r/r_s)^{-\gamma}}{(1+r/r_s)^{3-\gamma}}$$

where  $\rho_0$  = normalization such that local DM density  $\sim 0.3 \text{ GeV cm}^{-3}$

$\gamma$  = inner profile slope,  $\approx 1$

$r_s$  = scale radius,  $\approx 20 \text{ kpc}$

(2) spectral morphology is consistent with WIMP annihilation



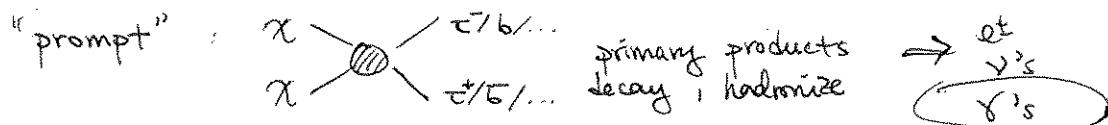
spectrum best fit w/  $\chi\chi \rightarrow b\bar{b}$  ( $m_{\chi} \sim 35 \text{ GeV}$ )

$\chi\chi \rightarrow \tau^+\tau^-$  ( $m_{\chi} \sim 10 \text{ GeV}$ )

(3) spectrum normalization gives annihilation cross-section that is close to  $\sim 2 \times 10^{-26} \text{ cm}^3 \text{s}^{-1}$  required for DM relic density!

but there are also alternative astrophysical sources for excess:  
millisecond pulsars  
cosmic ray bursts

photons from WIMP annihilations



all of the above happens @ site of DM annihilation,  
so prompt  $\gamma$ 's DIRECTLY trace DM halo distribution

"secondary" - resultant  $e^\pm$ 's interact w/ environment

Inverse Compton - upscatter ISRF interstellar radiation field (ISRF)

Bremstrahlung -  $e^\pm$  interactions with gas

spatial morphology of these signals depends on:

diffusion + energy losses of  $e^\pm$   
ISRF / gas distributions

$\Rightarrow$  IC and/or Brems. signals can have DISTINCT spatial morphologies from B&E; If so, Fermi should be able to detect as individual sources!

how are extended sources detected?

template maximum likelihood fitting  $\Rightarrow$  norm. + spectrum for each of:

Fermi galactic diffuse model - dominant source @ GL

" extragalactic isotropic background"

" point source catalog

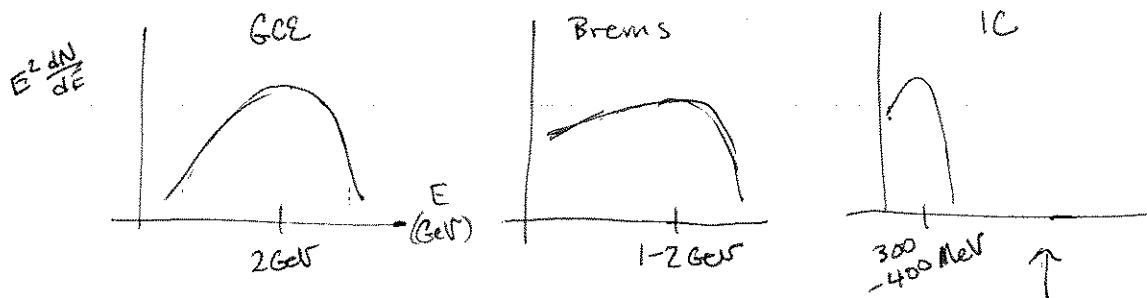
NFW halo profile template

IC template: infrared map, traces background starlight

Brems template: 20 cm radio map, traces gas thru synchrotron radiation

results: prompt + secondary emission templates all detected at high significance ( $2\Delta \ln \mathcal{L} \gtrsim 100$ )

sketches of spectra:



new detection of this source!  
hence the title

notice cutoffs in IC & brems spectra...  
imply breaks in electron spectrum, which you can  
get quite naturally if e^-s that produce IC & brems  
spectra are coming from DM annihilations

very roughly:

$$\text{IC upscattering} \propto \gamma_e^2 \text{ of } e^- \quad \text{or} \quad \nu_{ic} \approx \gamma_e^2 \nu_0 \quad \text{or} \quad E_{ic\text{photon}} \approx \left(\frac{E_e}{m_e}\right)^2 \text{hc} \cdot \frac{1}{\lambda_0}$$

$\sim 10^{-9} \text{ GeV} \cdot \mu\text{m}$   
 $.5 \text{ MeV}$

$$\text{ISRF peaks @ } 1\mu\text{m} : \lambda_0 = 1\mu\text{m}$$

If assuming DM annihilations to all leptons is producing the prompt spectrum (GCE),  $m_{DM} \sim 10 \text{ GeV}$   
 $\Rightarrow E_e = 10 \text{ GeV}$

$$E_{ic\text{photon}} \approx 0.4 \text{ GeV} \text{ for above values}$$

hey, that's where our actual observed  
IC spectrum cuts off ...  
template

$\text{DM} \rightarrow \text{leptons}$  Interpretation of the RGE:

- (1) get best-fit mass + cross section from prompt spectrum
- (2) use  $m_{\text{DM}}$ ,  $\langle \sigma v \rangle$ , annihilation channel to predict  $e^\pm$  spectrum produced by annihilations
- (3) use  $e^\pm$  spectrum, solve diffusion eqn to predict resulting IC + brems spectra

1) assume democratic annihilation,  $\frac{1}{3}$  each  $\mu^\pm/e^\pm/\tau^\pm$ 's

need  $\tau$ 's to produce prompt gamma-rays

need  $e$ 's to produce secondary gamma-rays

$$\Rightarrow m_{\text{DM}} \approx 8 \text{ GeV}, \langle \sigma v \rangle \approx 3.6 \times 10^{-26} \text{ cm}^3 \text{s}^{-1}$$

\*  $\langle \sigma v \rangle$  for this mass + channel is in conflict w/ AMS + LEP limits!! will go into more detail later \*

2) just used PPPC 4DMID

3) diffusion + energy losses governed by

$$g(\vec{x}, E) + K(E) \nabla^2 \psi(\vec{x}, E) + \frac{\partial}{\partial E} (b_{\text{tot}}(\vec{x}, E) \psi) = 0$$

↑  
source term      ↑  
diffusion coeff.      ↑  
electron spectrum      ↑  
energy losses      ↑  
assuming steady state

$$g(\vec{x}, E) = \frac{\langle \sigma v \rangle}{2} \frac{dN}{dE}(E) \frac{1}{M_{\text{DM}}^2} \rho_{\text{NEW}}^2(\vec{x})$$

$$K(E) = K_0 \cdot \left( \frac{E}{1 \text{ GeV}} \right)^s$$

$$b_{\text{tot}} = b_{\text{sync}} + b_{\text{brems}} + b_{\text{IC}}$$

$\uparrow B^2$        $\uparrow \alpha n_{\text{gas}}$        $\uparrow \propto E_{\text{ISRF}}$

using middle-of-the-road values for  $K_0$ ,  $\delta$ ,  $B$ ,  $n_{gas}$ ,  
resultant IC + brems spectra are consistent w/ data points!

BUT there is a wide range of uncertainties  
in the diffusion parameters

back to constraints on  $XX \rightarrow e^+e^-$  from other experiments

1) AMS-02: strong limits on direct annihilation to  $e^+ \sim 0.5 e^{-28} C$   
no lines observed in  $e^+$  spectrum @ 8 GeV

2) LEP monophoton search — no missing energy  $\sim 10^{-22} -$   
 $\sim \text{few} \times 10^{-27}$

constraints can be loosened:

(Mo's paper 1404.6528) DM annihilation thru mediators:



light mediator produced on shell in DM annihilation

$\langle\sigma v\rangle$  only depends on DM-mediator coupling, mediator-lepton coupling can be small

→ wouldn't see collider production, dodge LEP bounds

resultant lepton spectra is smeared:



→ loosen tension w/ AMS's lack of  $e^+$  lines observed

but, competing effect from increased DM mass:

$$\frac{dE_\gamma}{dE} = \frac{1}{8\pi} \frac{\langle\sigma v\rangle}{m_{DM}^2} \frac{dN_\gamma}{dE} \int_{L.o.s.} f^2 dx$$

required  $\langle\sigma v\rangle$  also increases

Largest uncertainty on  $\langle \sigma v \rangle$  comes from DM profile:

squared!

$$\text{again, } \rho_{\text{DM}}(r) = \rho_0 \frac{(r/r_s)^{-\gamma}}{(1 + r/r_s)^{3-\gamma}} \quad \text{and} \quad \Xi_\infty \propto \langle \sigma v \rangle \cdot \int_{r=0}^{\infty} \rho^2 dx$$

local DM density  $\rho_0 = 0.3 \text{ GeV cm}^{-3} \pm 0.1$  "

uncertainty on  $\gamma$  (inner slope) can greatly affect  $\langle \sigma v \rangle$ !

adiabatic contraction - center of MW is baryon dominated  $\rightarrow$  deepens grav. potential  $\rightarrow$  increases DM density

uncertainty up to  $\sim 10$  downwards!

\* these uncertainties aren't included usually when people publish their  $\langle \sigma v \rangle$  from GLE analyses, so take their limits figures w/ a grain of salt. \*